

J-PARC実験:  
 $K$ 中間子崩壊による  
レプトン・ユニバーサリティの破れの探索

KEK, IPNS

今里純

2012年6月28日

東京大学 ICEPP セミナー

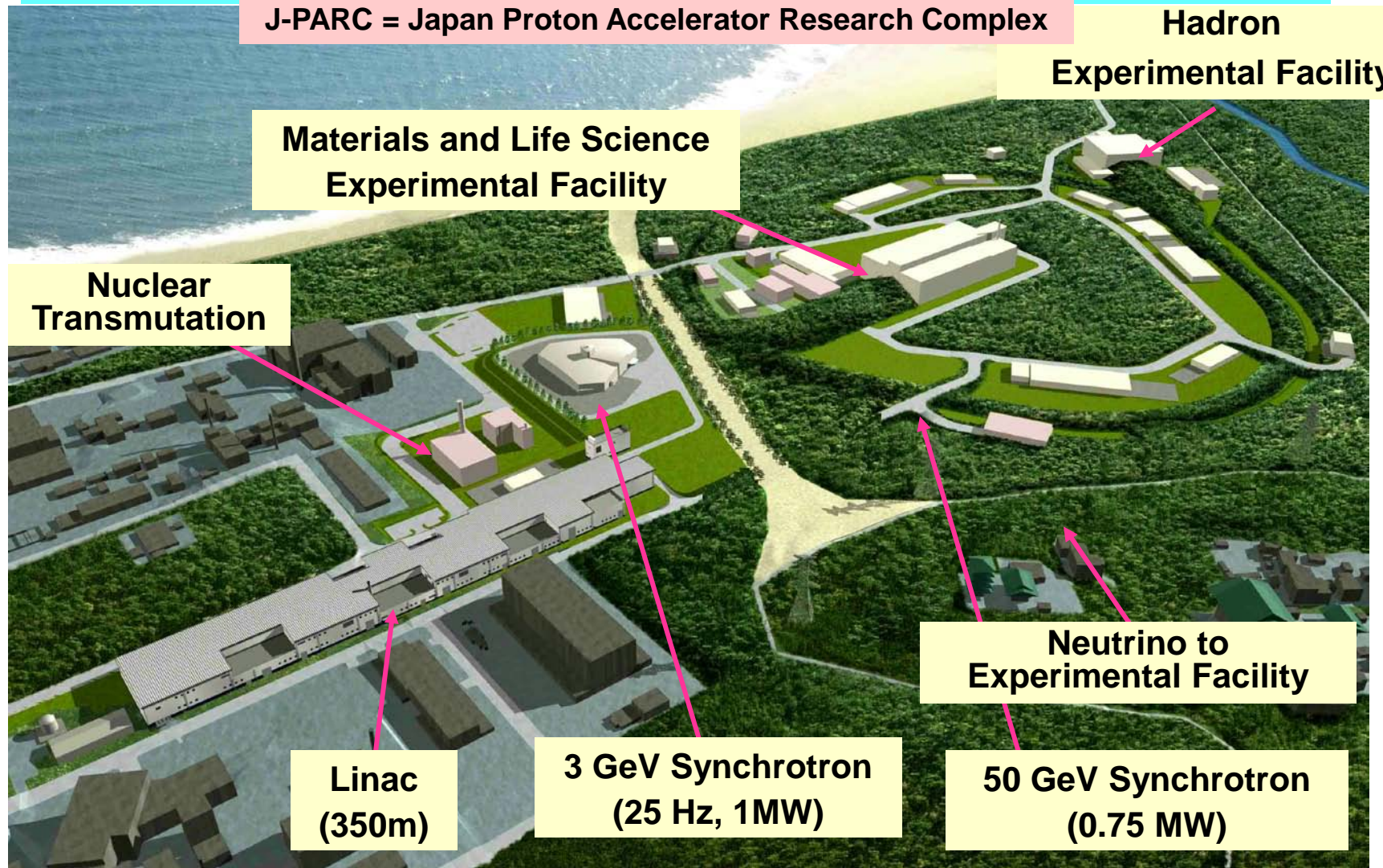
# 話の内容

1. J-PARC と TREK実験
2. レプトン普遍性 (LU) の破れ
3. LUの破れの探索 実験 (P36)
  - ・ これまでのリミットとP36の目標感度
  - ・ TREK測定器
  - ・ 系統誤差の評価
  - ・ 重いニュートリノ探索
4. ビームライン、測定器R&D
5. まとめ

# J-PARC と TREK実験

# J-PARC Facility

J-PARC = Japan Proton Accelerator Research Complex

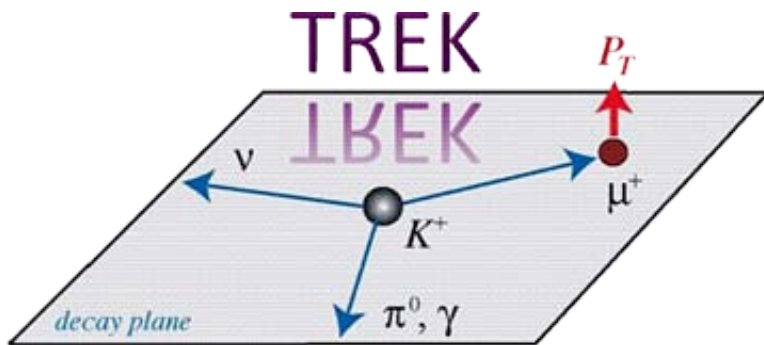


Currently, 190 kW for FX and 6 kW for SX

# TREK (J-PARC E06)

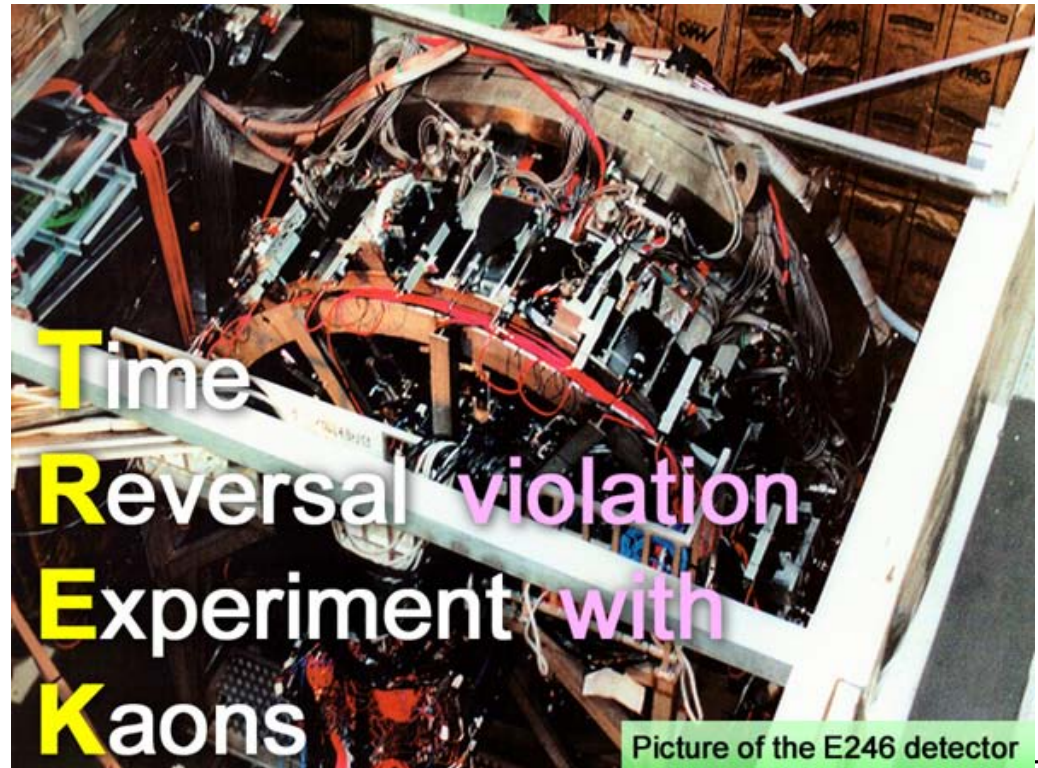
**T**ime **R**eversal **E**xperiment with **K**aons:

**Search for New Physics beyond the Standard Model by  
Measurement of T-violating  
Transverse Muon Polarization ( $P_T$ ) in  $K^+ \rightarrow \mu^+\pi^0\nu$  Decays**



Official website:

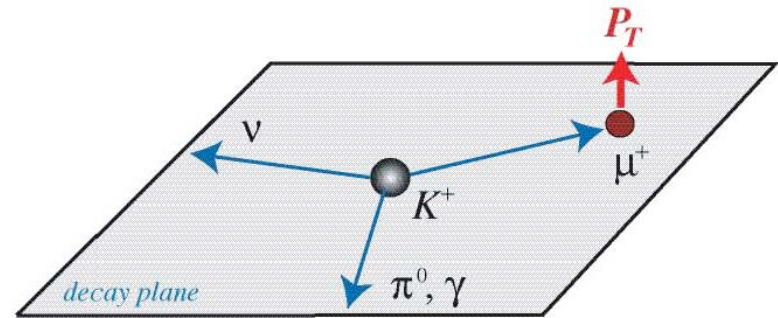
<http://trek.kek.jp>



# Transverse $\mu^+$ polarization ( $P_T$ ) in $K_{\mu 3}$

$K^+ \rightarrow \pi^0 \mu^+ \nu$  decay

$$P_T = \frac{\sigma_\mu \cdot (\mathbf{p}_{\pi^0, \gamma} \times \mathbf{p}_{\mu^+})}{|(\mathbf{p}_{\pi^0, \gamma} \times \mathbf{p}_{\mu^+})|}$$



- $P_T$  is T-odd, and spurious effects from final state interaction are small:  $P_T(\text{FSI}) < 10^{-5}$

Non-zero  $P_T$  is a signature of T violation.

- Standard Model (SM) contribution to  $P_T$ :  $P_T(\text{SM}) < 10^{-7}$

$P_T$  in the range  $10^{-3} \sim 10^{-4}$  is a sensitive probe of CP violation beyond the SM.

- There are theoretical models of **new physics** which allow a sizable  $P_T$  without conflicting with other experimental constraints.

# Sensitivity of E06

Current limit from E246 :

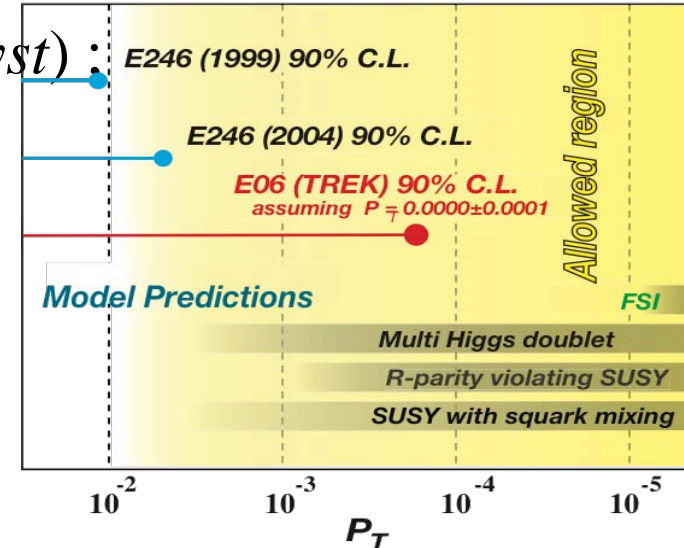
$$\bullet P_T = -0.0017 \pm 0.0023(\text{stat}) \pm 0.0011(\text{syst}) ;$$

(  $|P_T| < 0.0050$  : 90% C.L. )

**Sensitivity goal :**

$$\delta P_T \sim 10^{-4}$$

$$(1.4 \times 10^7 \text{ sec})$$



- J-PARC full beam power of 270 kW is necessary for the E06 TREK experiment : ==> Future experiment
- A possible experiment at 30 kW with the TREK detector sub-system :

**Search for Lepton Universality Violation**

# TREK collaboration

- Canada
  - U. Saskatchewan
  - TRIUMF
  - UBC
  - U. Montreal
  - U. Manitoba
- USA
  - Hampton U.
  - U. South Carolina
  - Iowa State U.
- Russia
  - INR
- Vietnam
  - National Science U.
- Japan
  - KEK
  - Tohoku U.
  - Osaka U.
  - TITech



# レプトン普遍性 (LU) の破れ

# Lepton universality

- Standard Model:
  - Three generations for quarks and leptons
  - Leptons:  $e$ ,  $\mu$ , and  $\tau$

$$\begin{pmatrix} \nu_e \\ e \end{pmatrix} \quad \begin{pmatrix} \nu_\mu \\ \mu \end{pmatrix} \quad \begin{pmatrix} \nu_\tau \\ \tau \end{pmatrix}$$

$$\begin{pmatrix} u \\ d \end{pmatrix} \quad \begin{pmatrix} c \\ s \end{pmatrix} \quad \begin{pmatrix} t \\ b \end{pmatrix}$$

- Different masses but same gauge couplings
- Up to now, it is valid experimentally

## *Lepton Universality*

- Why are the weak couplings of  $e$ ,  $\mu$ , and  $\tau$  nearly equal?
- Even a small difference would signal a profound discovery :  $\rightarrow$  *Necessity of experimental efforts*

# Limits of universality

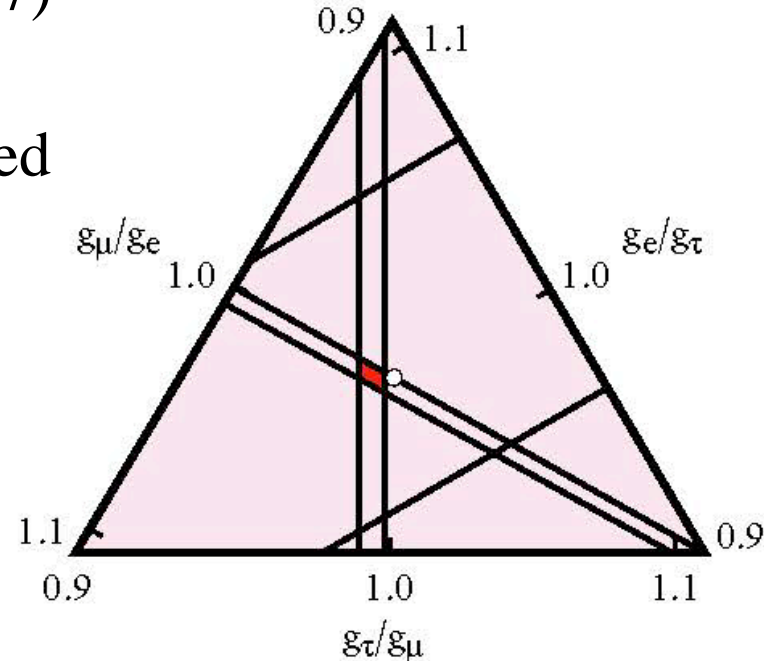
$$g_{\mu}/g_e = 1.0012 \pm 0.0015 \quad (1997)$$

- $\mu$ - $e$  universality has been well established
- Recent development of  $\tau$  spectroscopy
  - $\tau_{\tau}, m_{\tau}, \tau_{\tau}/\tau_{\mu} = (m_{\tau}/m_{\mu})^5 (g_{\tau}/g_{\mu})^2$
  - $\tau$  Michel parameters
  - Couplings to  $W$  and  $Z^0$

$$g_{\tau}/g_{\mu} = 1.0003 \pm 0.0029 \quad (1997)$$

*No evidence yet for universality violation ?*

by J.R.Patterson  
1995



Universality Triangle

# Recent data on LU

- Summary by A. Pich [arXiv:1201.0537v1 [hep-ph] (2012)]

	$\Gamma_{\tau \rightarrow \nu_\tau e \bar{\nu}_e} / \Gamma_{\mu \rightarrow \nu_\mu e \bar{\nu}_e}$	$\Gamma_{\tau \rightarrow \nu_\tau \pi} / \Gamma_{\pi \rightarrow \mu \bar{\nu}_\mu}$	$\Gamma_{\tau \rightarrow \nu_\tau K} / \Gamma_{K \rightarrow \mu \bar{\nu}_\mu}$	$\Gamma_{W \rightarrow \tau \bar{\nu}_\tau} / \Gamma_{W \rightarrow \mu \bar{\nu}_\mu}$
$ g_\tau/g_\mu $	$1.0007 \pm 0.0022$	$0.992 \pm 0.004$	$0.982 \pm 0.008$	$1.032 \pm 0.012$
	$\Gamma_{\tau \rightarrow \nu_\tau \mu \bar{\nu}_\mu} / \Gamma_{\tau \rightarrow \nu_\tau e \bar{\nu}_e}$	$\Gamma_{\pi \rightarrow \mu \bar{\nu}_\mu} / \Gamma_{\pi \rightarrow e \bar{\nu}_e}$	$\Gamma_{K \rightarrow \mu \bar{\nu}_\mu} / \Gamma_{K \rightarrow e \bar{\nu}_e}$	$\Gamma_{K \rightarrow \pi \mu \bar{\nu}_\mu} / \Gamma_{K \rightarrow \pi e \bar{\nu}_e}$
$ g_\mu/g_e $	$1.0018 \pm 0.0014$	$1.0021 \pm 0.0016$	$0.998 \pm 0.002$	$1.001 \pm 0.002$
	$\Gamma_{W \rightarrow \mu \bar{\nu}_\mu} / \Gamma_{W \rightarrow e \bar{\nu}_e}$		$\Gamma_{\tau \rightarrow \nu_\tau \mu \bar{\nu}_\mu} / \Gamma_{\mu \rightarrow \nu_\mu e \bar{\nu}_e}$	$\Gamma_{W \rightarrow \tau \bar{\nu}_\tau} / \Gamma_{W \rightarrow e \bar{\nu}_e}$
$ g_\mu/g_e $	$0.991 \pm 0.009$	$ g_\tau/g_e $	$1.0016 \pm 0.0021$	$1.023 \pm 0.011$

- LEP-II : 
$$R_{\tau\ell}^W = \frac{2 \text{BR}(W \rightarrow \tau \bar{\nu}_\tau)}{\text{BR}(W \rightarrow e \bar{\nu}_e) + \text{BR}(W \rightarrow \mu \bar{\nu}_\mu)} = 1.055(23)$$

*2.4  $\sigma$  deviation*

- BABAR : Evidence for an excess of  $\bar{B} \rightarrow D^{(*)} \tau^- \bar{\nu}_\tau$  decays  
[ Phys. Rev. D 82, 072005 (2010)]

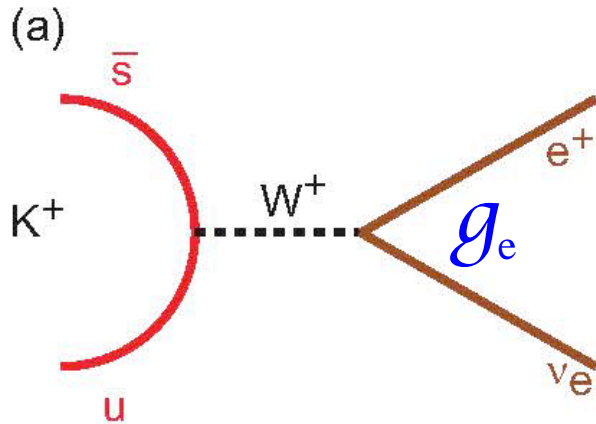
$$\mathcal{R}(D^{(*)}) = \mathcal{B}(\bar{B} \rightarrow D^{(*)} \tau^- \bar{\nu}_\tau) / \mathcal{B}(\bar{B} \rightarrow D^{(*)} \ell^- \bar{\nu}_\ell) \quad 3.5 \sigma \text{ deviation}$$

*High precision test of  $g_\mu/g_e$  is still important*

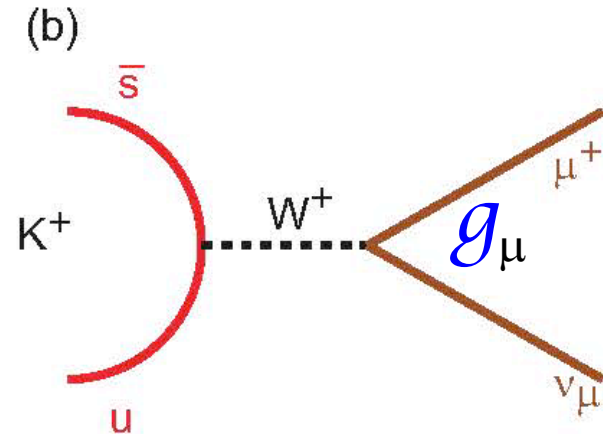
# Universality test by $K_{l2}$ decays

*Typical test in particle decay at low energy*

$K \rightarrow e\nu$



$K \rightarrow \mu\nu$



$$\Gamma(K_{l2}) = g_l^2 (G^2/8\pi) f_K^2 m_K m_{l2} \{1 - (m_l^2/m_K^2)\}^2$$

$$g_e = g_\mu ?$$

# $K_{l2}$ decays in the SM

$$R_K^{SM} = \frac{\Gamma(K^+ \rightarrow e^+\nu)}{\Gamma(K^+ \rightarrow \mu^+\nu)} = \frac{m_e^2}{m_\mu^2} \left( \frac{m_K^2 - m_e^2}{m_K^2 - m_\mu^2} \right)^2 \underline{(1 + \delta_r)}$$

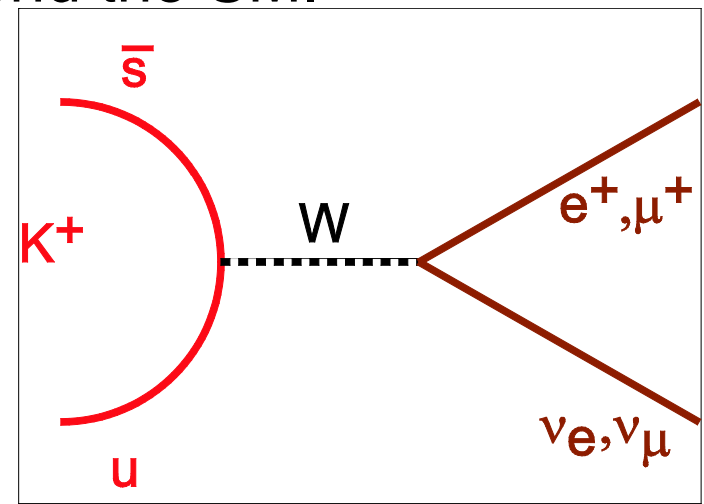
*helicity suppression*      *radiative correction*  
*(Internal Brems.)*

Standard Model:

- By forming ratio of the  $\Gamma(K_{e2})$  to the  $\Gamma(K_{\mu2})$ , hadronic form factors are cancelled out and the  $R_K^{SM}$  is highly precise.
- Strong helicity suppression of the electronic channel enhances sensitivity to effects beyond the SM.

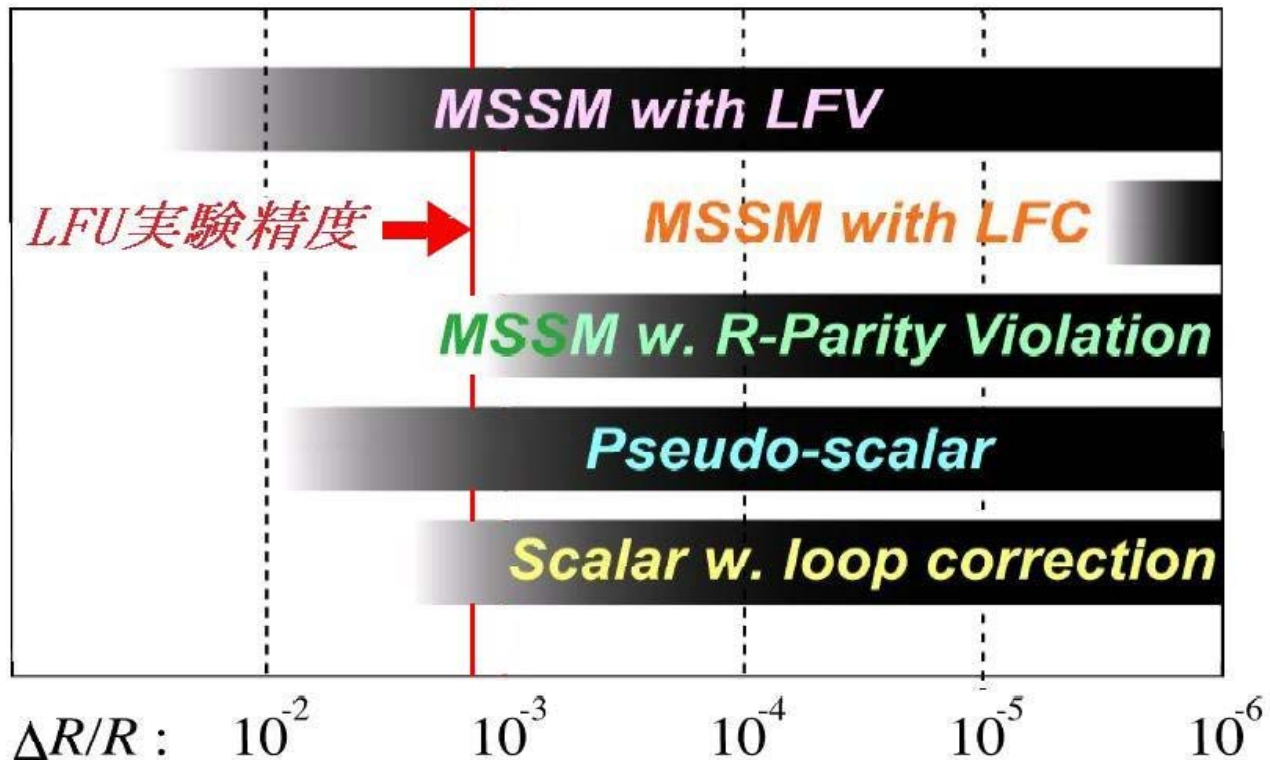
$$R_K^{SM} = (2.477 \pm 0.001) \times 10^{-5}$$

Uncertainty is  $\Delta R_K / R_K \sim 0.04\%$



# $K_{l2}$ decay beyond the SM

$$R = \frac{\Gamma(e^+\nu)}{\Gamma(\mu^+\nu)} = R_{SM} + \Delta R_{NP}$$



$$g_e / g_\mu = (R / R_{SM})^{1/2}$$

# MSSM with LFV

## Contribution from MSSM

- A charged Higgs-mediated SUSY LFV contribution to  $K_{e2}$  can be strongly enhanced by emitting a  $\tau$  neutrino.

$$R_K^{LFV} = R_K^{SM} \left( 1 + \frac{m_K^4}{M_{H^+}^4} \cdot \frac{m_\tau^2}{m_e^2} \Delta_{13}^2 \tan^6 \beta \right)$$

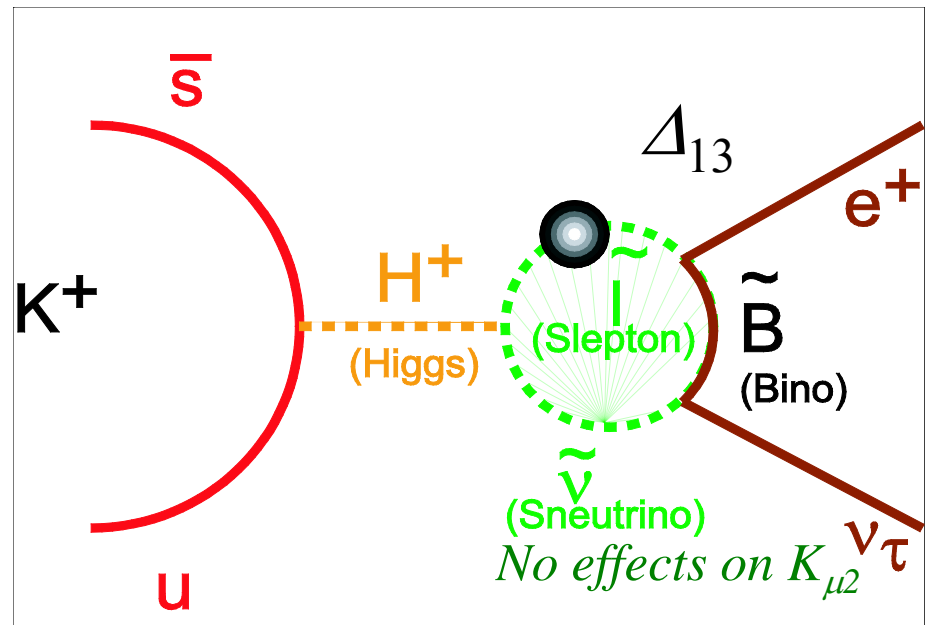
Effects in pion decay is suppressed by a factor  $(m_\pi/m_K)^4 \sim 6 \times 10^{-3}$

Using

$$\Delta_{13} = 5 \times 10^{-4}, \quad \tan \beta = 40,$$

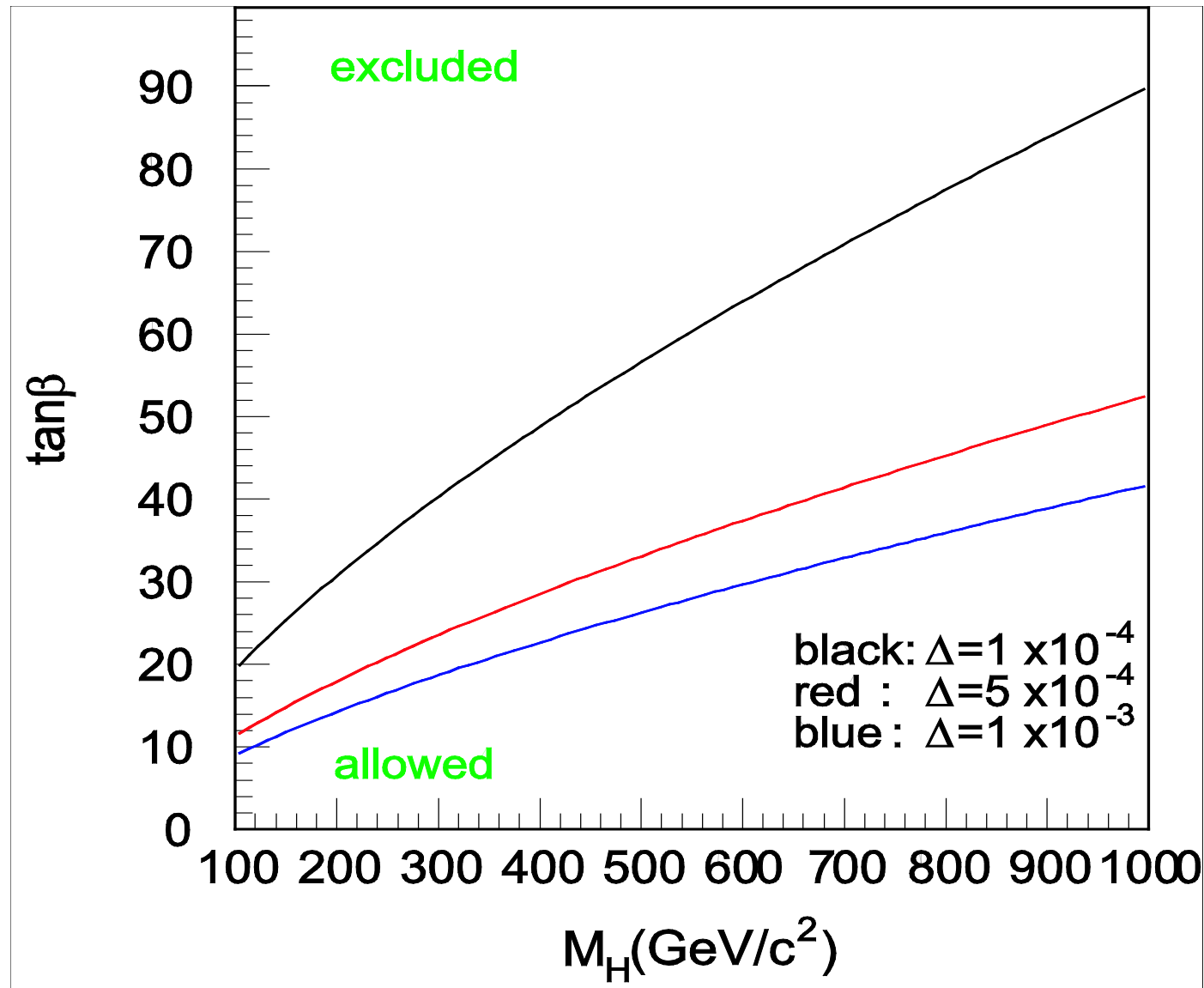
$$M_{H^+} = 500 \text{ GeV}/c^2$$

$$R_K^{LFV} = R_K^{SM} (1 \pm 0.013)$$



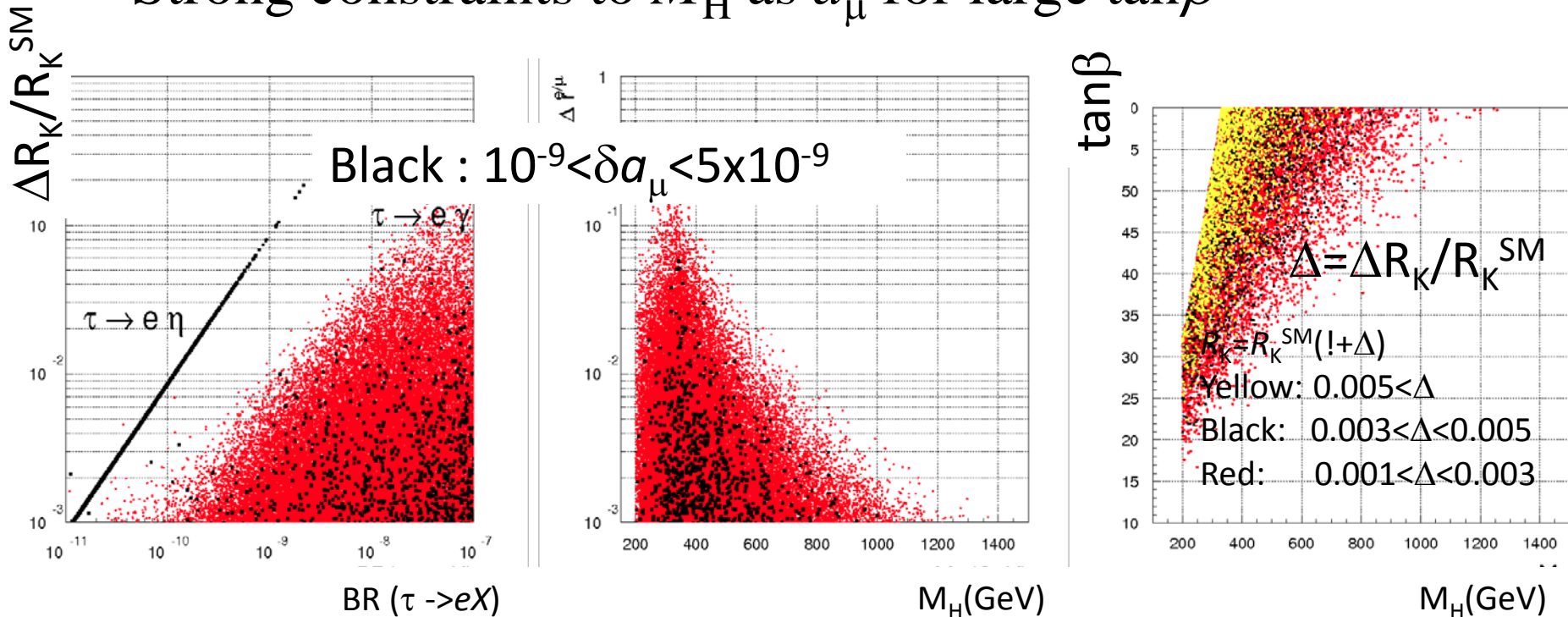


# SUSY with LFV



# Comparison with LFV in $\tau$ decay

- LFV effect may be found in  $\Delta R_K$
- $\Delta R_K/R_K \approx 1\%$  corresponds to  $Br(\tau \rightarrow eX) \leq 10^{-10}$ 
  - Strong correlation to  $Br(\tau \rightarrow e\eta)$
  - Additive to  $R_K^{\text{SM}}$  (no interference:  $R_K > R_K^{\text{SM}}$ )
- Strong constraints to  $M_H$  as  $a_\mu$  for large  $\tan\beta$



[ Masiero, Paradisi and Petronzio; 2008 ]

# Experimental status of $R_K$

- KLOE @ DAFNE (in-flight decay) (2009)  $R_K \times 10^5$

- $R_K = (2.493 \pm 0.025 \pm 0.019) \times 10^{-5}$

- NA62 @ CERN (in-flight decay) (2011)

- $R_K = (2.488 \pm 0.007 \pm 0.007) \times 10^{-5}$

- World average (2011)

- $R_K = (2.488 \pm 0.009) \times 10^{-5}$

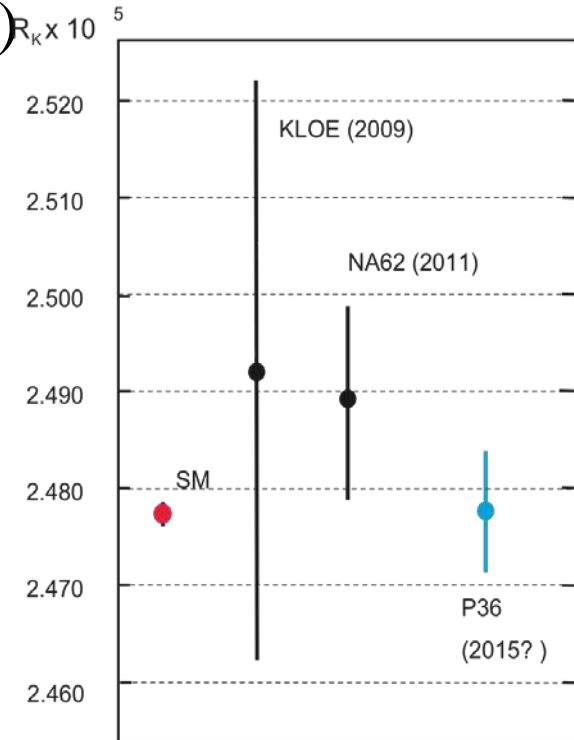
- $\sigma(R_K)/R_K = 0.0037$

- P36 aims for:

- $\sigma(R_K)/R_K = 0.0020 \text{ (stat)} \pm 0.0015 \text{ (syst)}$

*Systematics :*

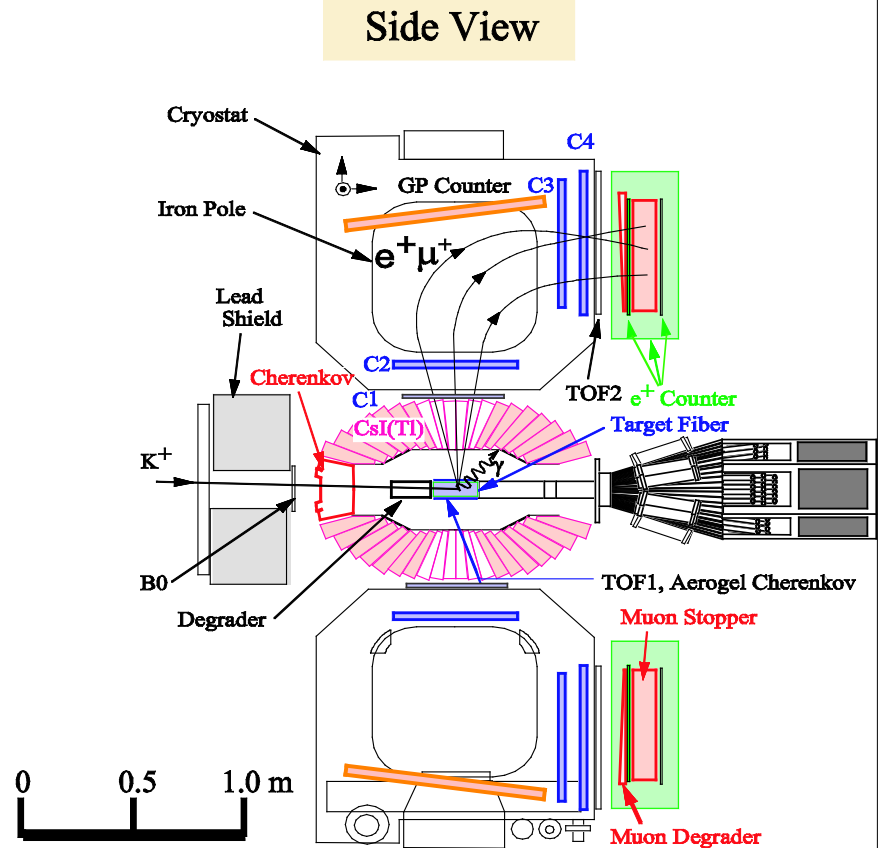
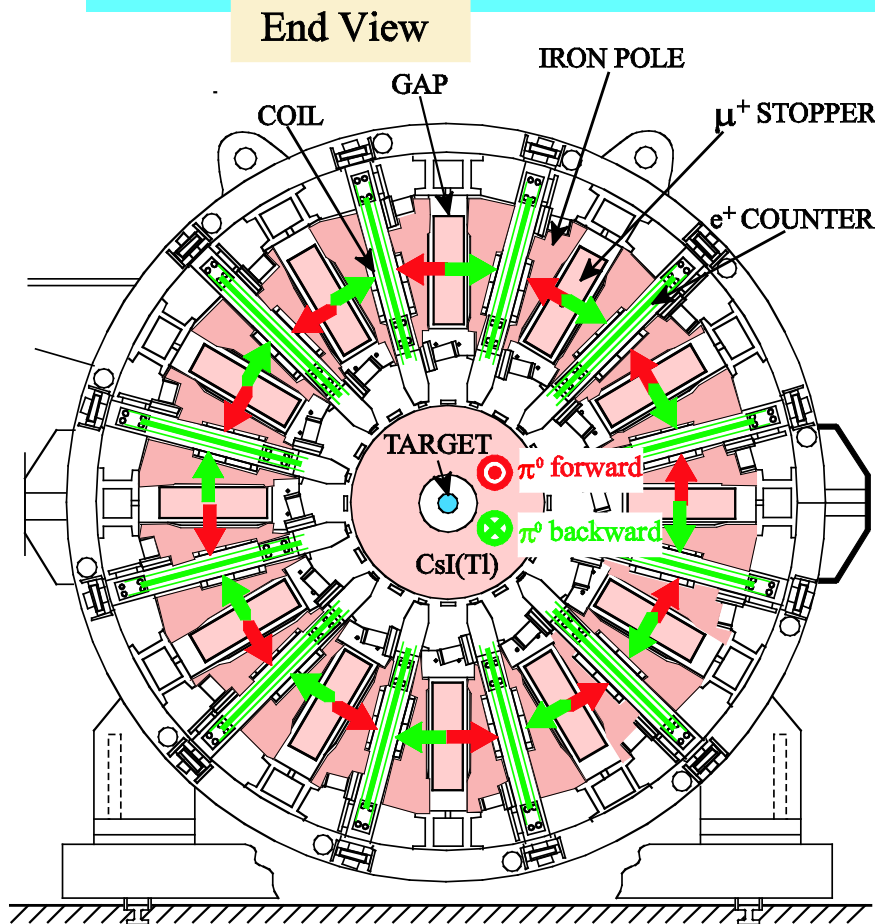
- *In-flight-decay experiments : kinematics overlap*
- *P36 stopped  $K^+$  : detector acceptance and target*
- *Thorough systematic error analysis for P36*



# Experiment at J-PARC : P36

- High intensity beam of  $K^+$ 
  - not the highest intensity of J-PARC (30 kW)
- Stopped beam experiment
  - different systematics from NA62
- Use of TREK detector
  - sub detector system of the TREK experiment
- Proposal was submitted PAC in June 2010
- Decision is made soon in July

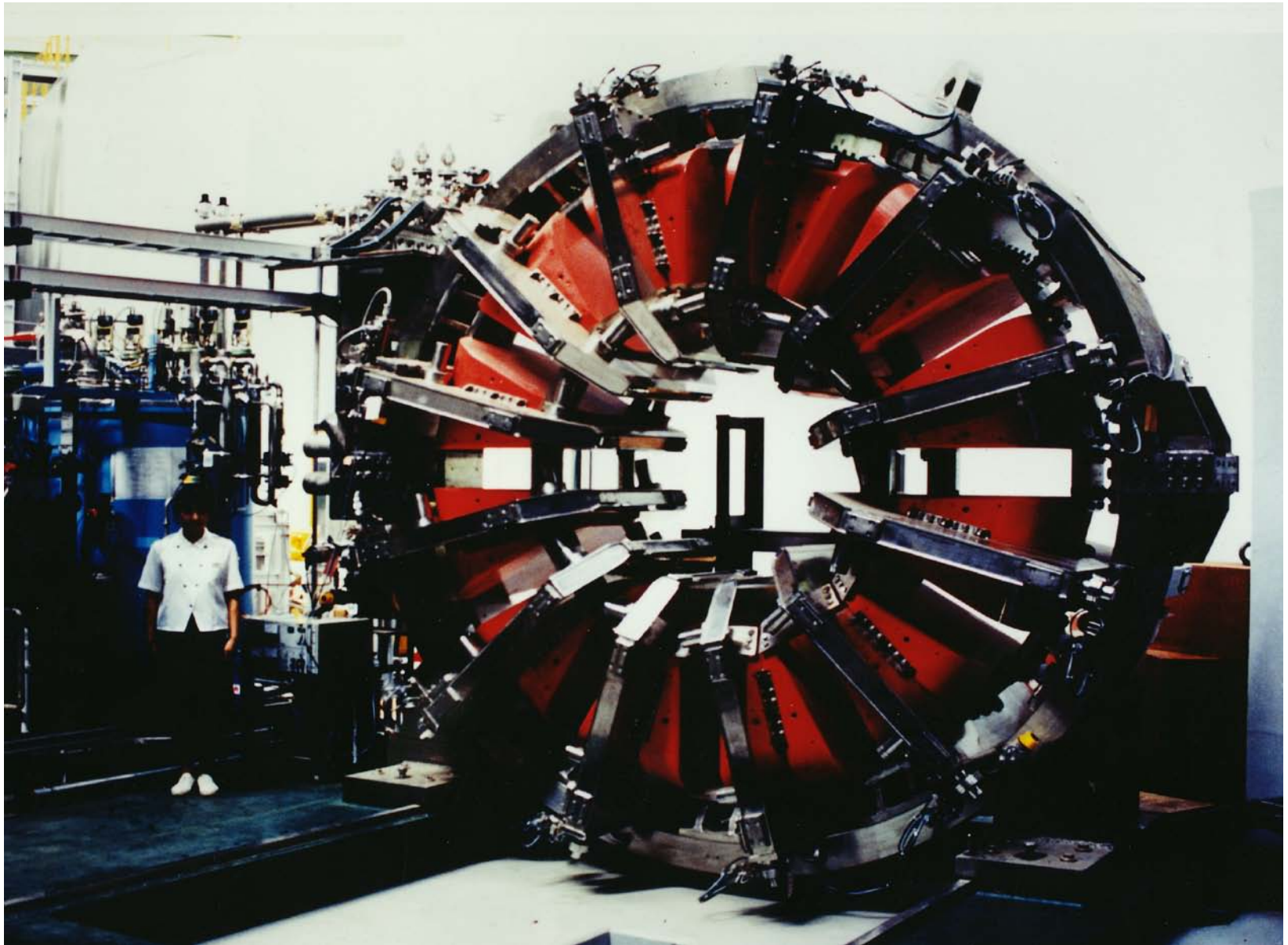
# Experimental setup



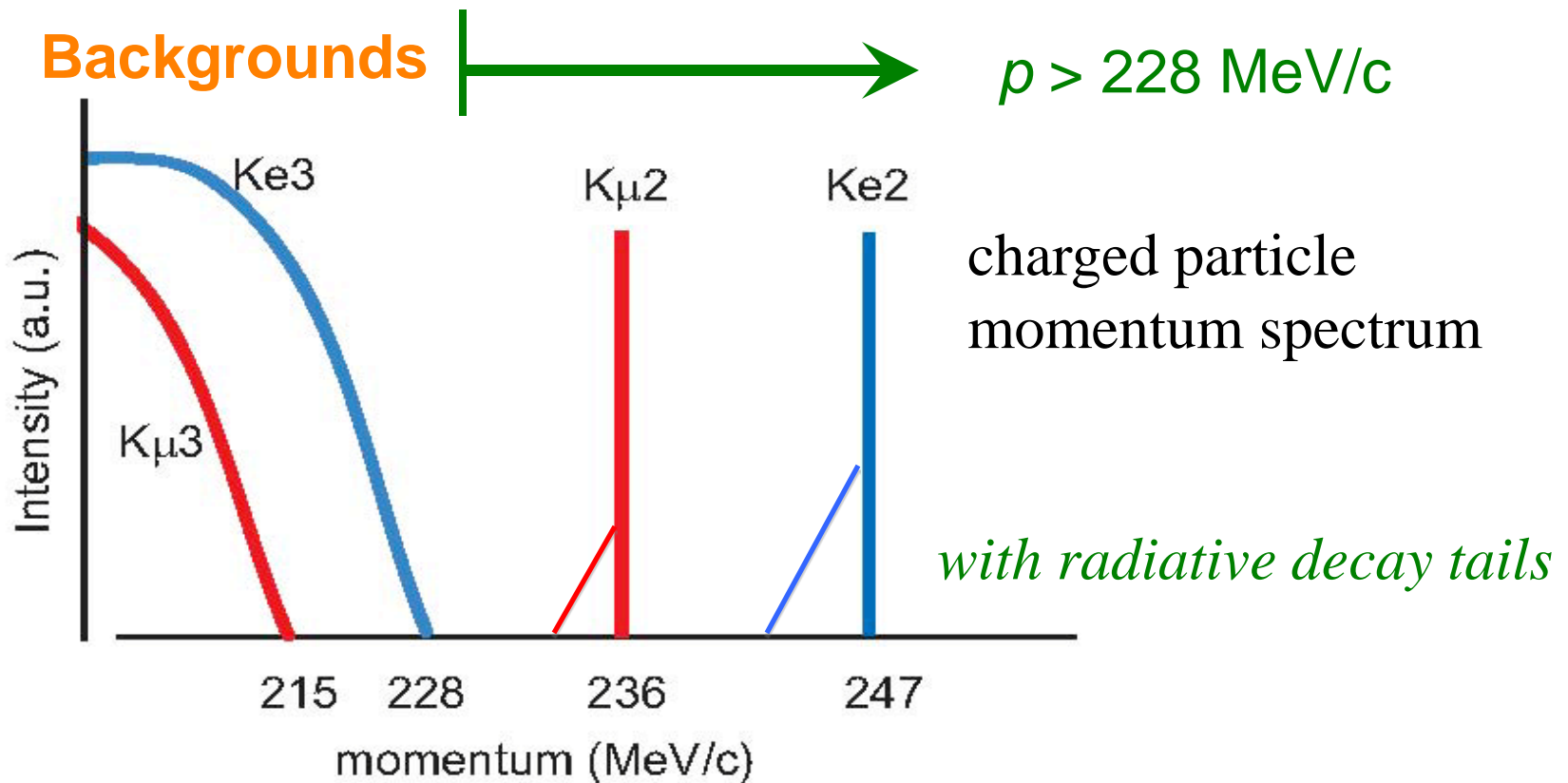
- Stopped  $K^+$  decay
  - momentum measurement
- SC Toroidal spectrometer*

- $e^+, \mu^+$  identification  
TOF and Cherenkov
- $\gamma$  measurement: CsI(Tl)
- $\mu^+$  polarimeter (for E06)

# SC Toroidal magnet

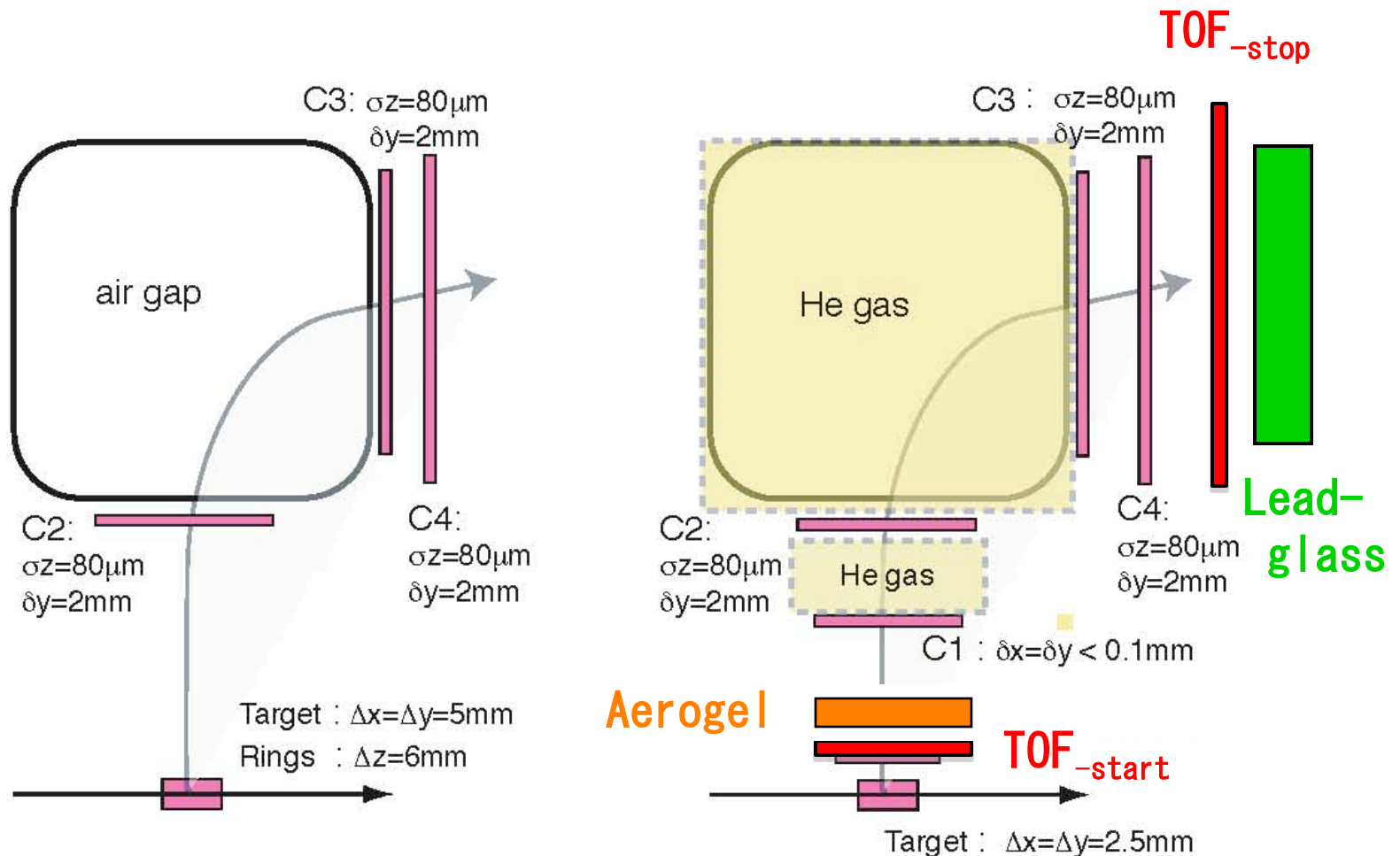


# $K_{e2} / K_{\mu2}$ discrimination



- $e/\mu$  separation not only in momentum spectrum but with **PID** using **TOF + Cherenkov counters**
- Inclusion of radiative decay (CsI(Tl) )
- Rejection of  $K_{e3}$  and  $K_{\mu3}$

# Tracking and PID



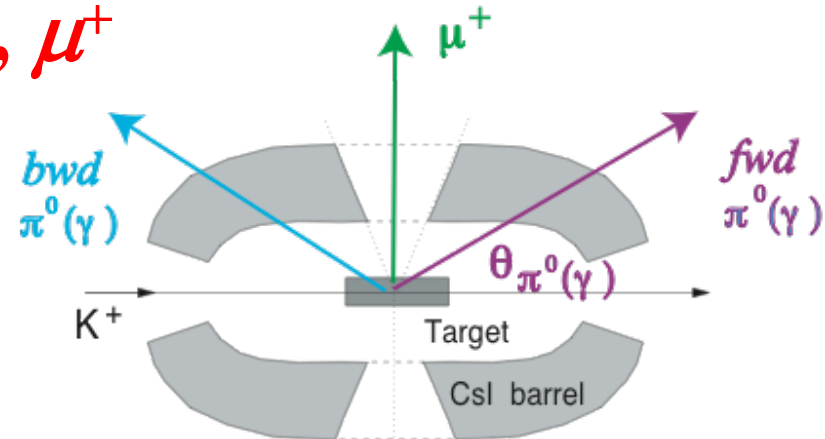
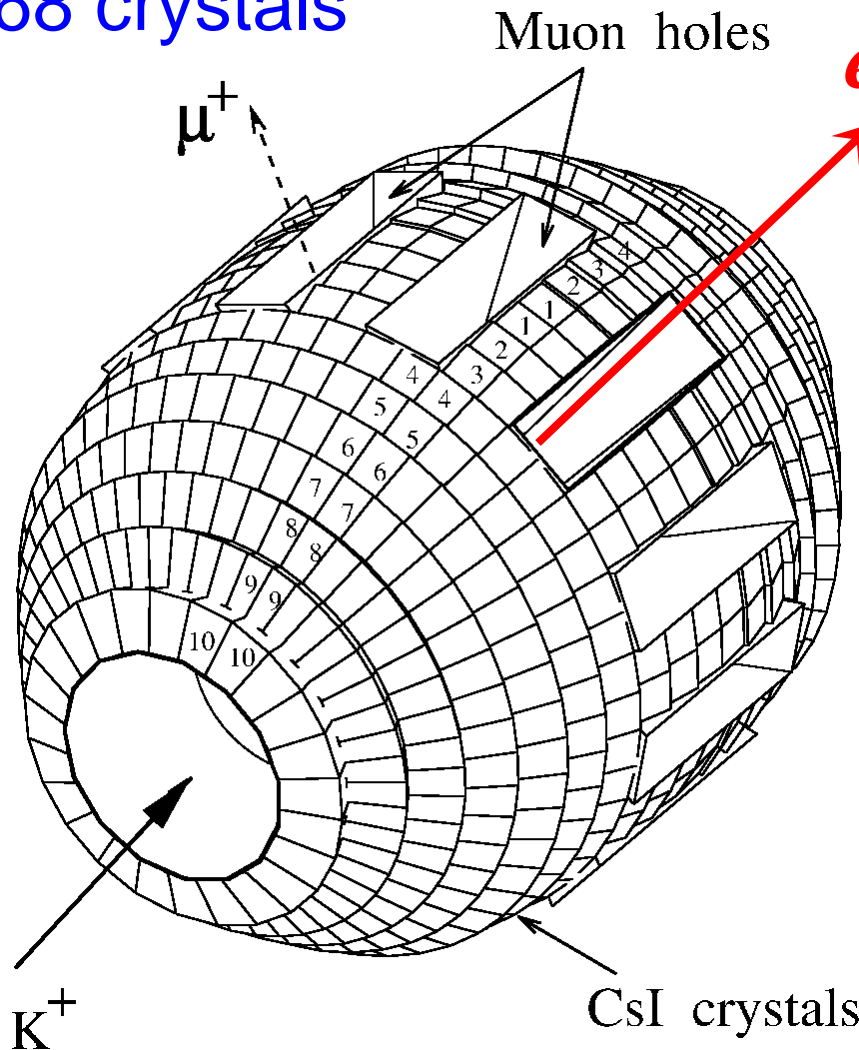
KEK-PS E246

J-PARC P36



# CsI(Tl) calorimeter

768 crystals



$E_\gamma: 0 \sim 300 \text{ MeV}$

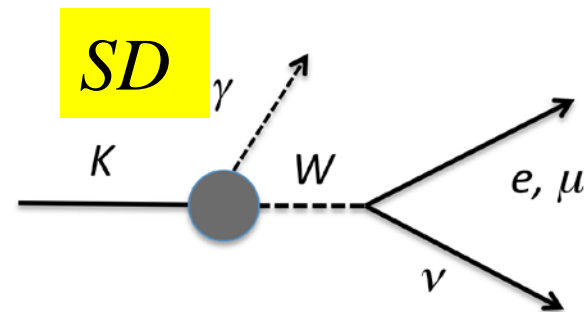
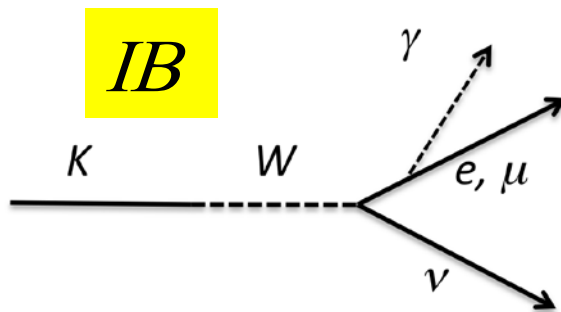
$\varepsilon = \Omega \sim 3\pi$

*Radiative decays*

- 1) with one photon, or
- 2) without photon

# Decay modes

Decay mode	Branching ratio	Relative intensity	Momentum(MeV/c)
$K^+ \rightarrow e^+ \nu$	$1.6 \times 10^{-5}$	1	247
$K^+ \rightarrow \mu^+ \nu$	$6.3 \times 10^{-1}$	40000	236
$K^+ \rightarrow e^+ \nu \gamma (IB)$		$\sim 0.1$	
$K^+ \rightarrow e^+ \nu \gamma (SD)$	$1.5 \times 10^{-5}$	$\sim 1$	
$K^+ \rightarrow e^+ \nu \pi^0$	$4.8 \times 10^{-2}$	3000	<228
$K^+ \rightarrow \mu^+ \nu \gamma$	$5.5 \times 10^{-3}$	400	
$K^+ \rightarrow \mu^+ \nu \pi^0$	$3.2 \times 10^{-2}$	2000	<215



“ $K^+ \rightarrow e^+ \nu \gamma (SD)$ ” is now a disturbing background

# IB and SD

$$\frac{d\Gamma_{K_{\mu\nu\gamma}}}{dx dy} = A_{IB} f_{IB}(x, y) + A_{SD} [(F_V + F_A)^2 f_{SD+}(x, y) + (F_V - F_A)^2 f_{SD-}(x, y)] - A_{INT} [(F_V + F_A) f_{INT+}(x, y) + (F_V - F_A) f_{INT-}(x, y)],$$

$$f_{IB}(x, y) = \left[ \frac{1-y+r}{x^2(x+y-1-r)} \right] \times \left[ x^2 + 2(1-x)(1-r) - \frac{2xr(1-r)}{x+y-1-r} \right],$$

$$f_{SD+} = [x+y-1-r][(x+y-1)(1-x)-r],$$

$$f_{SD-} = [1-y+r][(1-x)(1-y)+r],$$

$$f_{INT+} = \left[ \frac{1-y+r}{x(x+y-1-r)} \right] [(1-x)(1-x-y)+r],$$

$$f_{INT-} = \left[ \frac{1-y+r}{x(x+y-1-r)} \right] [x^2 - (1-x)(1-x-y) - r],$$

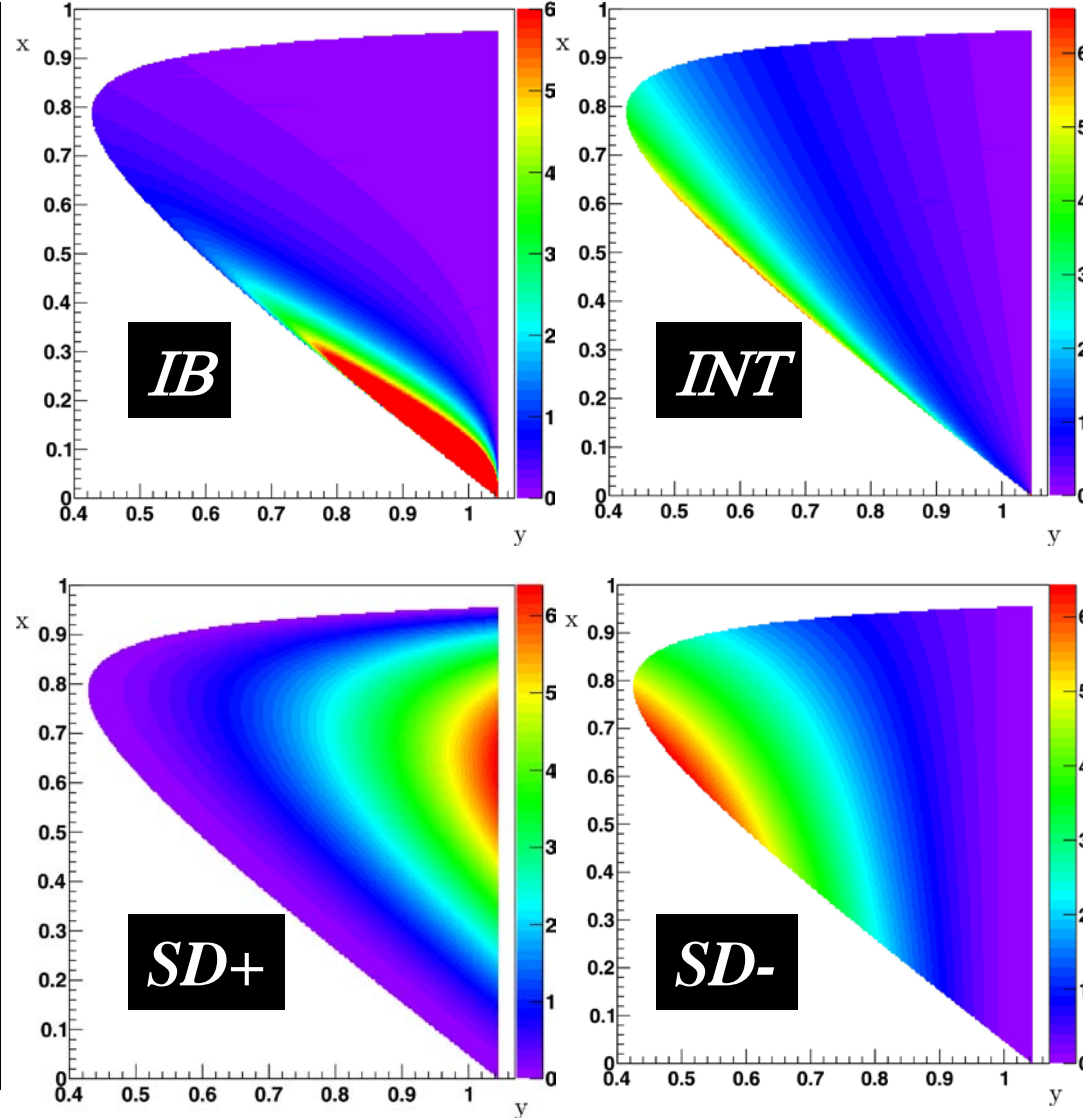
$$r = \left[ \frac{M_l}{M_K} \right]^2,$$

$$A_{IB} = \Gamma(K_{l2}) \frac{\alpha}{2\pi} \frac{1}{(1-r)^2},$$

$$A_{SD} = \Gamma(K_{l2}) \frac{\alpha}{8\pi} \frac{1}{r(1-r)^2} \left[ \frac{M_K}{F_K} \right]^2,$$

$$A_{INT} = \Gamma(K_{l2}) \frac{\alpha}{2\pi} \frac{1}{(1-r)^2} \frac{M_K}{F_K}.$$

$$x \equiv \frac{2E_\gamma}{M_K} \quad \text{and} \quad y \equiv \frac{2(E_l + M_l)}{M_K}$$



# CsI(T1) data

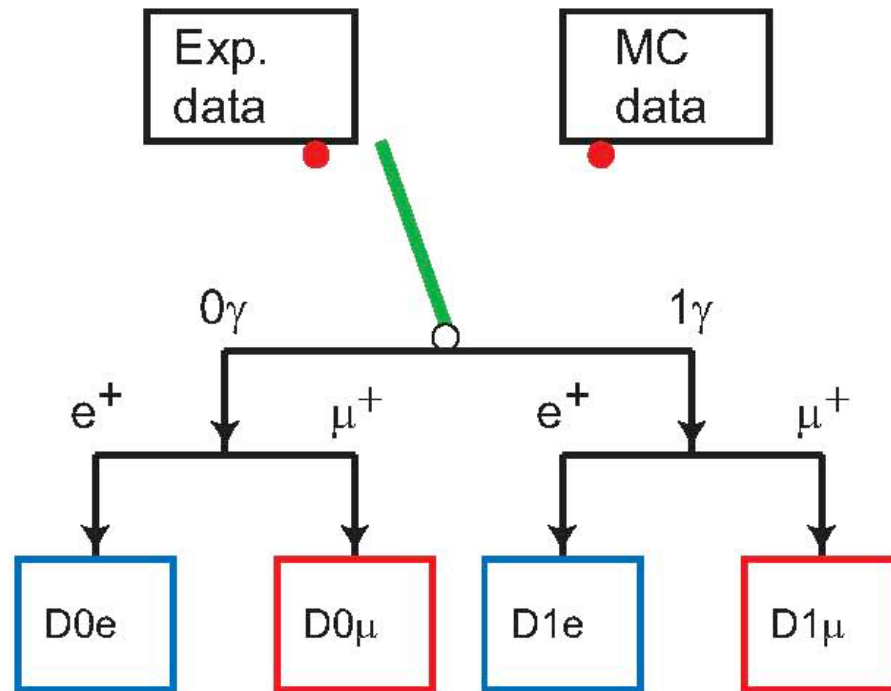
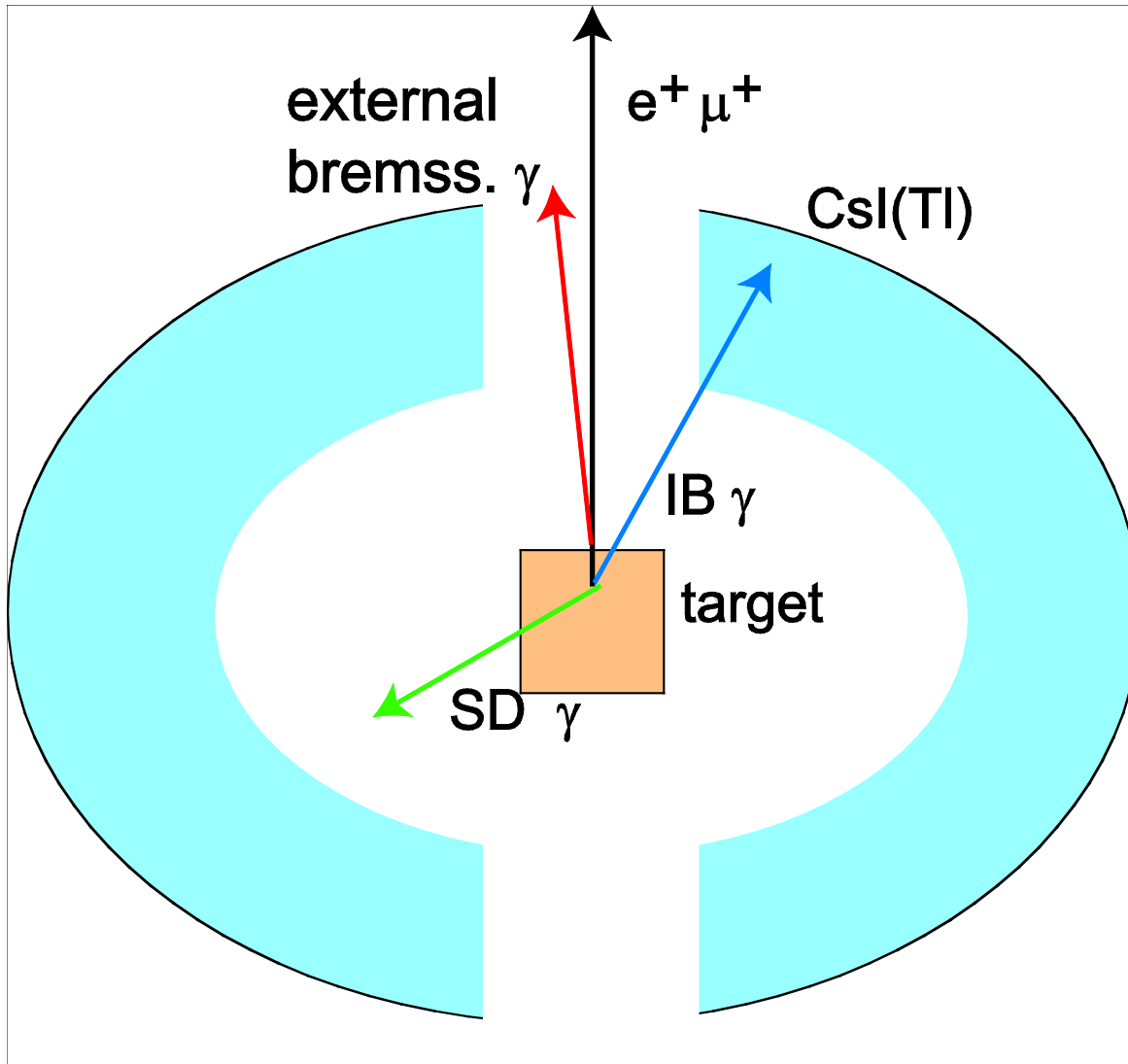


Figure 16: Flow chart for the data handling. The experimental and simulation data are analyzed by the same program codes. The accepted events after applying the analysis are separated into four categories: no photon detection (D0) for  $e^+$  (D0e) and  $\mu^+$  (D0 $\mu$ ), and one photon detection (D1) for  $e^+$  (D1e) and  $\mu^+$  (D1 $\mu$ ).

# Photon detection



	D0	D1
<b>EB</b>	O	×
<b>IB</b>	O	$\Delta$
<b>SD</b>	$\Delta$	O

# Overview of the analysis

## Number of accepted events

$$\tilde{N}(K_{e2}) = N(K_{e2}) + N(K_{e2\gamma})$$

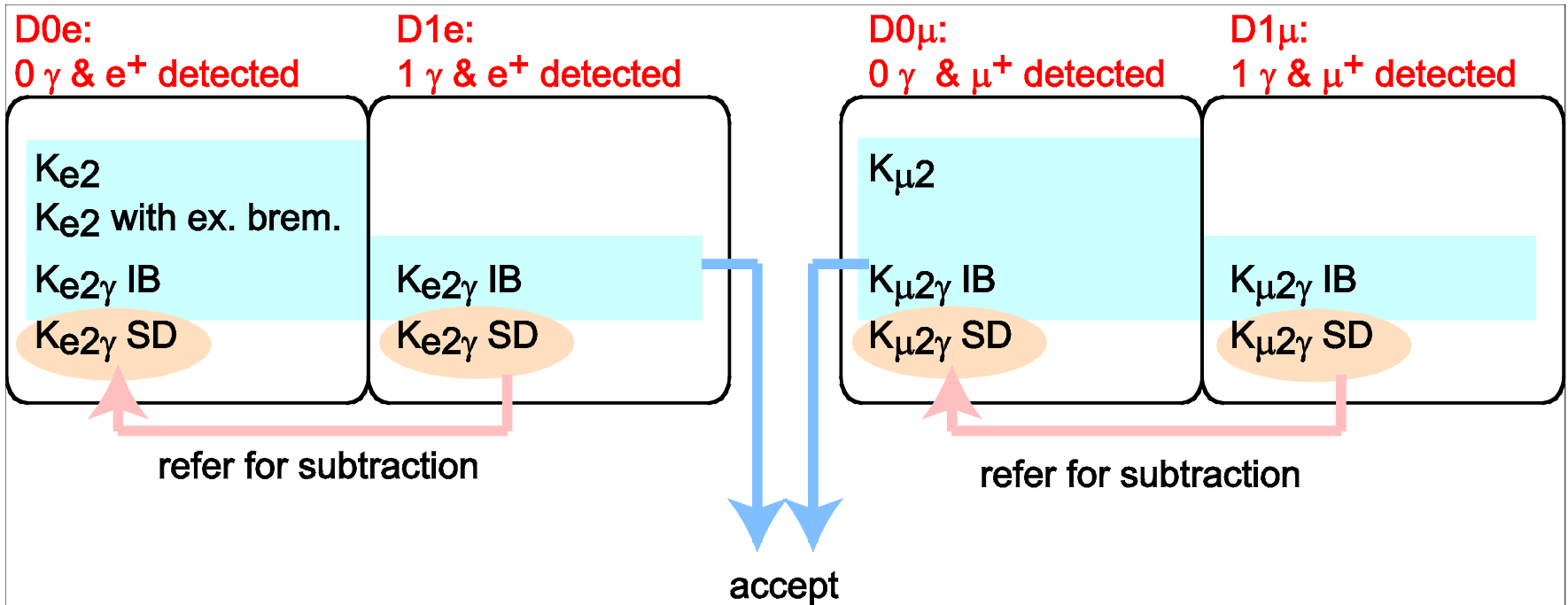
$$\tilde{N}(K_{\mu2}) = N(K_{\mu2}) + N(K_{\mu2\gamma})$$

$$N(K_{e2}) = N_K \times \Omega(K_{e2}) \times Br(K_{e2}),$$

$$N(K_{\mu2}) = N_K \times \Omega(K_{\mu2}) \times Br(K_{\mu2}).$$

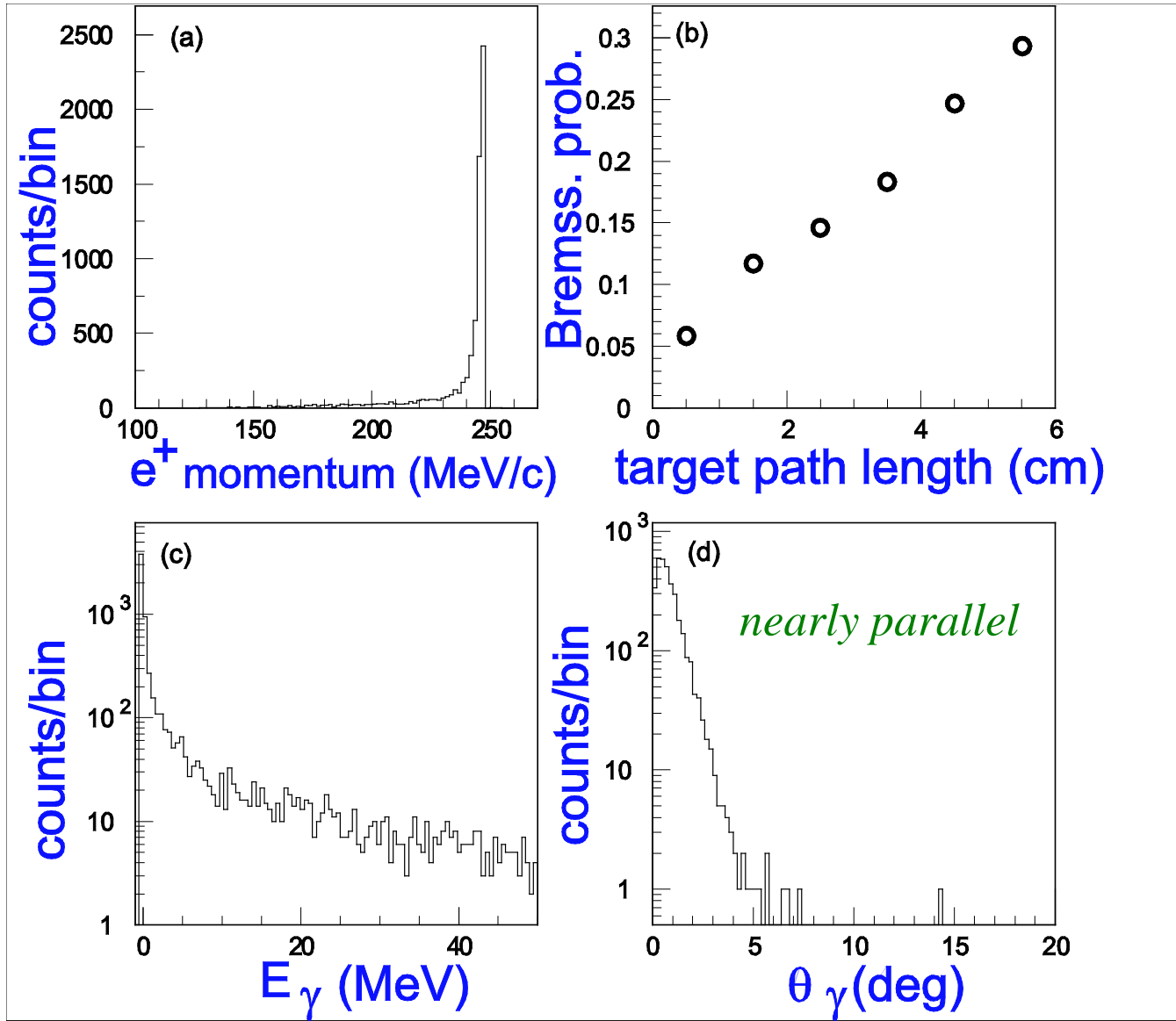
$$\Gamma(K_{e2})/\Gamma(K_{\mu2}) = \frac{N(K_{e2})}{N(K_{\mu2})} \cdot \frac{\Omega(K_{\mu2})}{\Omega(K_{e2})}.$$

$$= N(K_{e2})/N(K_{\mu2}) \cdot N(K_{\mu2})^{\text{MC}}/N(K_{e2})^{\text{MC}}$$

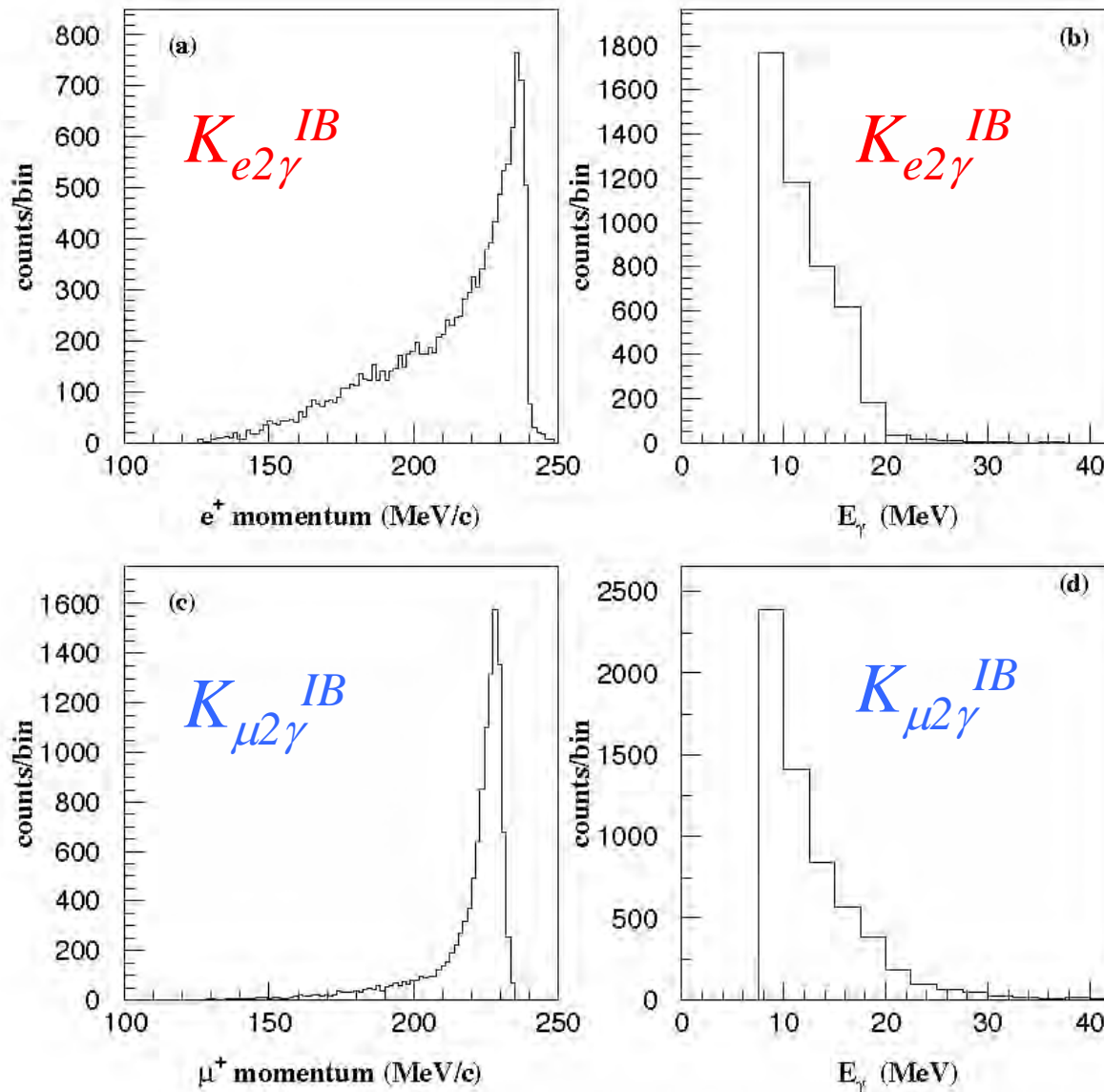


# $K_{e2}$ spectra in D0

*Emission of external bremsstrahlung photon*

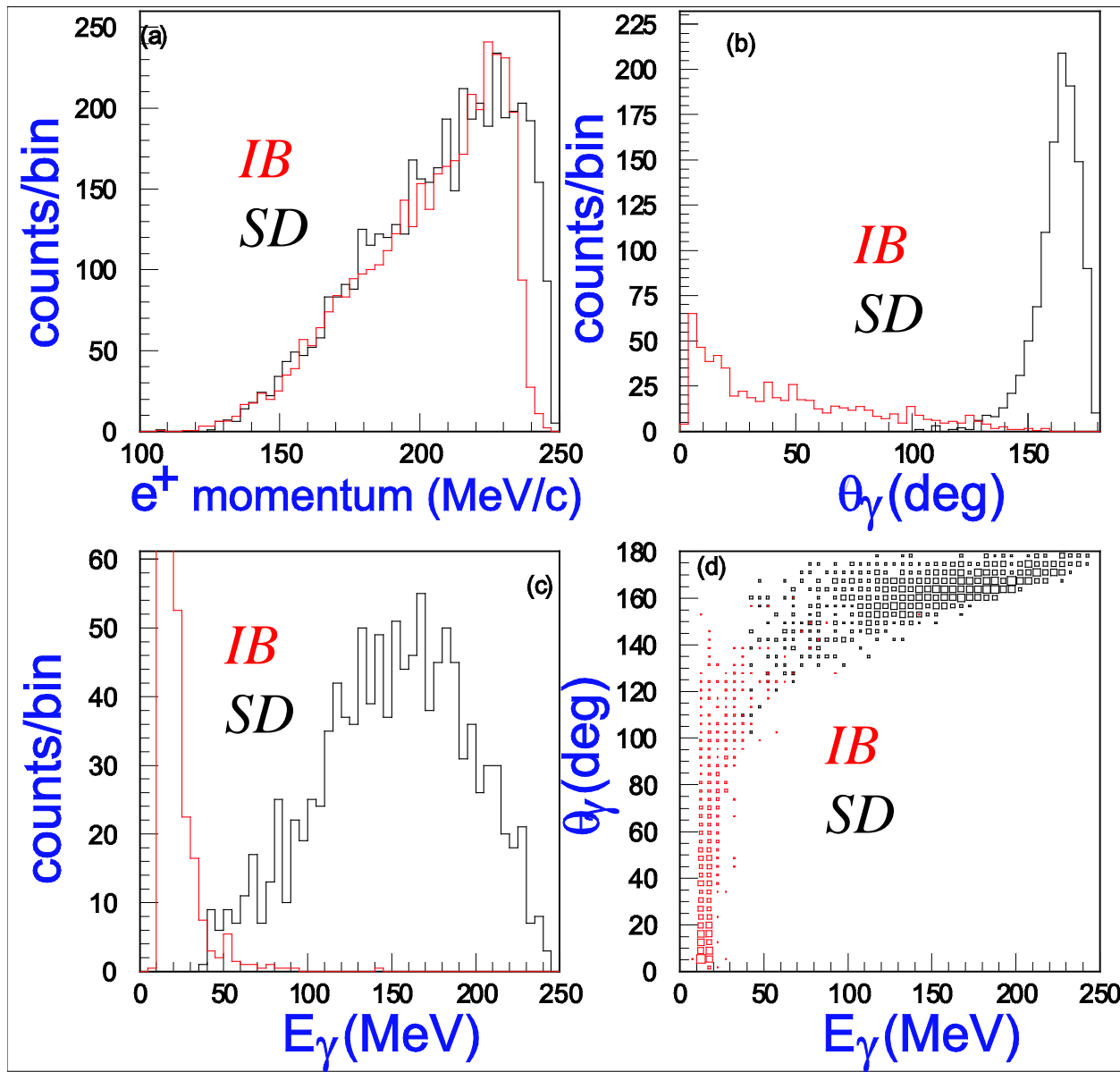


# $K_{e2\gamma}^{IB}$ and $K_{\mu2\gamma}^{IB}$ in D0

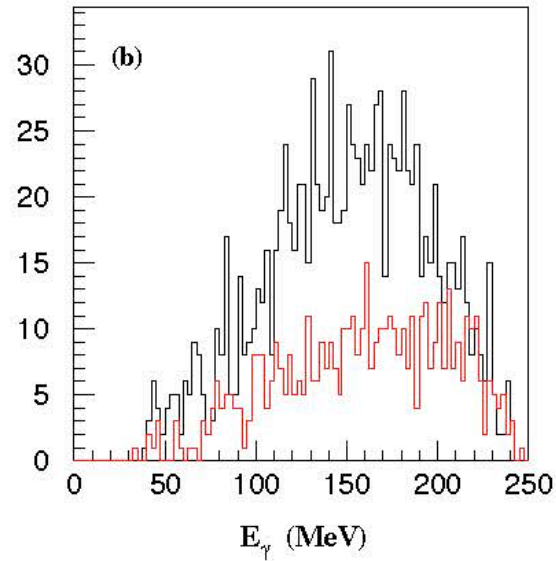
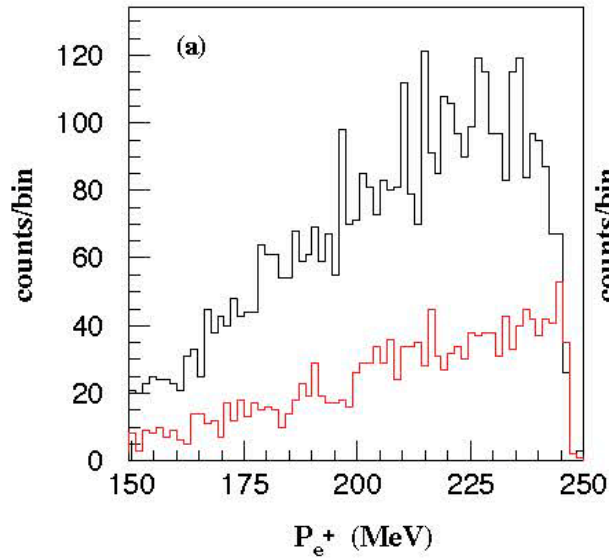




# $K_{e2\gamma}^{IB}$ (red) and $K_{e2\gamma}^{SD}$ (black) in D1

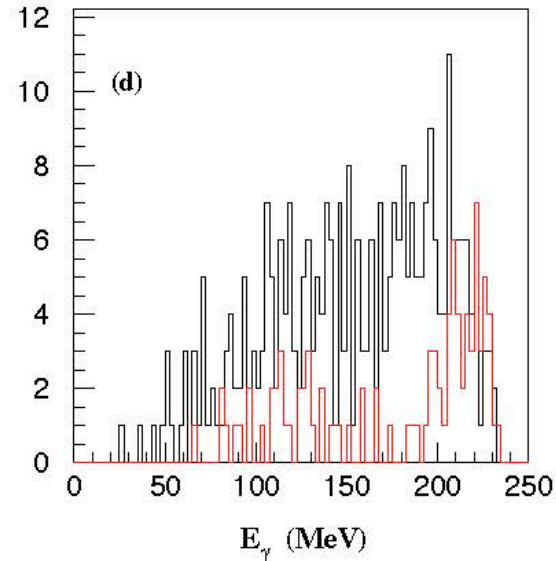
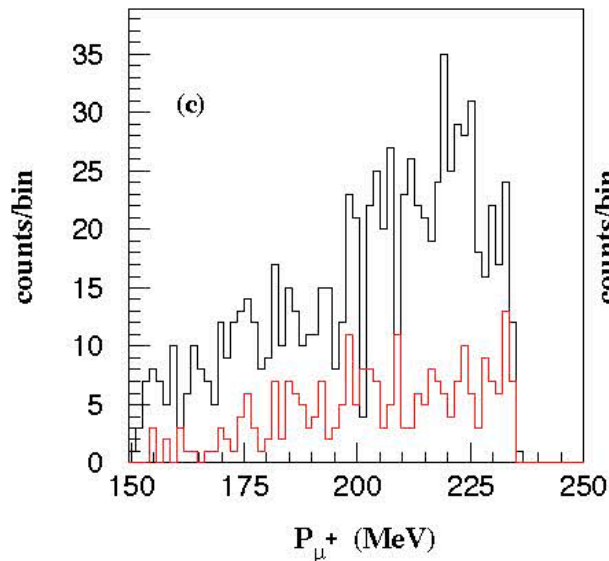


# SD components



←  $Ke2\gamma$

Red : D0  
Black: D1



←  $K\mu2\gamma$

# 較正実験と系統誤差

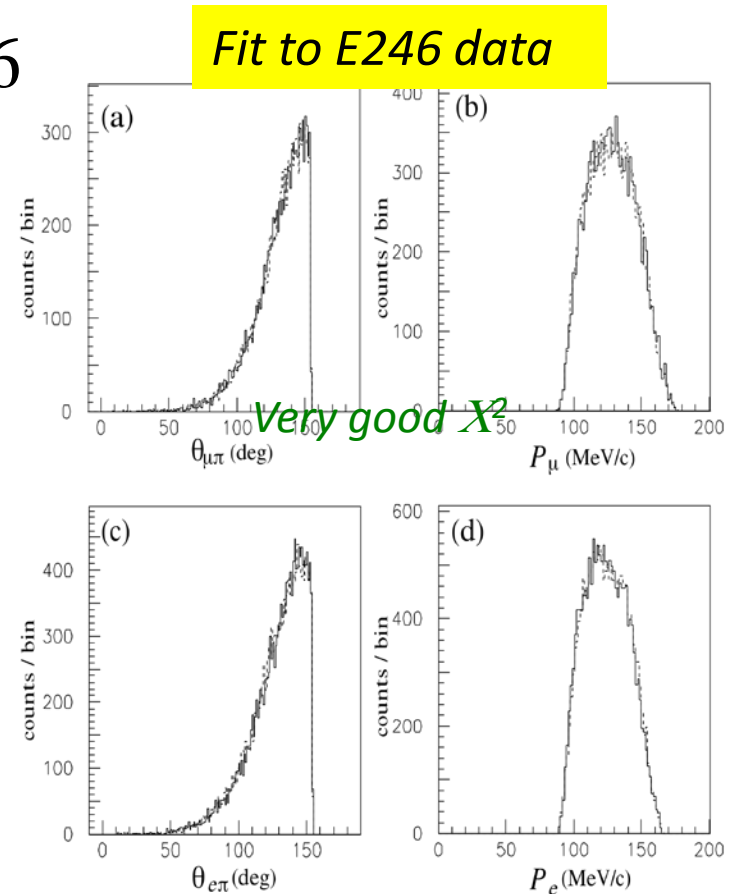
# Estimate of $\Omega(K_{e2})/\Omega(K_{\mu2})$ ratio

- $\delta R_K/R_K = \delta Q/Q + \dots$  [ $Q = \Omega(K_{e2})/\Omega(K_{\mu2})$ ]
- Most essential source of the systematic error
- Detection of  $K_{12(\gamma)}$ 
  - (A) Momentum spectrum (spectrometer)
  - (B) PID (Aerogel Cherenkov + TOF + Lead glass counter)
  - (C)  $\gamma$  detection (CsI(Tl) for radiative decays)
- (A) is most difficult to estimate. Error comes from:
  - Different momentum of  $K_{e2}/K_{\mu2}$  (247/236 MeV/c)
  - Different interactions in the target material
- Estimate of  $Q$  also by using data desirable

# Q estimate by a MC simulation

$$Q = \frac{N_{MC}^{accpt}(K_{e2} : B = 1.4T)}{N_{K_{e2}}^{decay}} / \frac{N_{MC}^{accpt}(K_{\mu 2} : B = 1.4T)}{N_{K_{\mu 2}}^{decay}}$$

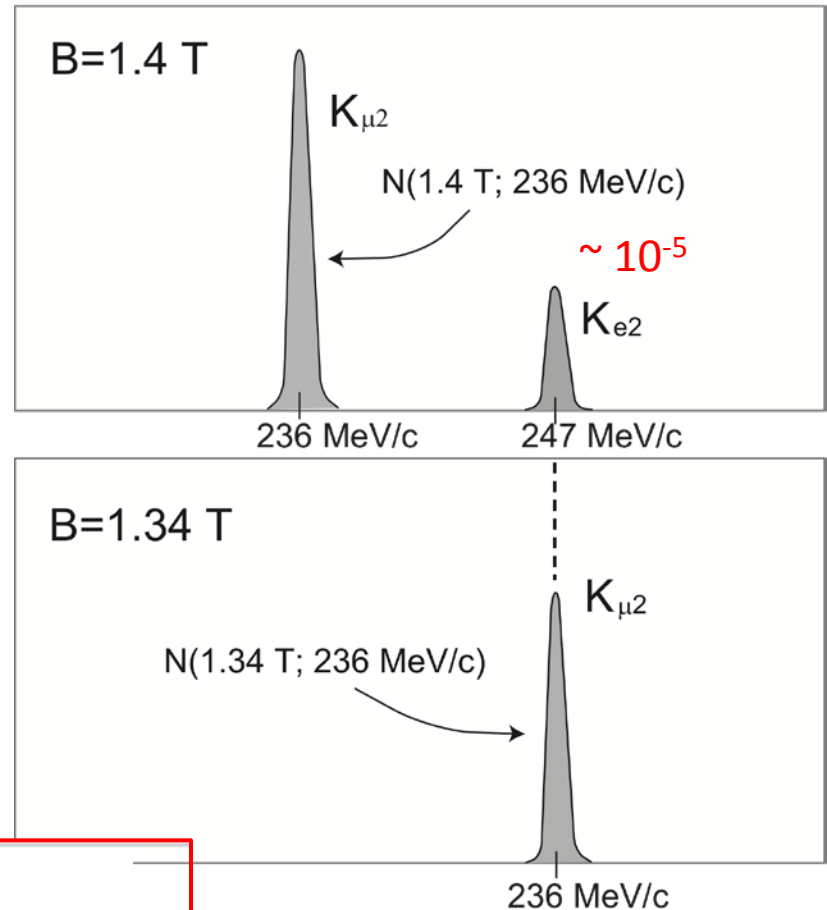
- Use of the MC code used in E246
- Precise geometry input needed
- Physics input:  $K^+$  distribution
- Checked by using data
- 100 times more events in P36 than in E246
- However, the result has to be checked by using data



# Use of $K_{\mu 2}$ peak

- Calibration run with reduced field to realize the same trajectory distribution

- $n$  : beam normalization between two runs
- $\beta$  : magnetic field effect
  - Precise field calculation, and
  - Tracking simulation needed



$$Q = \frac{N(K_{\mu 2}; B = 1.34 \text{ T})}{N(K_{\mu 2}; B = 1.4 \text{ T})} \times \beta \times n,$$

- Error arises from the uncertainty of corrections,  $n$  and  $\beta$

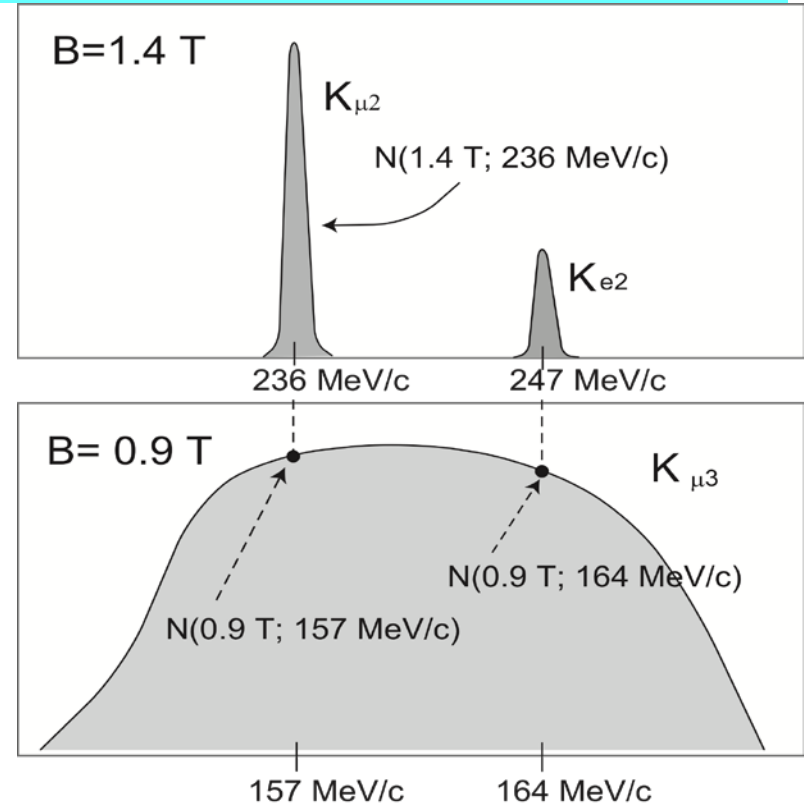
# Use of $K_{\mu 3}$ spectrum

- Use of wide  $p$  spectrum
- Calibration run with reduced field of 0.9 T  
 $164 \text{ MeV}/c : 247 \text{ MeV}/c \text{ Ke}_2$   
 $157 \text{ MeV}/c : 236 \text{ MeV}/c \text{ K}_{\mu 2}$

$\alpha$  : spectral ratio

$\beta$  : magnetic field effect

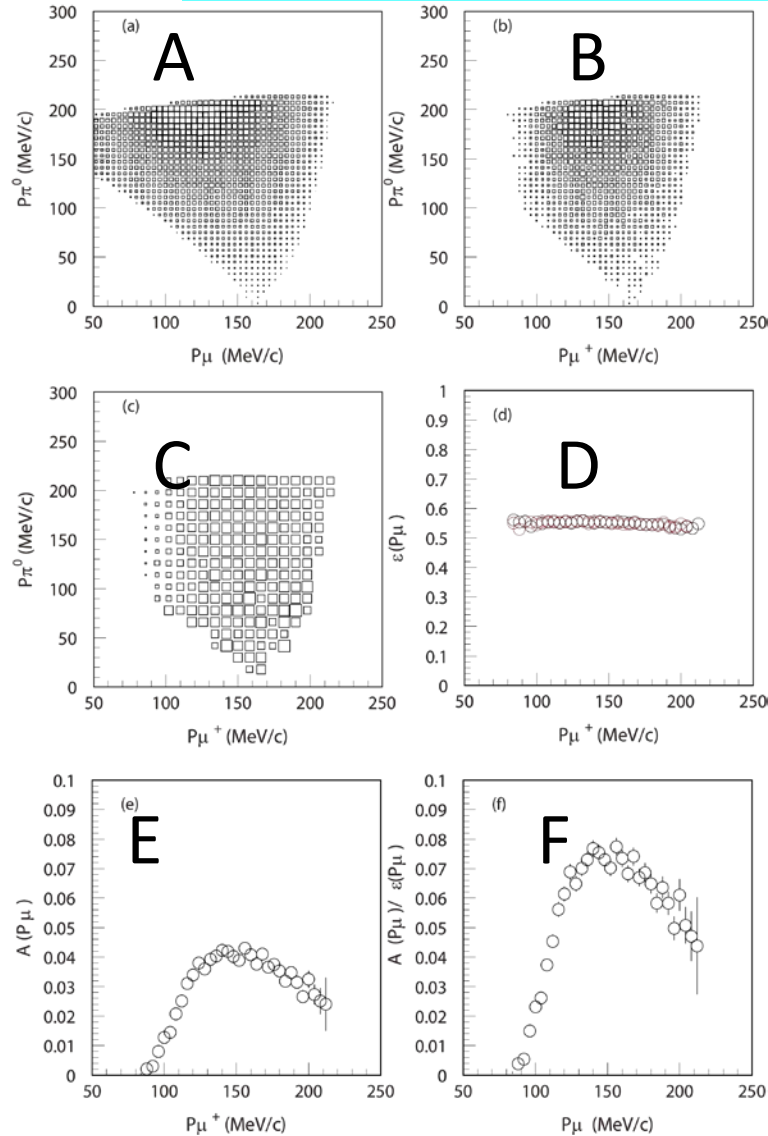
$\gamma$  : CsI(Tl) efficiency effect



$$Q = \frac{N(K_{\mu 3}; B = 0.9 \text{ T}; 164 \text{ MeV}/c)}{N(K_{\mu 3}; B = 0.9 \text{ T}; 157 \text{ MeV}/c)} \times \alpha \times \beta' \times \gamma.$$

- One calibration run: no necessity of beam normalization
- Most promising method

# $K_{\mu 3}$ method with E246 data



- Validity check with E246 data at reduced magnetic field of 0.9 T

- A. MC Dalitz plot of  $K_{\mu 3}$
- B. Experimental Dalitz plot
- C. Acceptance plot :  $B/A$
- D. CsI(Tl) efficiency curve
- E. Projection of C onto  $p_{\mu}$
- F. Spectrometer acceptance curve

$$F = E/D$$

$$Q = F(164 \text{ MeV}/c) / F(157 \text{ MeV}/c)$$

- Main error comes from

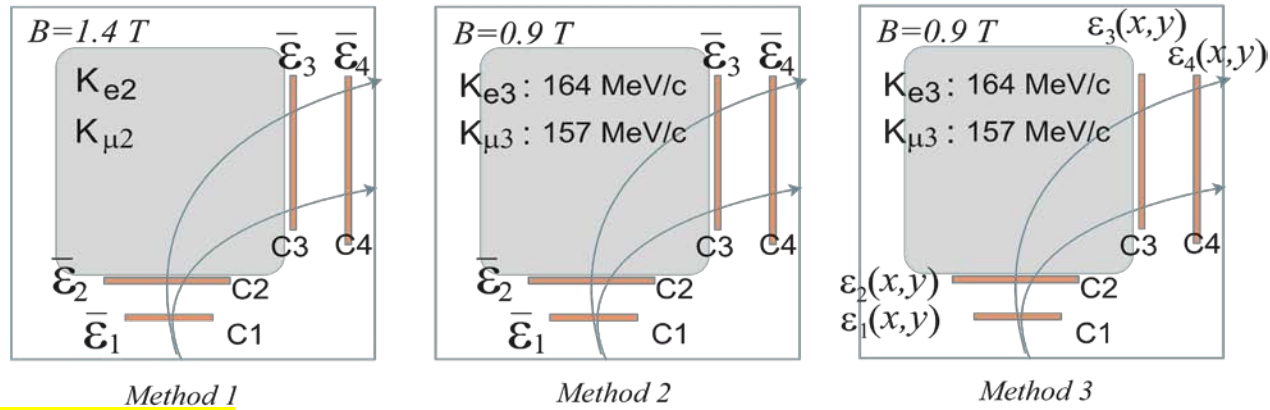
  1. Ambiguity of the FF in the A and D
  2. Energy loss correction in the target

$$\delta R_K / R_K = 0.00078 : \text{same for P36}$$



# Chamber efficiency

- Efficiency calibration by means of “Sandwich Method”
- Use of real data or calibration run data



## Average efficiency

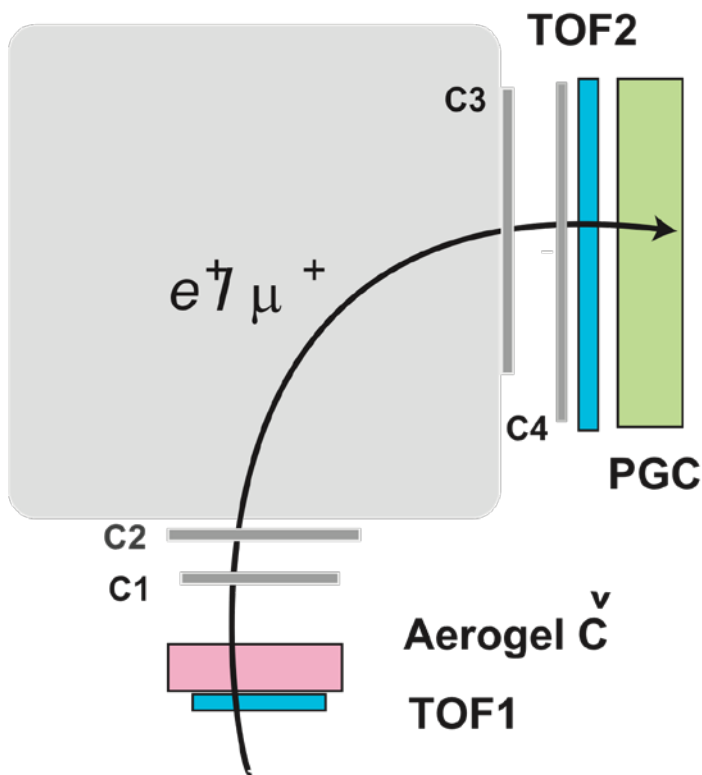
$$\bar{\epsilon}_3 = \frac{N(C1 \otimes C2 \otimes C3 \otimes C4)}{N(C1 \otimes C2 \otimes C4)}$$

## Position dependent efficiency

$$\epsilon_3(x3, y3) = \frac{n(C1 \otimes C2 \otimes C3 \otimes C4)}{n(C1 \otimes C2 \otimes C4)}$$

Method	Mode@field	Time	$\epsilon$ or $\bar{\epsilon}$	$\Delta R_K/R_K$
1 average $\bar{\epsilon}$	$K_{e2}/K_{\mu2}$ @ 1.4 T	total run	0.98	$5.6 \times 10^{-3}$
			0.99	$4.0 \times 10^{-4}$
			0.995	$2.8 \times 10^{-4}$
2 average $\bar{\epsilon}$	$K_{e3}/K_{\mu3}$ @ 0.9 T	3 days	0.98	$8.0 \times 10^{-4}$
			0.99	$5.7 \times 10^{-4}$
			0.995	$4.1 \times 10^{-4}$
3 $\bar{\epsilon}(x, y)$	$K_{e3}/K_{\mu3}$ @ 0.9 T	5 days	0.995	$10 \times 10^{-4}$

# PID performance



- Particle identification by
  - a) TOF
  - b) Aerogel Cherenkov (AC)
  - c) Lead Glass (PGC)
- Efficiency calibration with the “sandwich method” using real  $K_{e2}$  data.

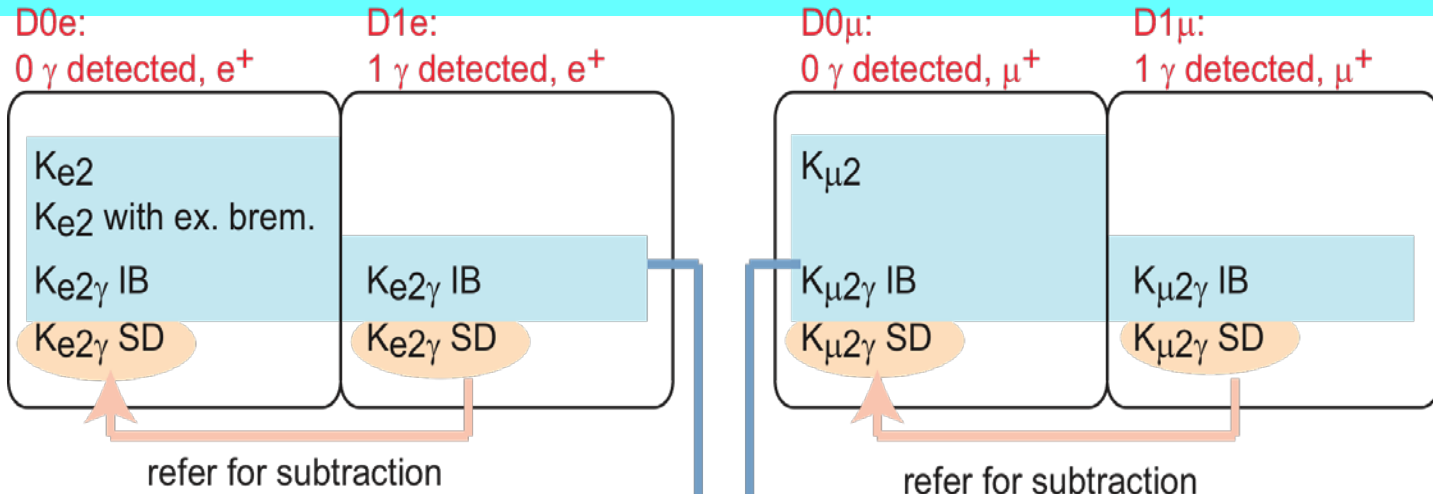
Element for check	Tracking elements	PID
AC	C1, C2, C3, C4	TOF $\otimes$ PGC
TOF	C1, C2, C3, C4	AC $\otimes$ PGC
PGC	C1, C2, C3, C4	TOF $\otimes$ AC

- $K_{e2}$  statistics limits the accuracy of PID efficiency to

$$\delta R_K / R_K = 0.00035$$

- We may also use  $K_{e3}$  events at reduced field

# Subtraction of structure dependent $K_{l2\gamma}$

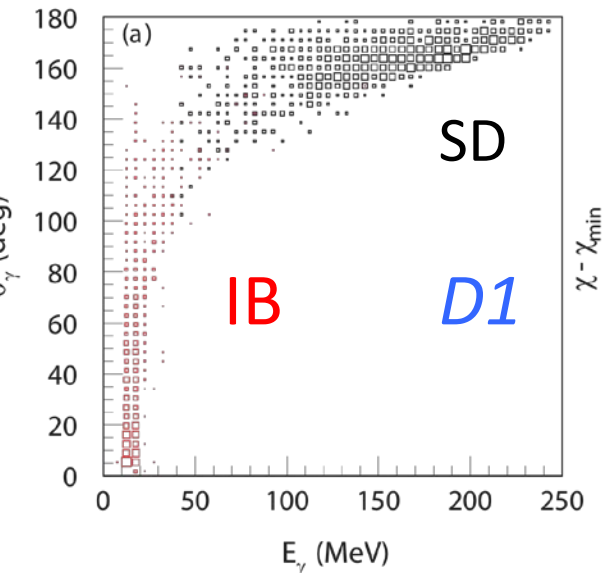


- $K_{e2\gamma} = \text{IB} + \text{SD}$  : SD is a BG to be subtracted

Relevant mainly to  $K_{e2\gamma}$

- How to subtract SD

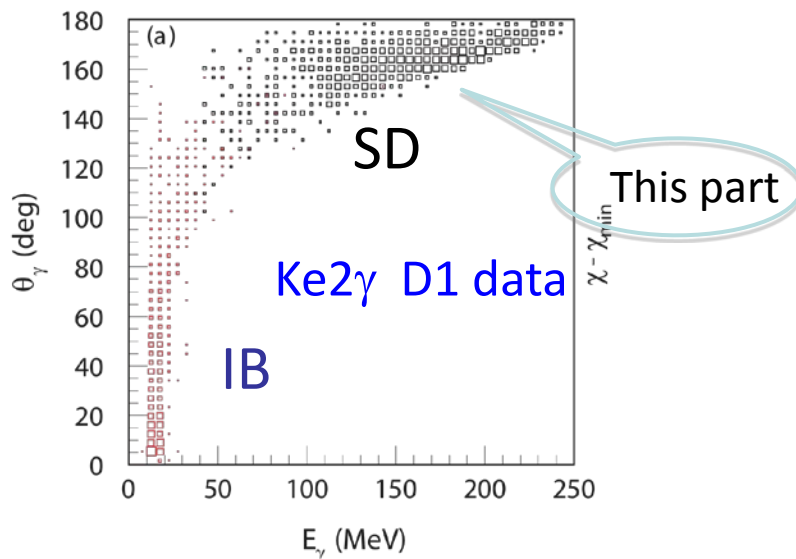
1. IB and SD : good separation in D1
2. SD form factor determination in D1
3. calculation of D0-SD using this FF
4. determination of D0-IB



$$\delta R_K / R_K = 0.00036$$

# SD subtraction - CsI(Tl) efficiency -

- Photon detection uncertainty arise from:
  - Effective solid angle depending on  $\rho(K^+)$
  - Instability of detection threshold  $E_{th}$
  - Clustering efficiency depending on event rate
- Main effect in P36 is the detection efficiency of  $K_{e2\gamma}$  (SD dominated), which is used for the D0-SD subtraction. Other effects are relative harmless.



$$\delta R_K / R_K = 0.0007$$

- Necessity of gain monitoring
- Event rate stability required

# Backgrounds

- Physics backgrounds

- A. In-flight  $\mu^+$  decay

- B. Photon conversion

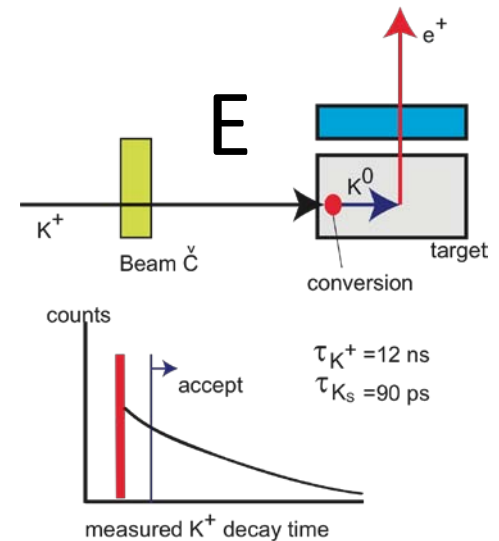
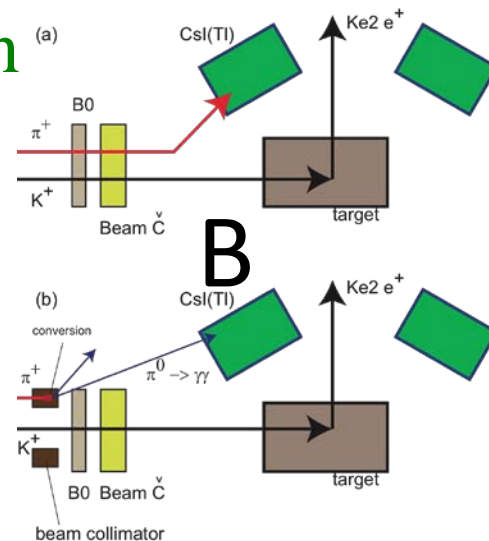
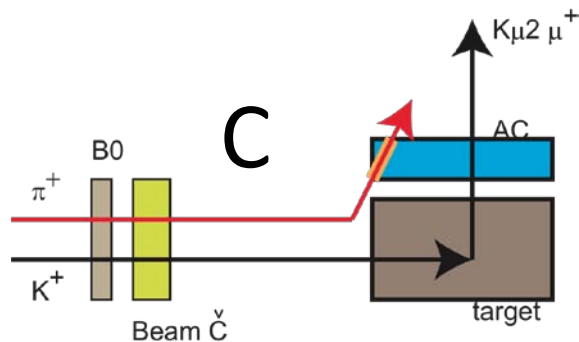
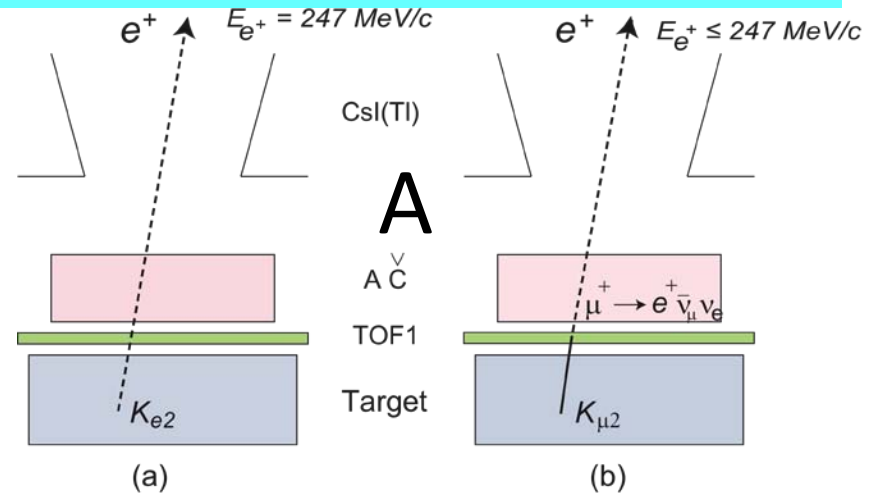
- Beam origin accidentals

- C. Beam hit in CsI(Tl)

- D. Beam hit in AC

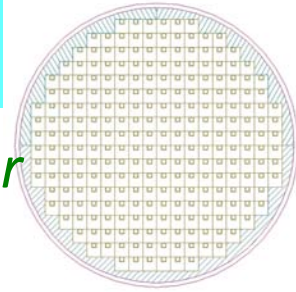
- E.  $K^+$  to  $K^0$  conversion

- F.  $K^+$  in-flight decay



- $\delta R_K / R_K$  in "Summary Table"

# Target interaction

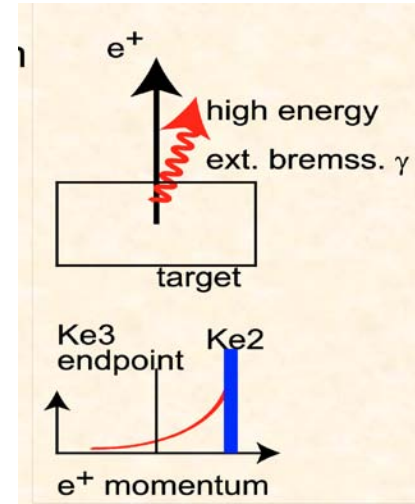


*Uncertainty of  $e^+/\mu^+$  penetration length produces an error*

- Error due to decay vertex resolution

Interaction	Probability uncertainty
Bremsstrahlung for positrons	0.038%
Annihilation for positrons	$\leq 0.010\%$
Photon conversion for both decays	0.010%
Total	0.041 %

$$\delta R_K / R_K = 0.00041$$



- Error due to material thickness uncertainty

Interaction	Relevant to	Correction error	$\Delta R_K / R_K$
Bremsstrahlung (rejected)	$\tilde{K}_{e2}$	0.003	$2 \times 10^{-4}$
Annihilation in flight	$\tilde{K}_{e2}$	$\ll 10^{-4}$	$\ll 10^{-4}$
Photon conversion	$K_{e2\gamma}, K_{\mu2\gamma}$	$3 \times 10^{-3}$	$\sim 10^{-5}$
Total			$2 \times 10^{-4}$

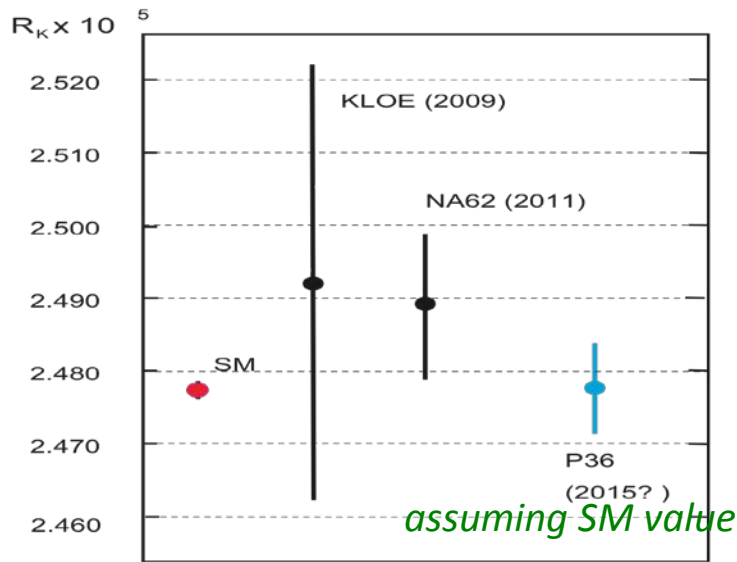
$$\delta R_K / R_K = 0.00020$$

# Summary of systematic errors

Error source	$\Delta R_K/R_K$	Comment	Addendum 1
<b>(1) Detector performance</b>			
Chamber efficiency	0.0004	Method-1	0.00035
PID performance	0.00035	$K_{e2}/K_{\mu2}$ run	0.00035
CsI(Tl) performance	0.0007	Ambiguity of efficiency	—
Trigger and DAQ	small	to be measured	—
<b>(2) Background</b>			
Muon decay in flight	0.00015	Distance to AC	0.00025
Photon conversion	0.0002		0.0002
CsI(Tl) beam hit	0.00018		0.0004
AC beam hit	0.0001		< 0.0001
$K^+$ conversion	0.00003		< 0.0001
<b>(3) Analysis</b>			
Code and cut parameters	small	$\ll 0.001$	—
SD subtraction	0.00036		0.00036
<b>(4) MC simulation</b>			
Acceptance ratio	0.00078	based on E246	—
Magnetic field	small	< 0.0001	—
Input parameters	small	$\ll 0.0001$	—
Kaon stopping distribution	0.00015		—
Target interactions	0.0004		0.0002
Material thickness	0.0002		—
IB theory	small	$\ll 0.001$	—
Total	0.0015		0.0013

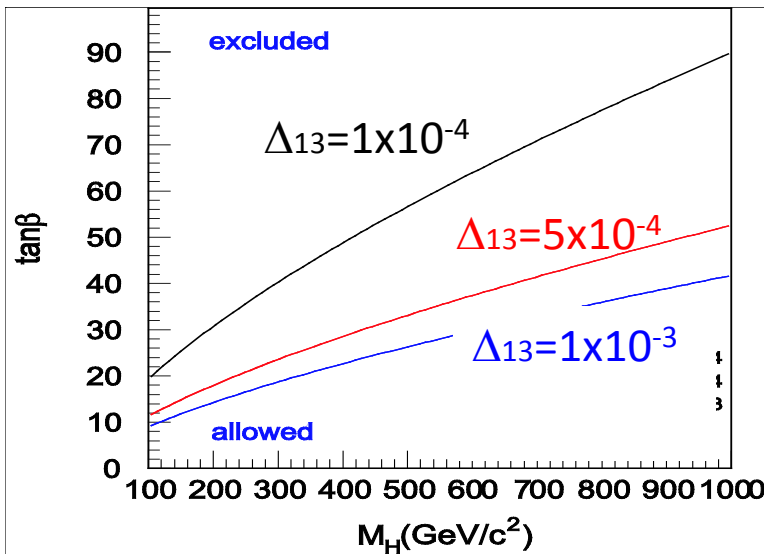
$$\delta R_K/R_K(\text{syst}) = 0.0015 \quad \text{while} \quad \delta R_K/R_K(\text{stat}) = 0.0020$$

# Impact of P36



- A single experiment cannot go beyond its systematic error limit.
- More than two experiments can reduce the systematic limit.
- The combined average with NA62 might be able to indicate a significant deviation from the SM prediction.

Constraint on LFV SYSY (90% C.L.)





# 重いニュートリノの探索

*LUV実験の副産物物理*

# Search for heavy sterile $\nu$ (N) in $K^+ \rightarrow \mu^+ N$

- In the framework of renormalizable extension of the SM, the  $\nu$ MSM, 3 light singlet right-handed  $\nu$  (sterile  $\nu$ ) are introduced.
- The  $\nu$ MSM can simply explain :
  - $\nu$  oscillation
  - Light sterile  $\nu$  play a role of dark matter.
  - Baryon asymmetry can be induced by leptogenesis through  $\nu$  oscillation.

$$L_N = -1/\sqrt{2} f_\alpha L_\alpha (N_2 + N_3) \Phi - M_2 N_2^c N_2 / 2 - M_3 N_3^c N_3 / 2 + h.c.$$

# BR in $\nu$ MSM

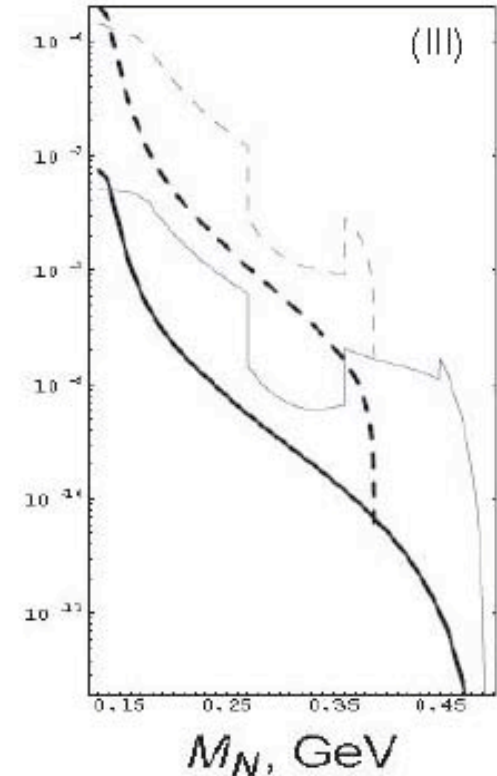
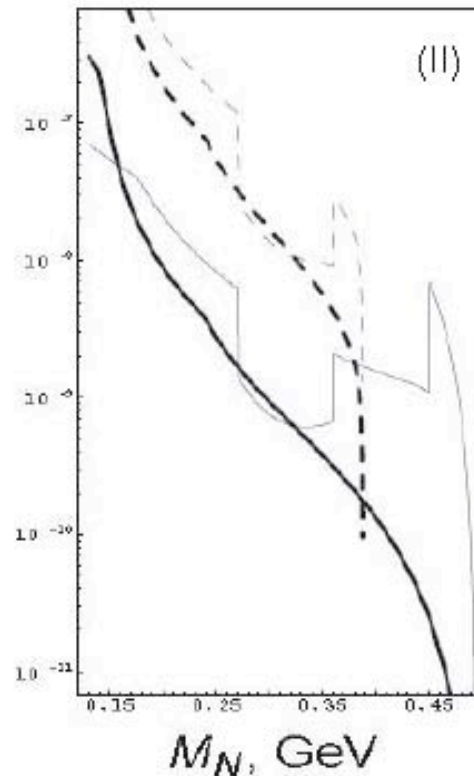
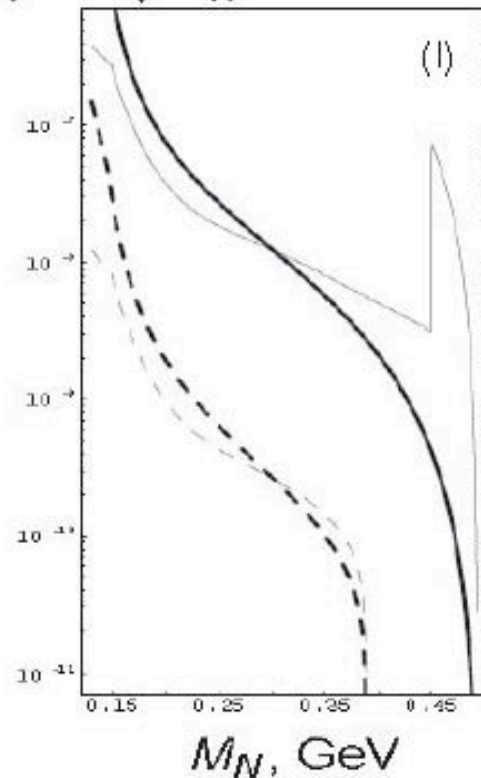
*Gninenko and Gorbunov, hep-ph/0907.4666v1*

Br( $K \rightarrow e N_j$ ) solid lines

Br( $K \rightarrow \mu N_j$ ) dashed lines

Upper limits — thin lines

Lower limits — thick lines



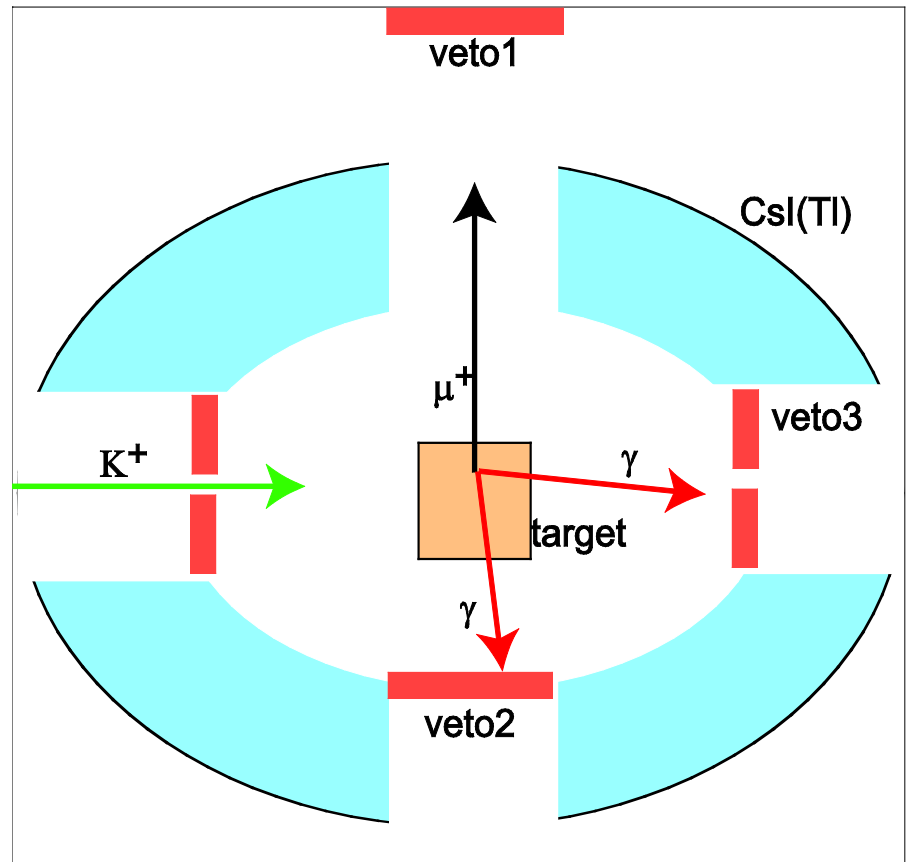
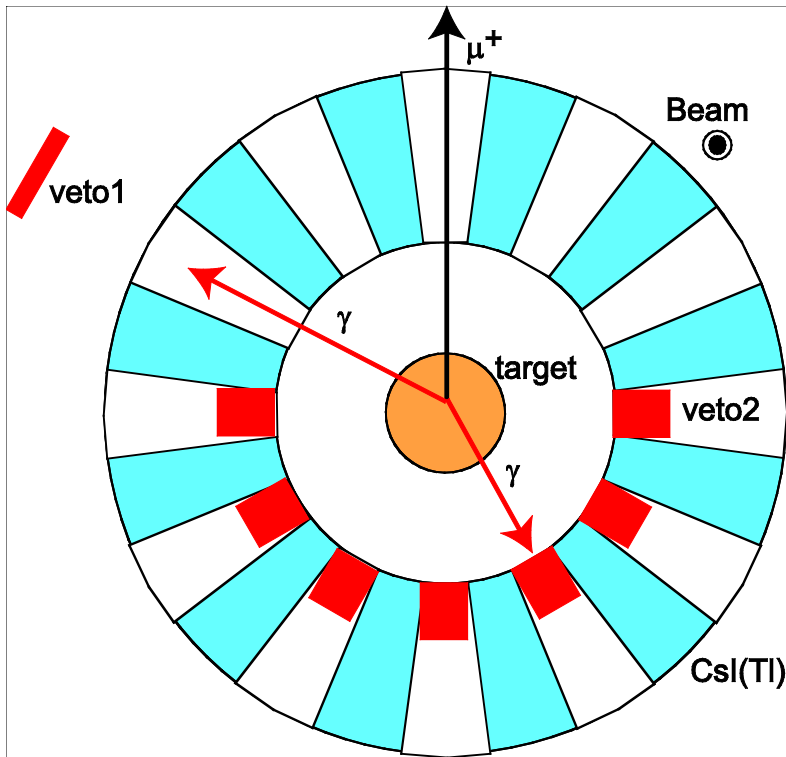
$BR \leq 10^{-6}$  for three “extreme hierarchies” of Yukawa couplings ;  $f_e : f_\mu : f_\tau$

# Experimental method

- Two body decay:  $p$  ( $\mu^+$ ) is monochromatic.
- $\mu^+$  polarization is large.
  - $\mu^+$  are generated through right-handed current.
  - The E246 polarimeter will be put behind C4.
- Two settings of spectrometer field: 0.65 T, 1.4 T.
  - 1.4 T: only veto1 will be used.  
Data will be taken with the  $R_K$  experiment.
  - 0.65 T:  $K_{\mu 3}$  with a 2 photon escape is serious background.  
Veto counters will be installed.

# Photon veto

*In order to suppress the main B.G. of  $K_{\mu 3}$  with two  $\gamma$ 's escaping*



# Experimental sensitivity

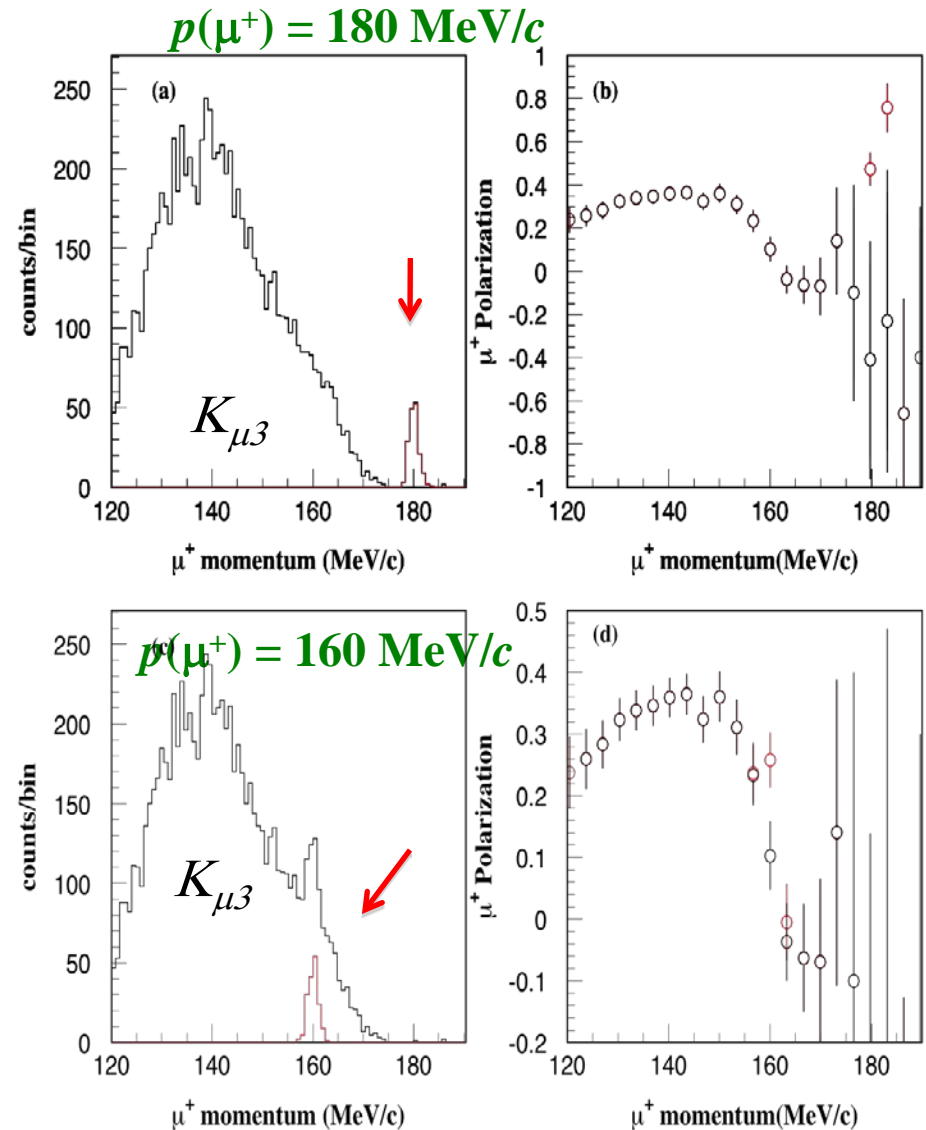
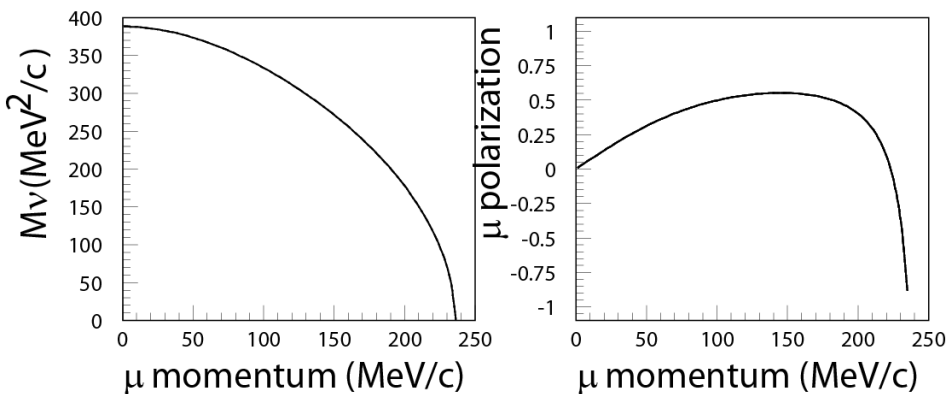
## Assumption

- $\sigma_p = 1 \text{ MeV}/c$
- spectrometer field = 0.65 T
- running time: 30 days

## Sensitivity

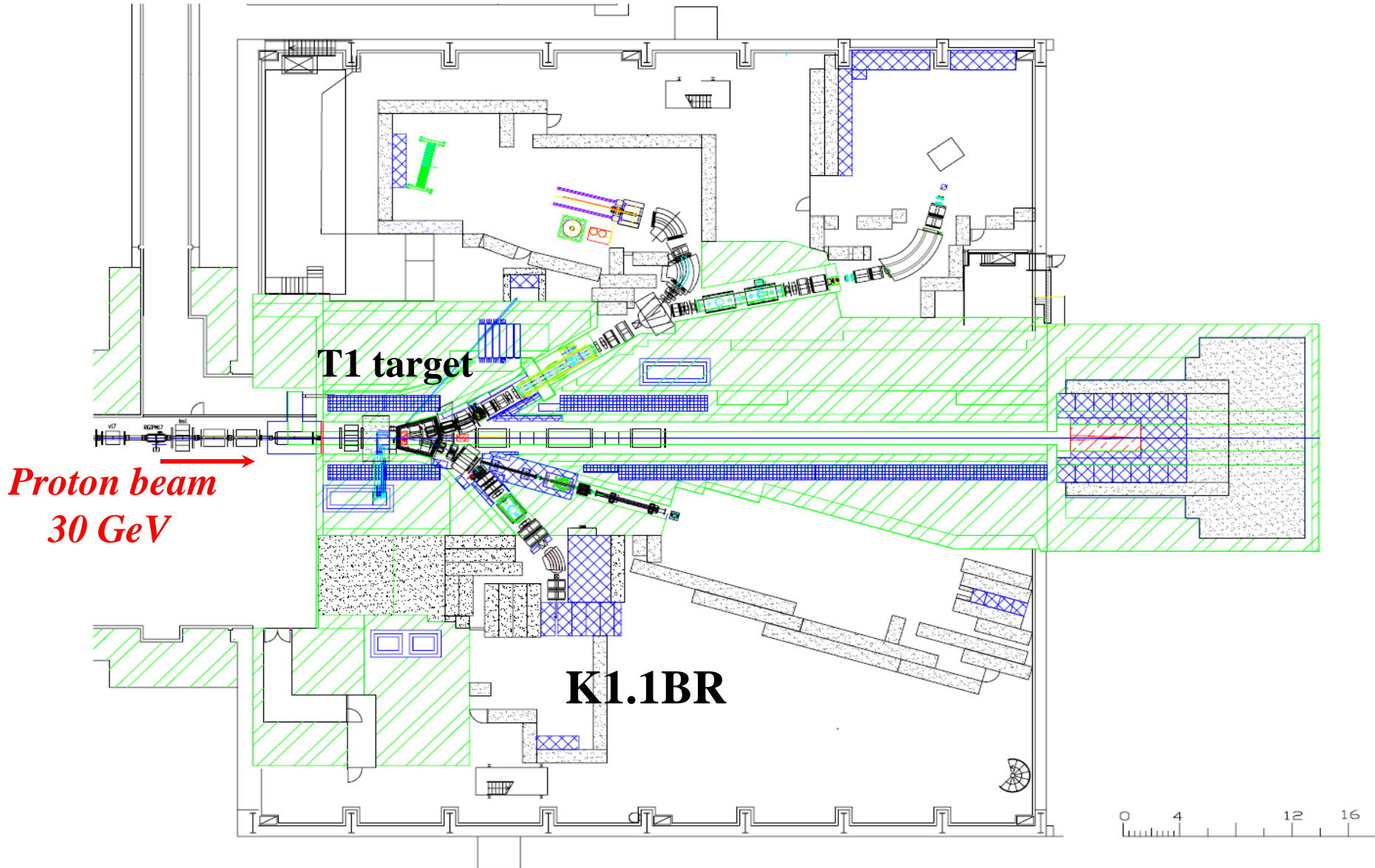
- $BR(K^+ \rightarrow \mu N) \sim 10^{-8}$

***Polarization measurement  
will be effective !***



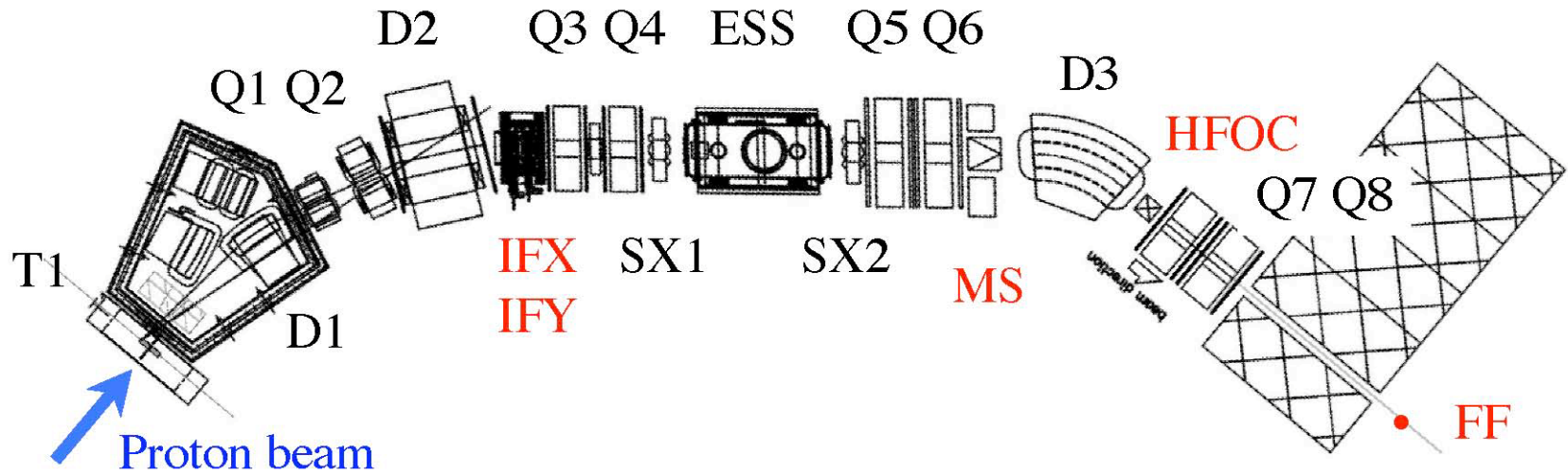
ビームライン

# Hadron Experimental Hall





# K1.1BR beam line



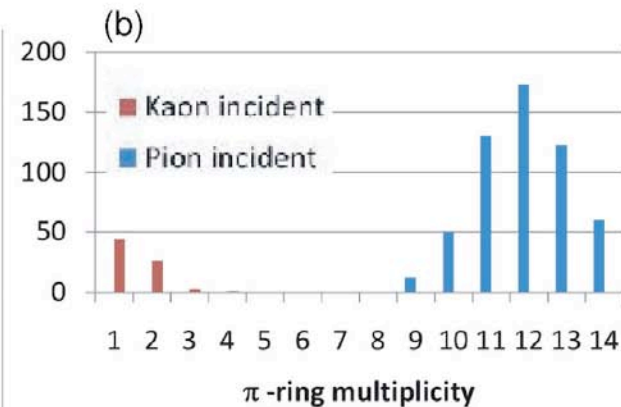
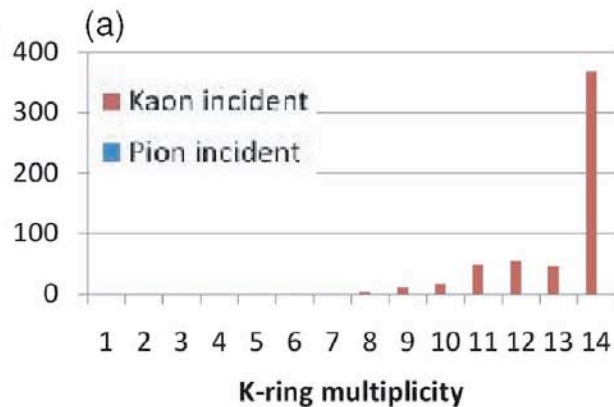
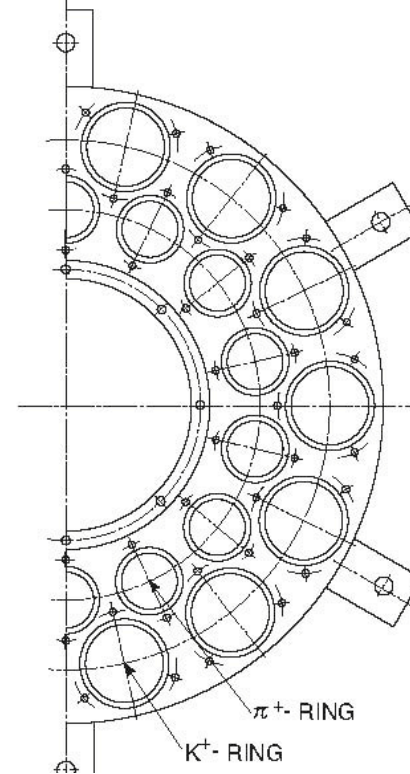
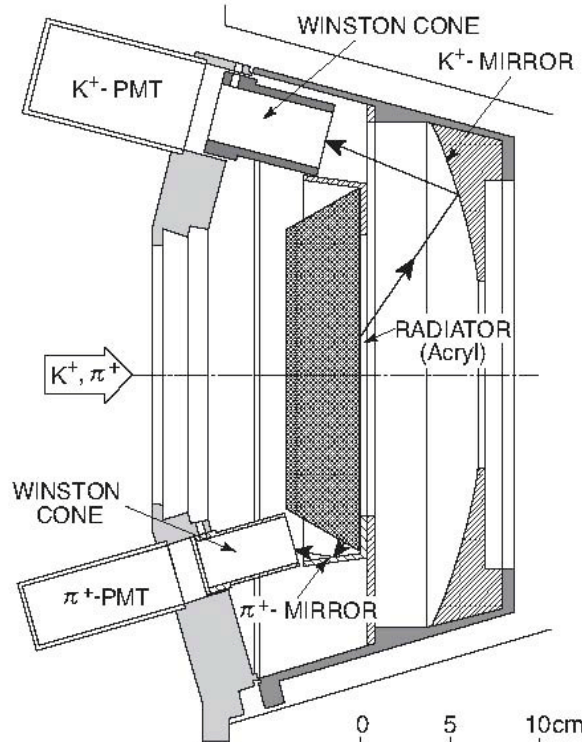

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Operation beam momentum $p$	800 MeV/ $c$
Length of the beam line	20.3 m
$K^+$ intensity at $p$	$2 \times 10^5 / \text{s}$ @30 kW
$K^+ / \pi^+$ ratio at $p$	$\sim 2$
Beam spot size at final focus	1 cm [H], 1 cm[V] in $\sigma$
$R_{16}, R_{26}$	$R_{16} < 0.1 \text{ cm}/\%$ , $R_{26} = 17.6 \text{ mr}/\%$
Acceptance	4.5 msr% ( $\delta p/p$ )
Momentum bite	$\pm 3\%$

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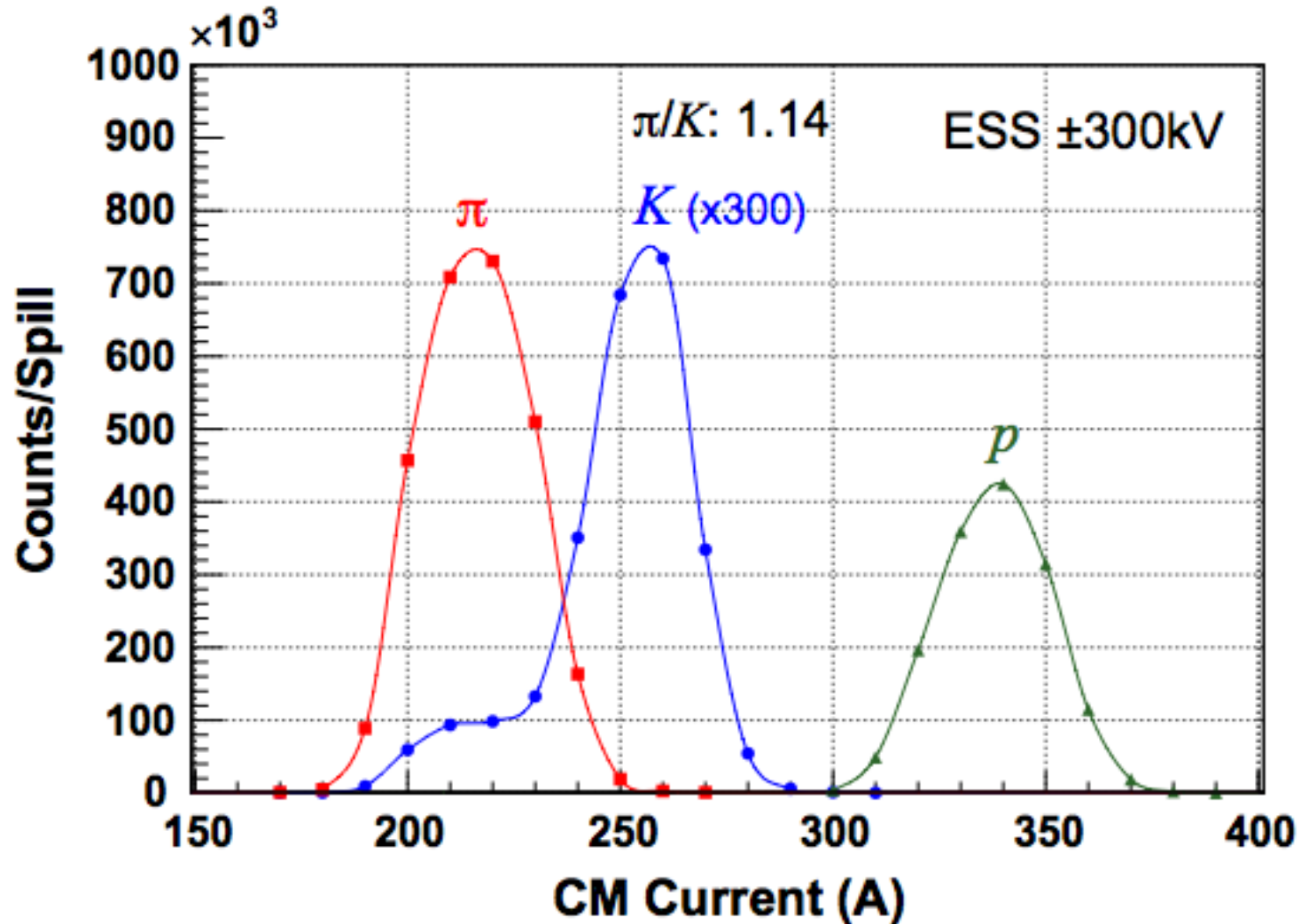
# Beam Cherenkov counter

## *Fitch type differential Cherenkov counter*

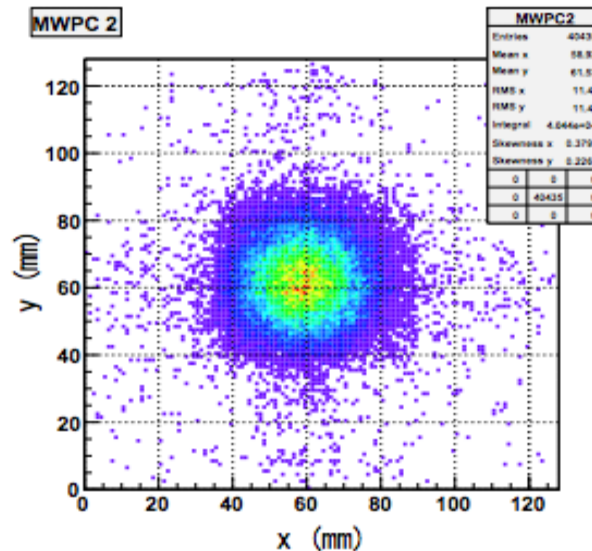
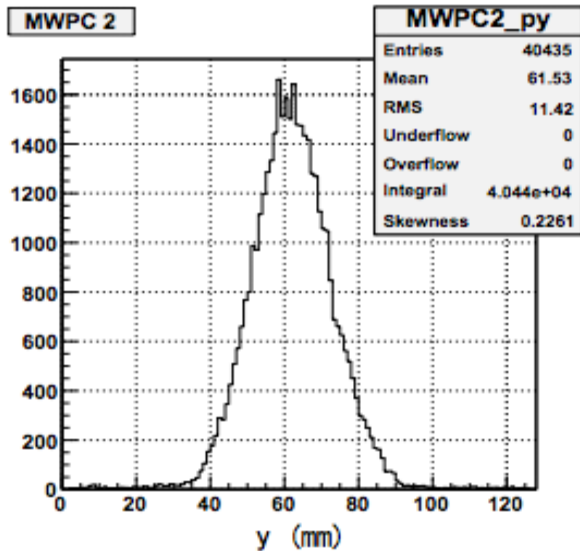
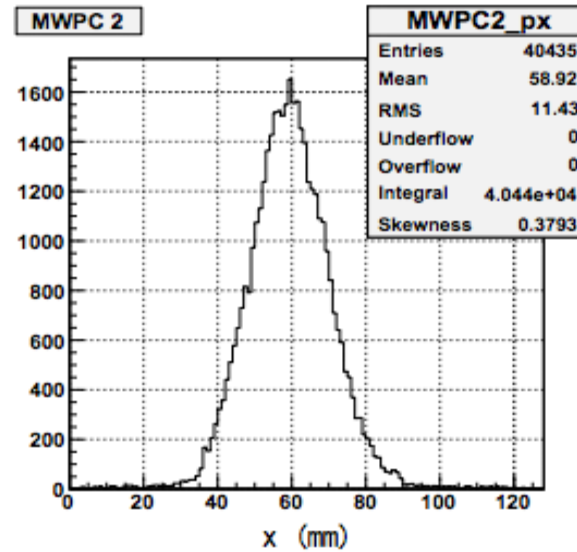
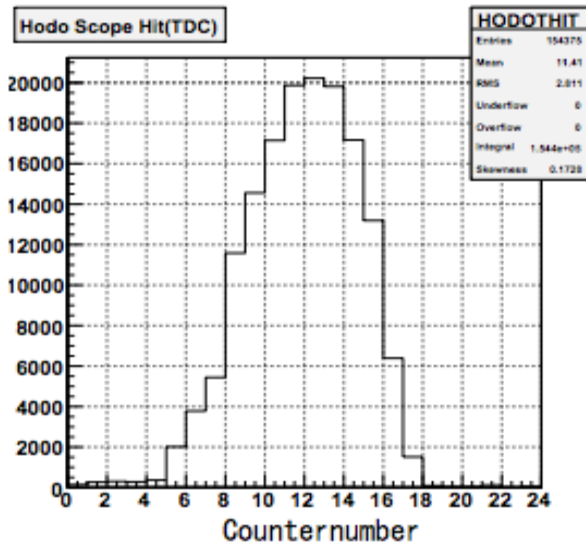


# Kaon separation curve

*Beam tuning in November 2010*

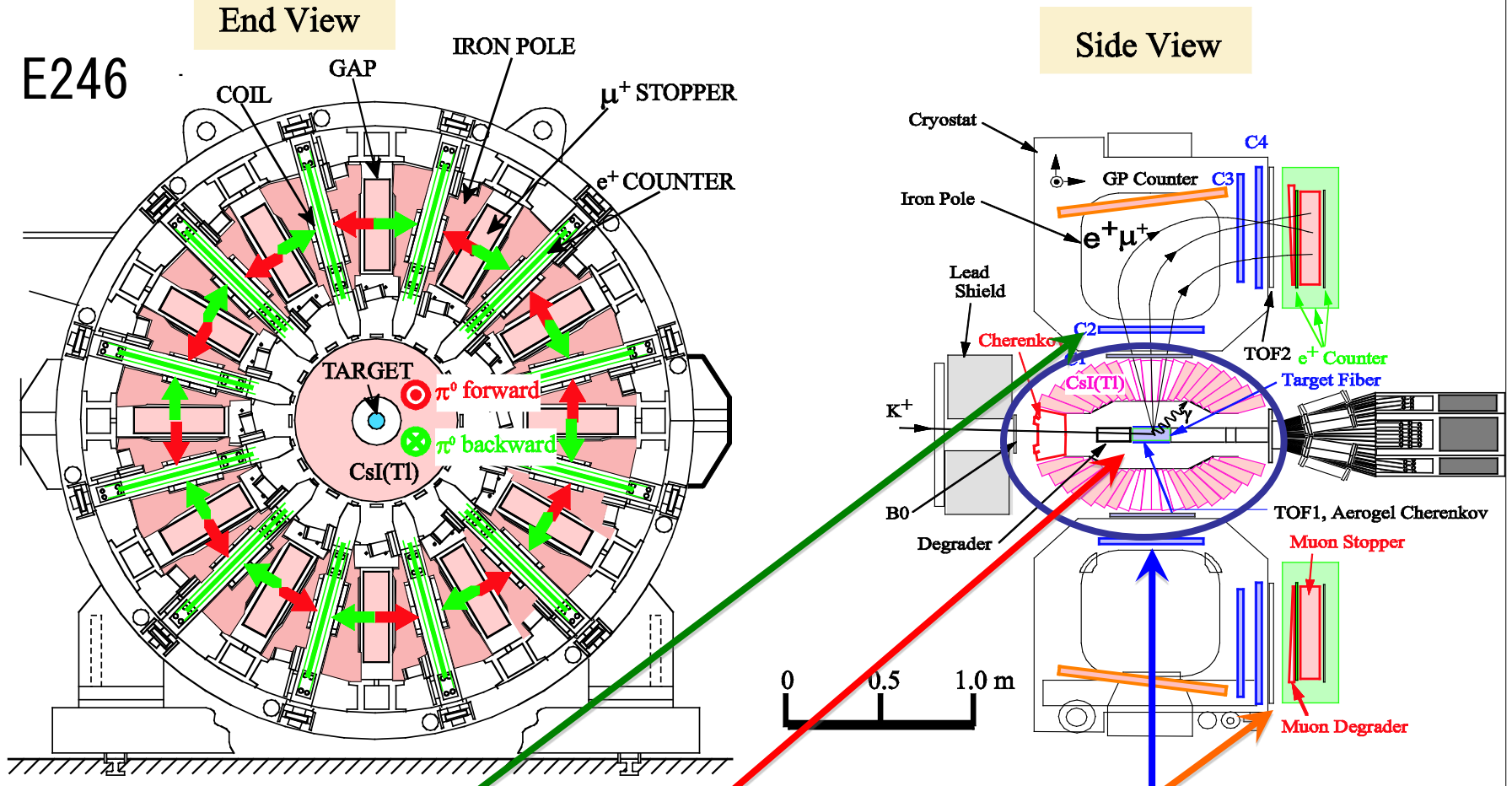


# Kaon beam spot at FF



# Detector R&D

# Detector upgrade



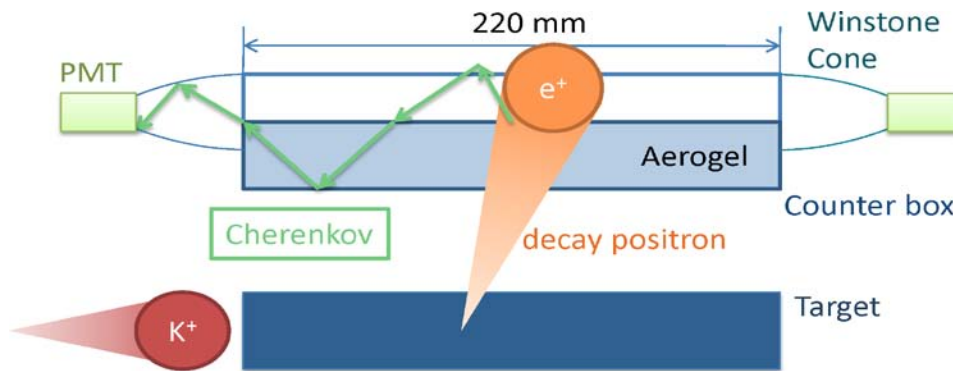
● C1 GEM

● Aerogel Cerenkov

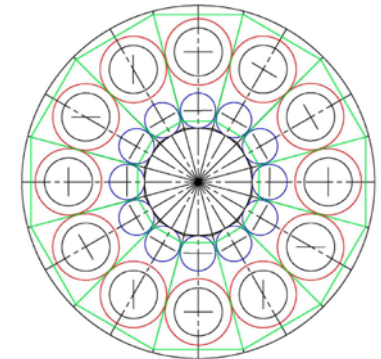
● TOF

● CsI(Tl) readout

# Aerogel Cherenkov counter



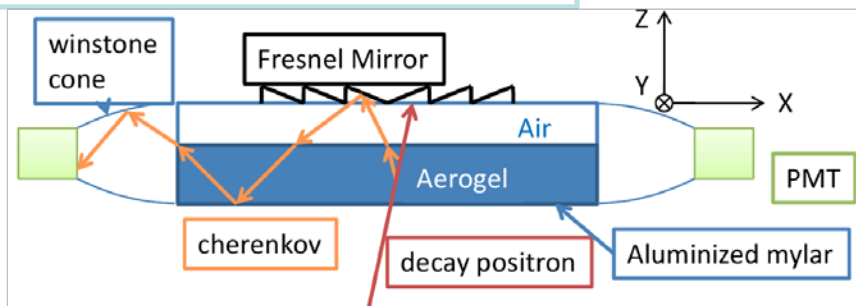
$$n = 1.05$$



## ● 1<sup>st</sup> Prototype counter



## *Sawtooth mirror*

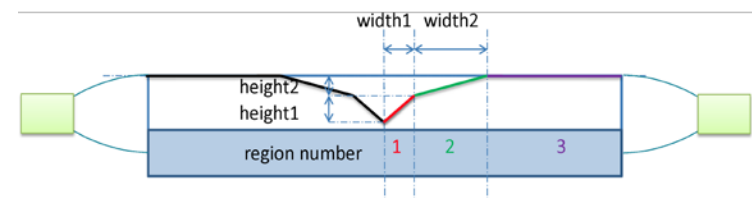


$\epsilon \sim 99\%$  but non-uniformity

## ● 2<sup>nd</sup> Prototype counter



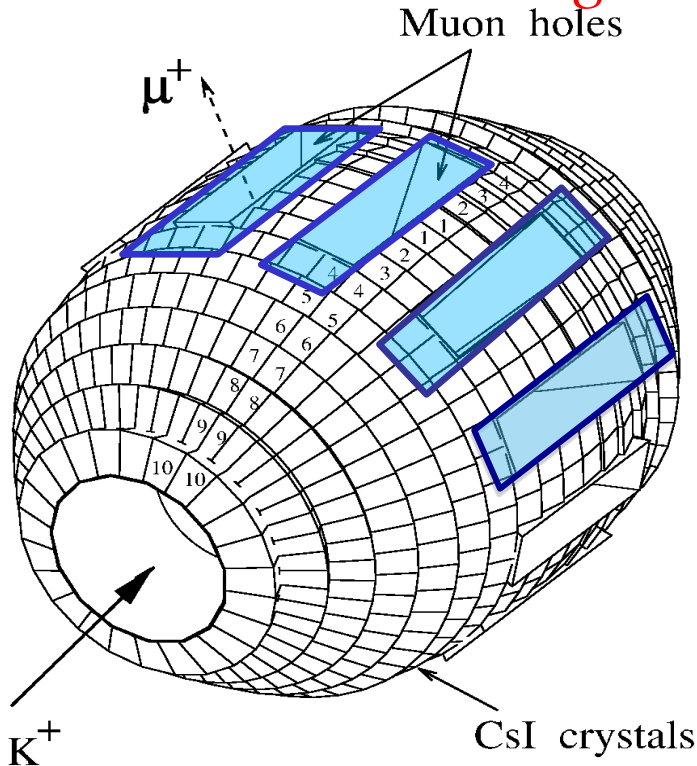
## *Polygonal mirror*



Beam test in June

# C1: Planar GEMs for P36

- *For higher tracking performance*

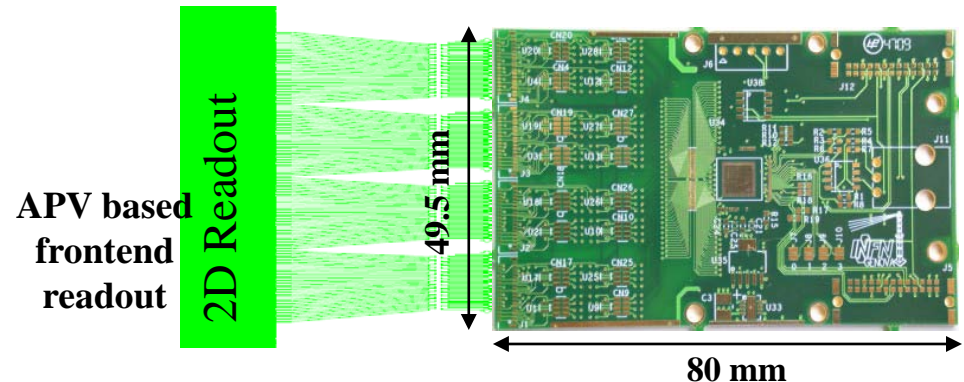
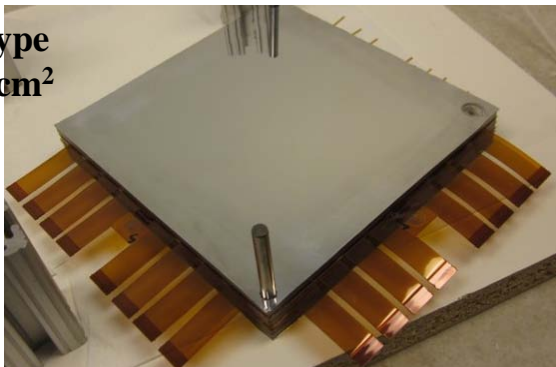


**12 C1 triple-GEMs** to cover muon holes of CsI(Tl)

Stereo readout in shadow of CsI crystals based on APV25-S1 (128 channels per chip)

Active length (z)	<b>480 mm</b>
Active width (y)	<b>200 mm</b>
Spatial resolution	<b>&lt;100 <math>\mu\text{m}</math></b>
Readout strips: pitch	<b>400 <math>\mu\text{m}</math></b>
No. of channels (z)	<b>1200 (&lt;10x128)</b>
No. of channels (y)	<b>500 (&lt;4x128)</b>
Total no. of channels	<b>1700</b>
APV chip per chamber	<b>14</b>
Total cost (\$\$)	<b>350,000</b>

Prototype  
10x10 cm<sup>2</sup>



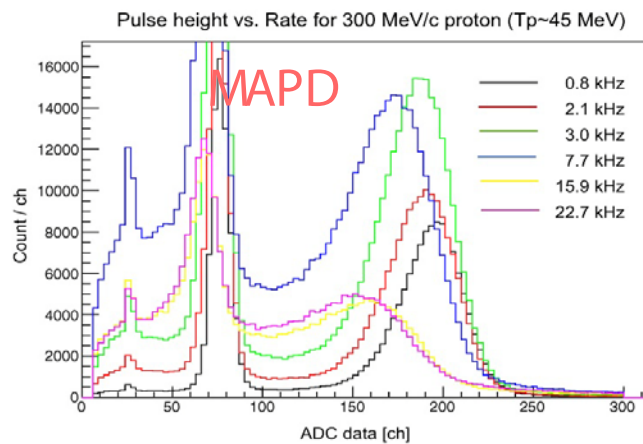
- **Beam tests at FNAL**



# CsI(T1) Readout

- *For higher rate performance*

- Possible 3 candidate schemes:
  - PIN-diode readout (same as in E246)
    - Best  $K/\pi$  ratio is required (Beam line K1.1BR)
  - APD readout (developed in 2010)
    - Already established, but rather expensive
  - MAPD readout (development in progress now)
    - Good  $S/N$  ratio, and cost effective
    - Rate capability test @ TRIUMF in autumn of 2011

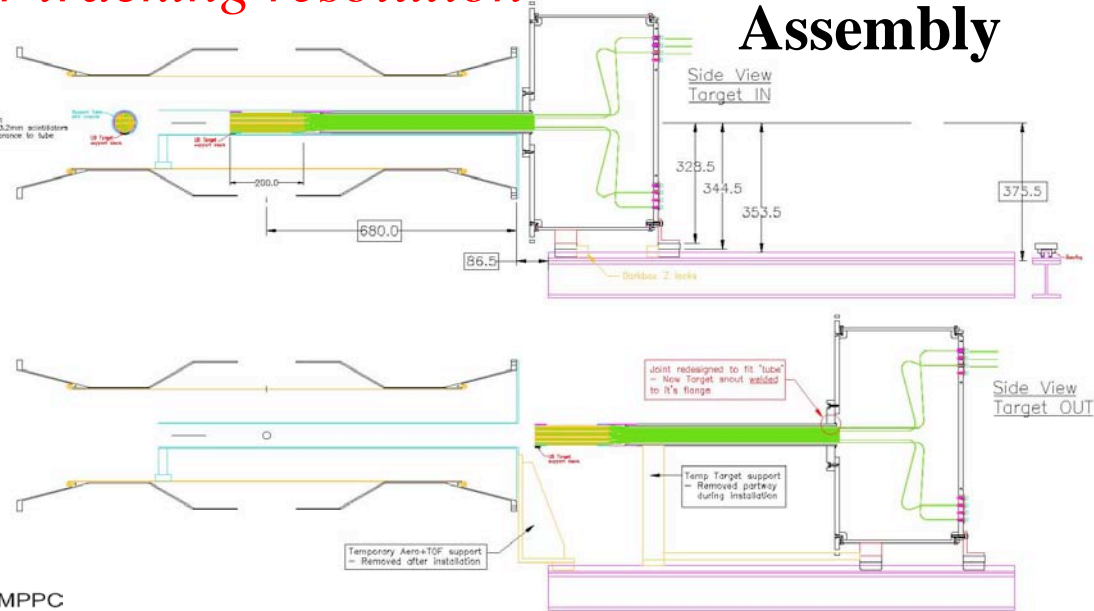
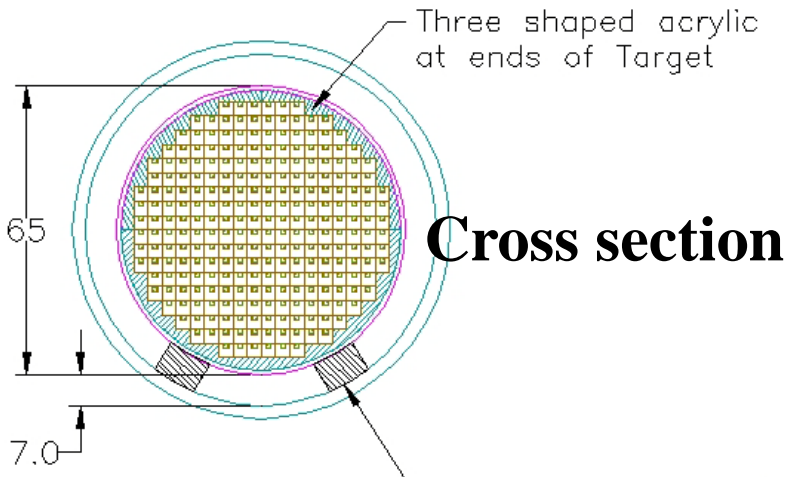
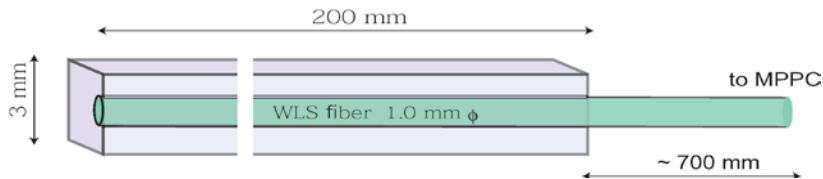


- *There is still rate dependence*
- *Better one is now being developed*

# Target for P36

*For better tracking resolution*

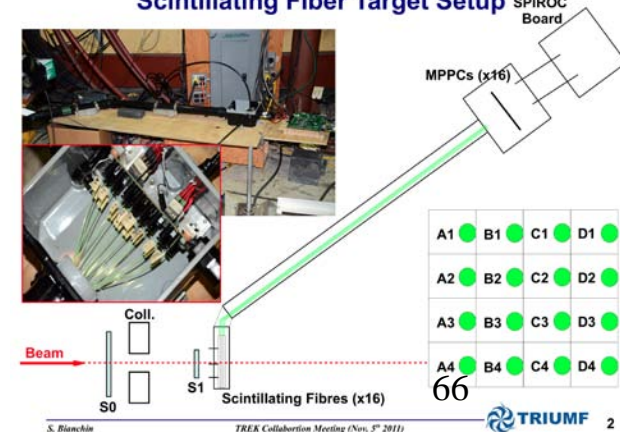
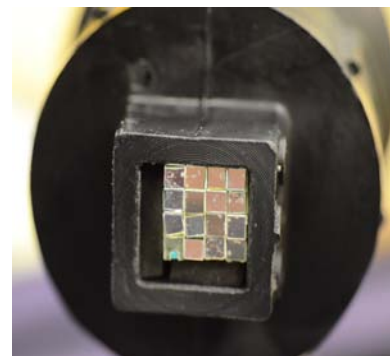
- 256 pieces of
- 3 x 3 x 200 mm<sup>3</sup> SciFi
- WLS fiber of ~1m
- MPPC readout
- EASIROC electronics
- Production in Canada



## Beam test at TRIUMF in 2011

Scintillating Fiber Target Setup

4x4 array



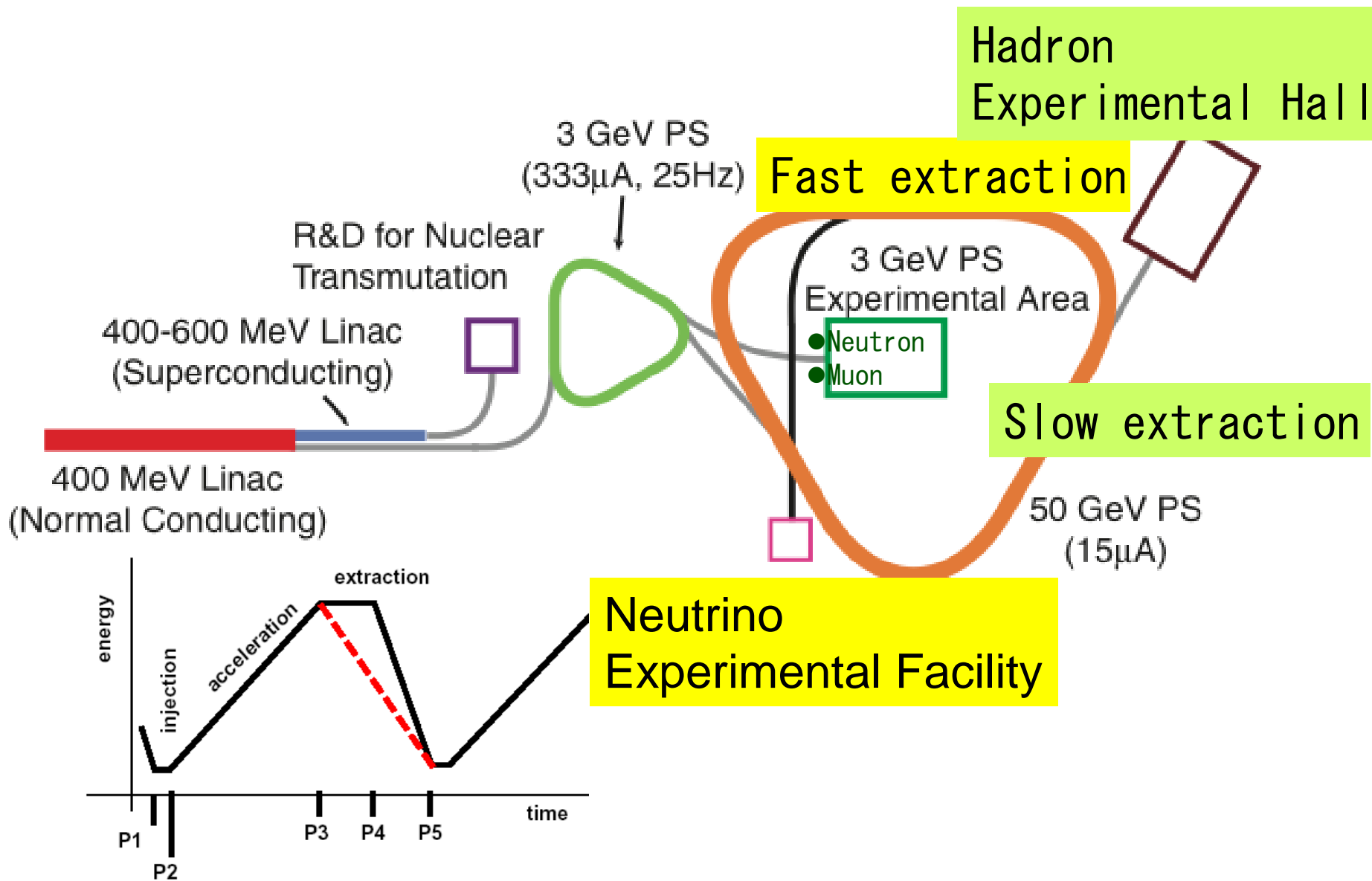
# Time schedule

	2012	2013	2014	2015	2016		later
P36	R&D etc.	Detector construction					
		He refrigerator installation		Run@K1.1BR			
E06			Polarimeter construction	(If K1.1BR available )	Run@K1.1BR		
					(If K1.1BR not available )		Run in extended Hadron Hall ?

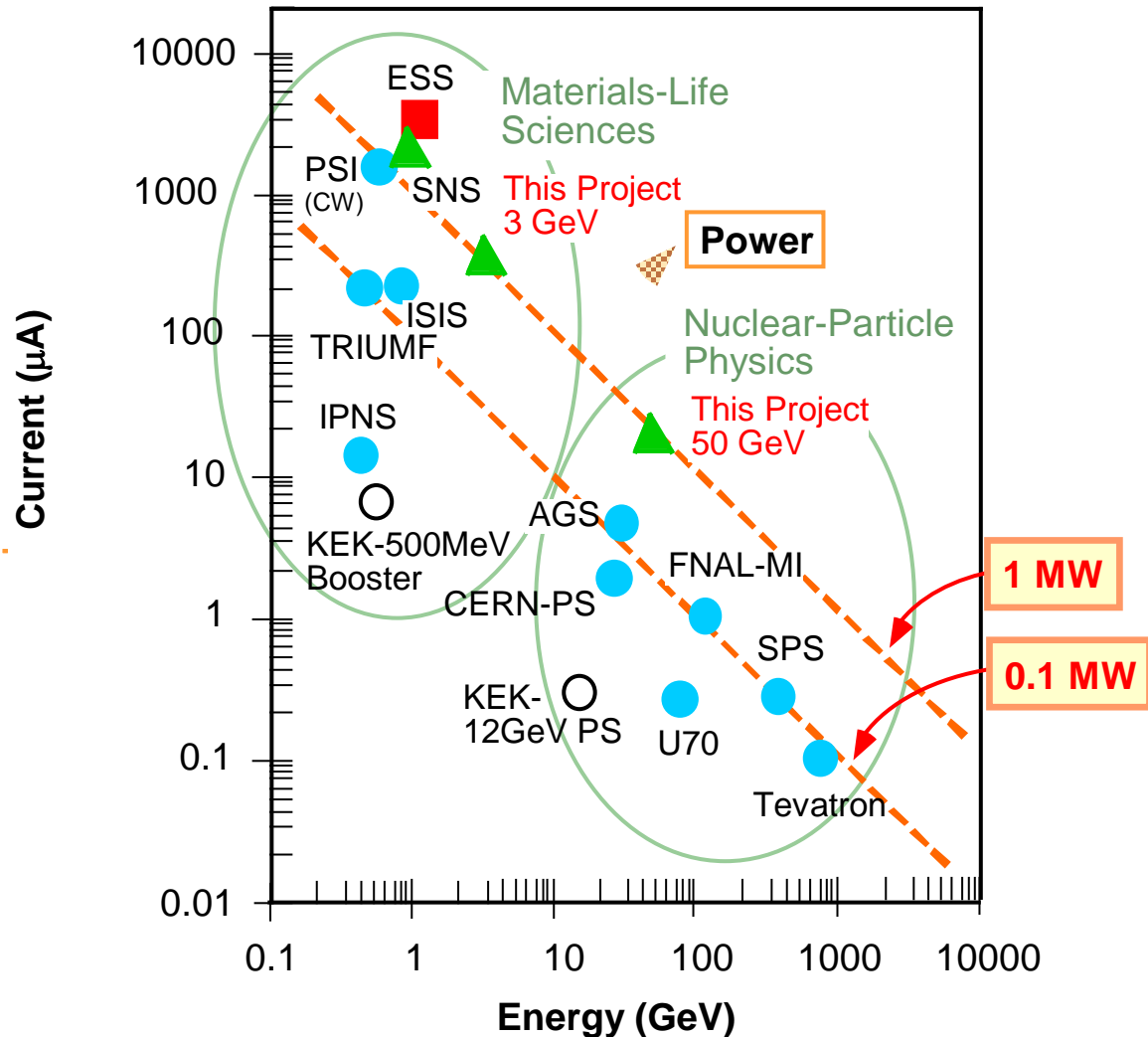
# Summary

- Violation of lepton universality is a sensitive probe of LFV SUSY interaction.
- $R_K = \Gamma(K_{e2})/\Gamma(K_{\mu2})$  is a good channel to search for LU violation.
- J-PARC P36 experiment aims for the sensitivity of  $\delta R_K/R_K = 0.25\%$ .
- We aim to run P36 in 2015. The detector is now being prepared.
- Participation of young people are very welcome.

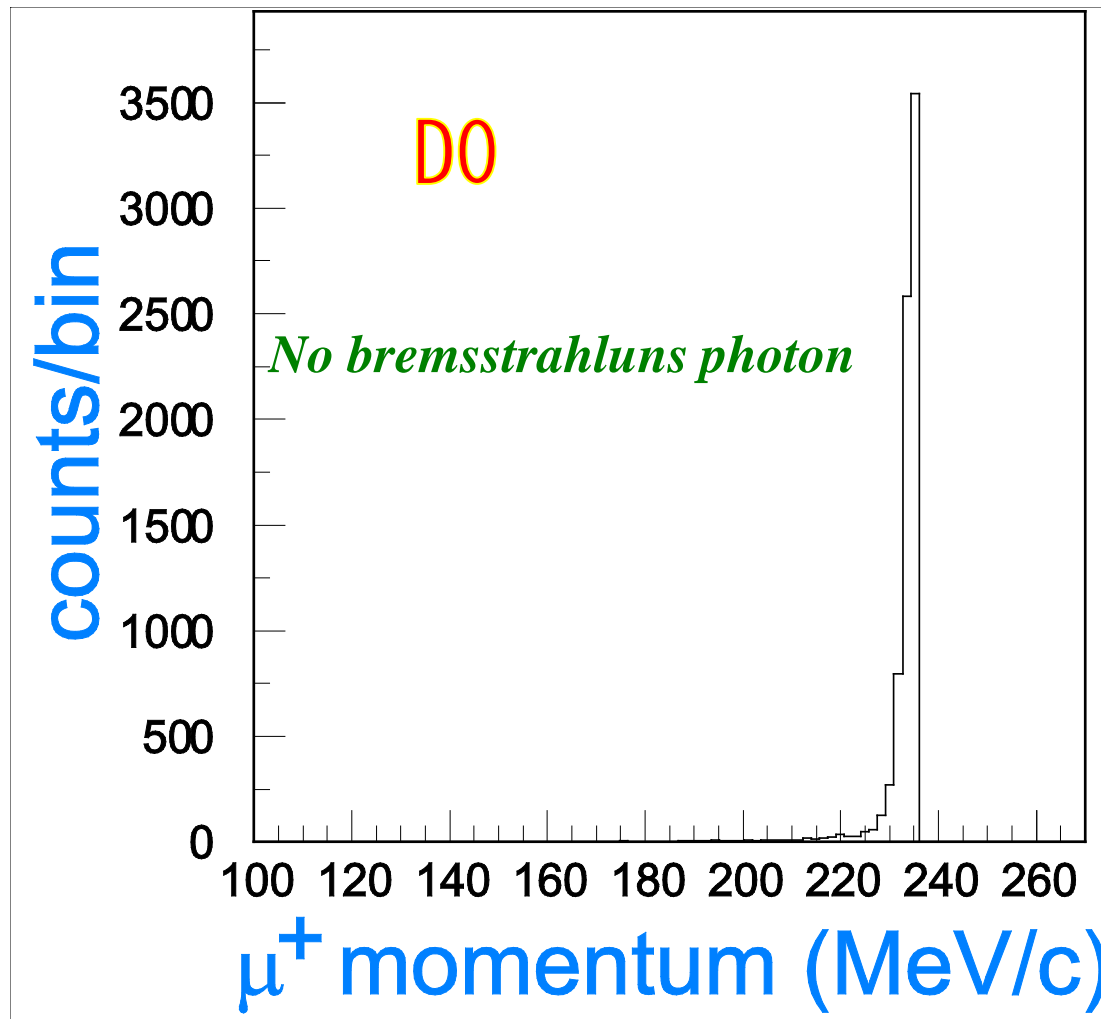
# J-PARC accelerator complex



# Proton accelerators in the world



# $K_{\mu 2}$ momentum spectrum



# Aerogel Cherenkov counter

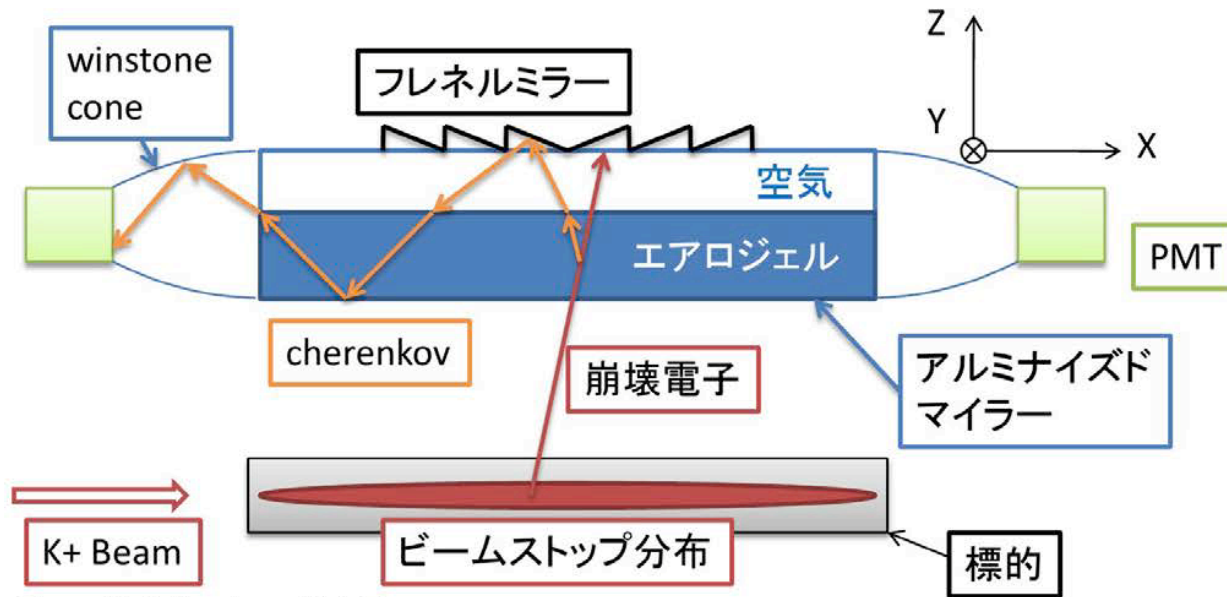


図 1 : AC カウンターの概念図

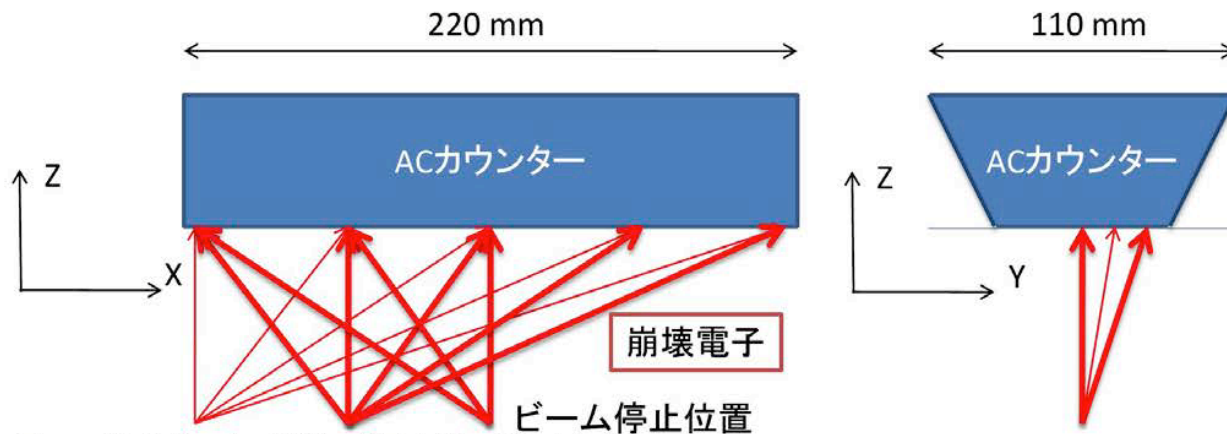


図 2 : AC カウンター実験の電子入射の組み合わせ

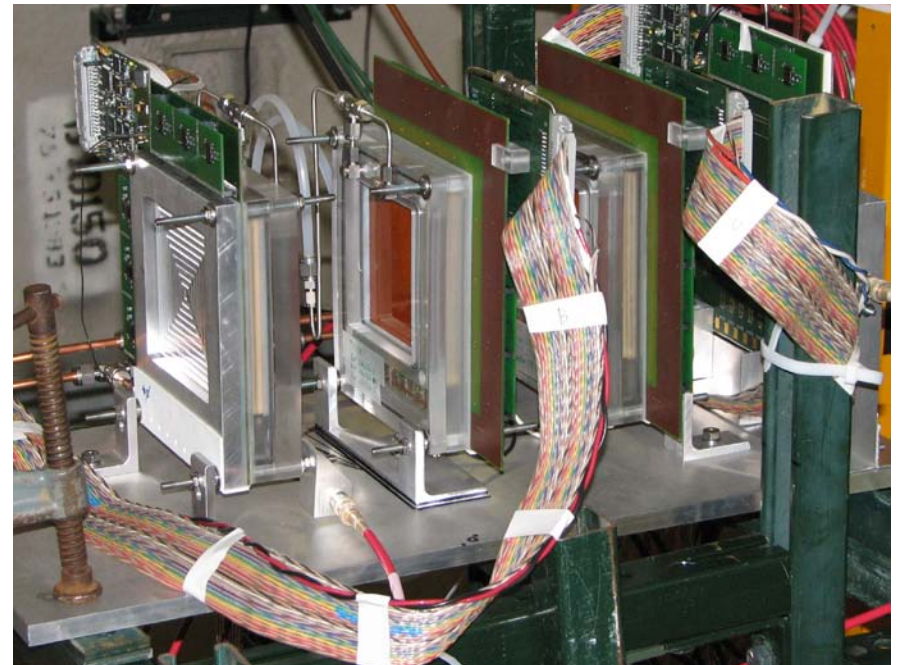
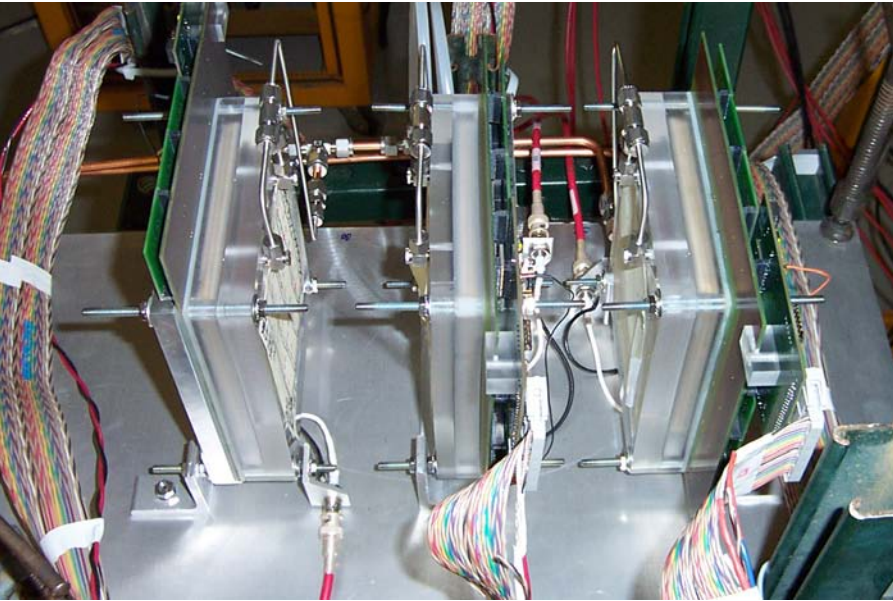


# GEM test at FNAL

Telescope of 3 Triple GEM  
prototypes (10 x 10 cm<sup>2</sup>) using  
TechEtch foils  
Middle detector rotatable  $\pm 30^\circ$

[F. Simon et al., IEEE2007,](#)  
[arXiv:0711.3751](#)

- 120 GeV proton beam from  
Main Injector
- unseparated secondary beam  
at 32 GeV, 16 GeV, 8 GeV  
and 4 GeV

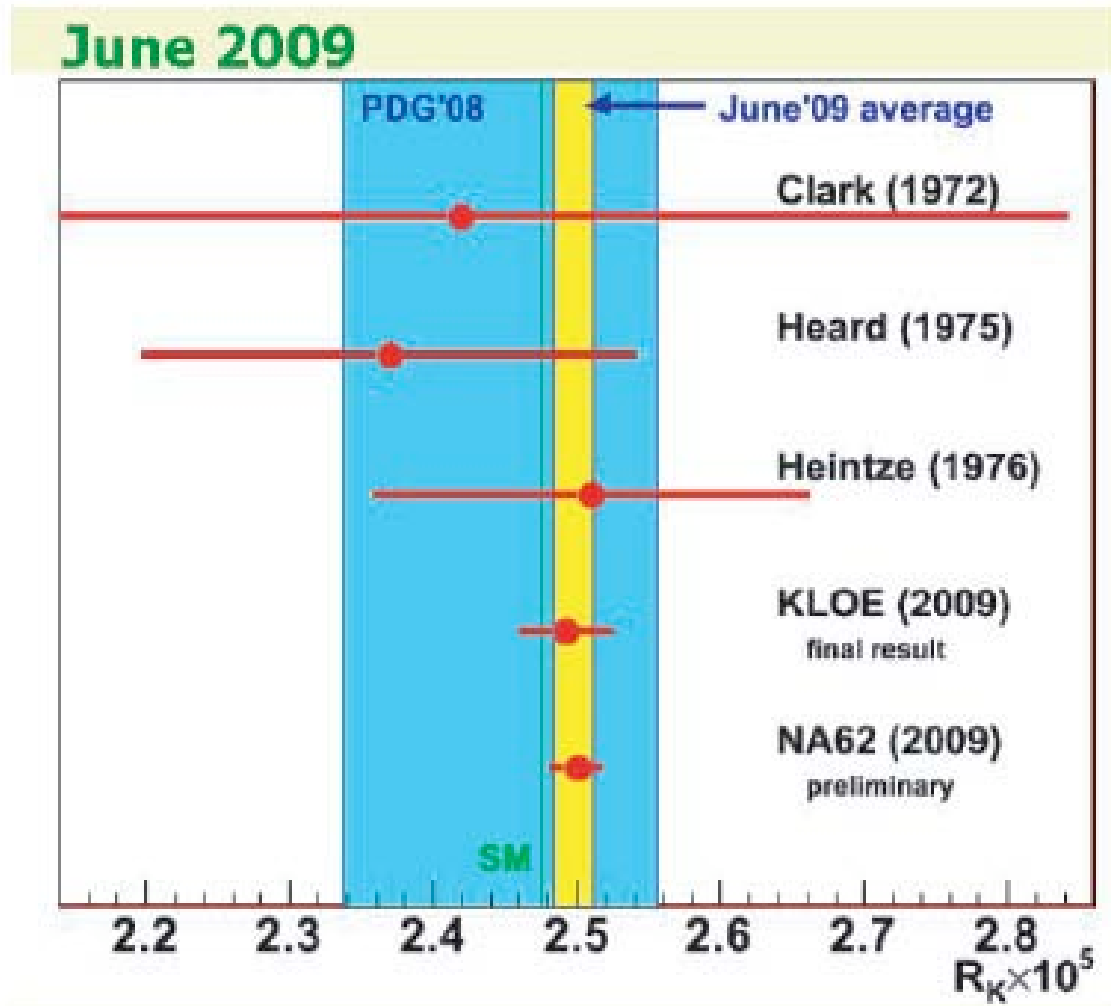


# Experimental status summary

Measurement	Kaon Beam	PID	$R_K (\times 10^{-5})$	$\Delta R_K / R_K$
PDG08 [1]			$2.45 \pm 0.11$	5%
KLOE [13]	In-flight ( $\phi \rightarrow K^\pm$ )	$E/p$ and TOF	$2.493 \pm 0.025 \pm 0.019$	1.3%
NA62 [14]	In-flight ( $p(K^\pm) =$ 74 GeV/c)	$E/p$	$2.500 \pm 0.016$	0.4%
TREK	Stopped $K^+$	TOF and $\hat{C}$		0.2%
SM [38]			$2.472 \pm 0.001$	0.04%

Measurement	Pion Beam	PID	$R_\pi (\times 10^{-4})$	$\Delta R_\pi / R_\pi$
PDG08 [1]			$1.230 \pm 0.004$	0.3%
PIBETA [39]	stopped $\pi^+$	$E/p$	$1.2346 \pm 0.0035 \pm 0.0036$	0.4%
Britton et al. [40]	stopped $\pi^+$	$\pi \rightarrow \mu \rightarrow e$	$1.2265 \pm 0.0034 \pm 0.0044$	0.4%
PEN [30]	stopped $\pi^+$	$E/p$		< 0.05%
PIENU [31]	stopped $\pi^+$	$\pi \rightarrow \mu \rightarrow e$		< 0.1%
SM [1]			$1.2353 \pm 0.0004$	0.03%

# Status of $K_{e2}/K_{\mu2}$



Is the 1.9  $\sigma$  deviation a significant effect?

# Statistical error

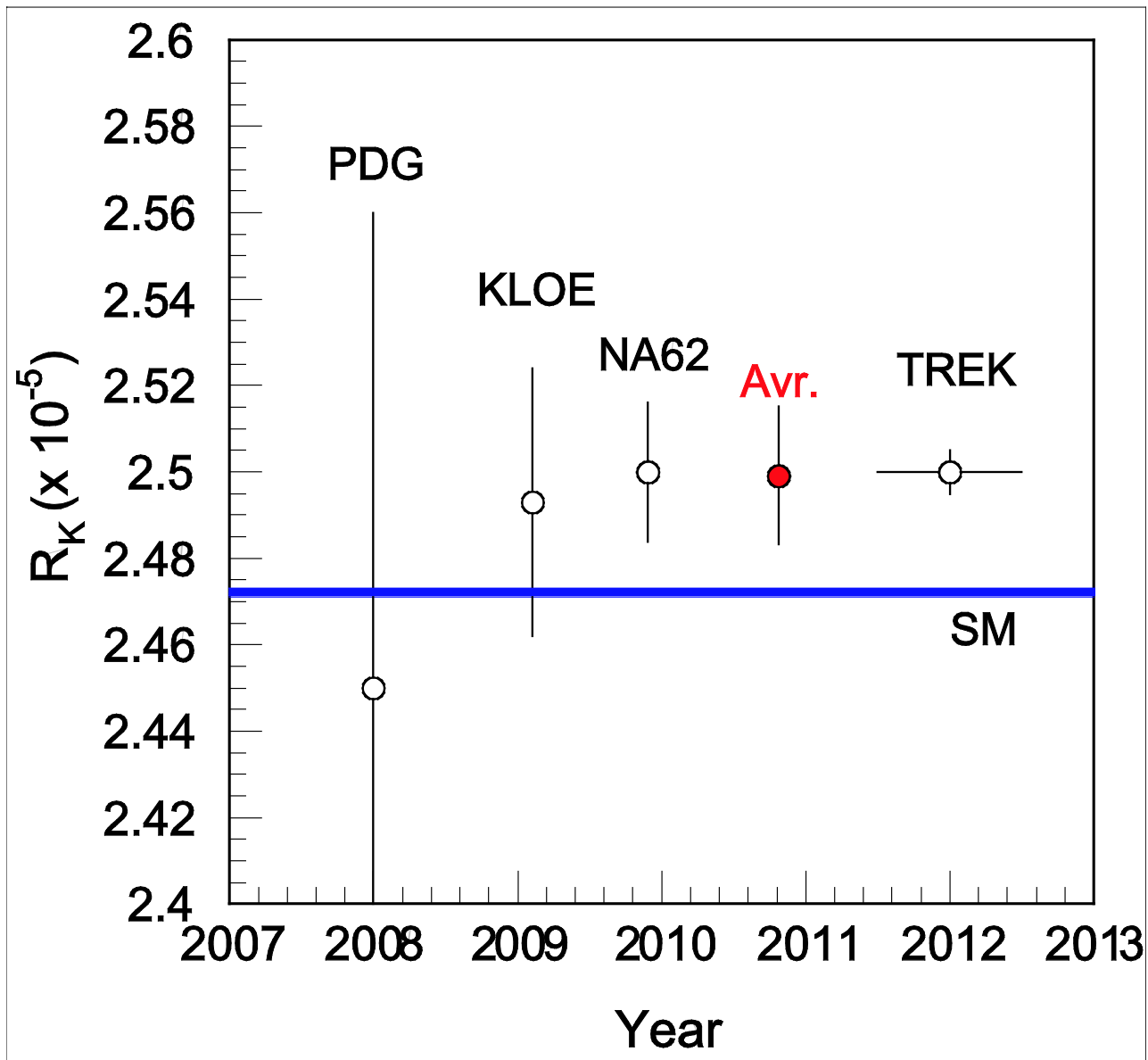
*50 days @ 30 kW*

statistics

1. Beam: 1500kW · day (= 30 kW · 50 days)  $1 \times 10^{12}$
2. Kaon stopping eff. : 0.25  $3 \times 10^{11}$
3. Branching ratio of  $K_{e2}$ :  $1.55 \times 10^{-5}$   $4 \times 10^6$
4. Detector acc. : 0.07  $3 \times 10^5$

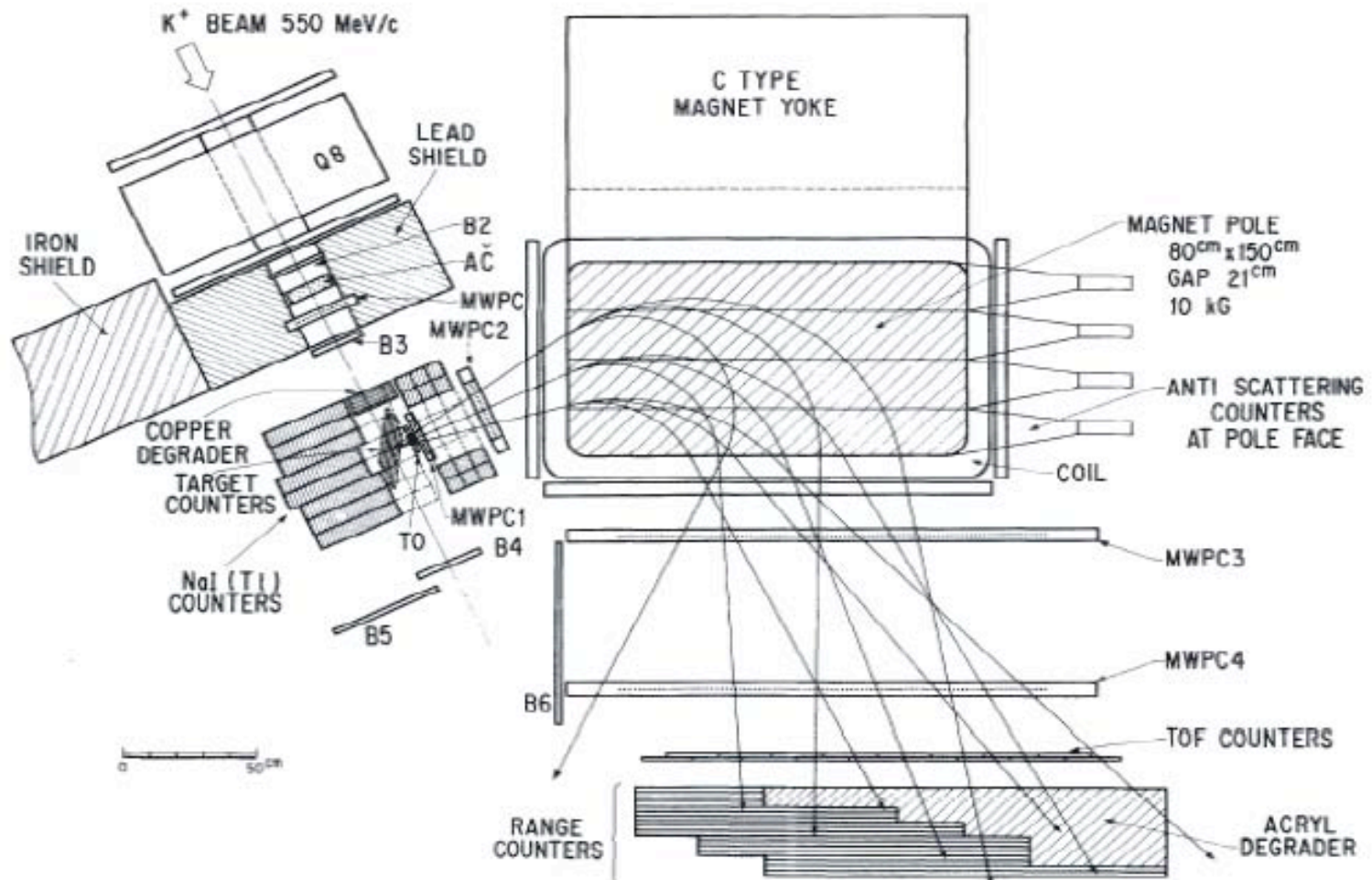
Statistical error  $\Delta R_K / R_K = 0.2\%$

# Expectation



# KEK-PS E99 experiment

*Hayano et al. 1982*

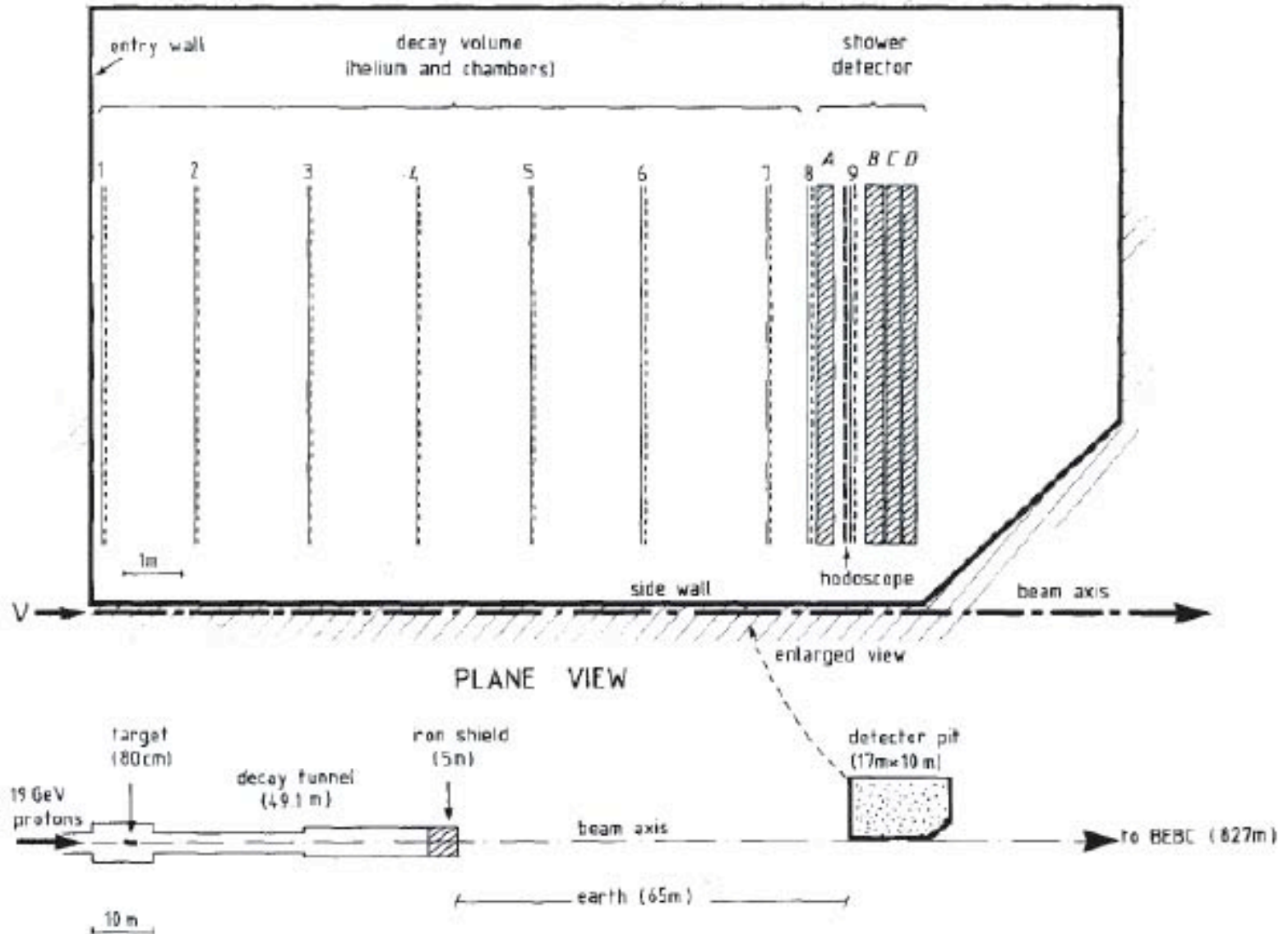


# Comparison with E99

Items	KEK-PS E99	This proposal
$\Omega(\mu^+)$	0.8%	7%
$\Omega(\pi^0)$	92%	>99.9%
spectrometer	dipole, 4 trackers	toroidal, 4-5 trackers
calorimeter	11.5 $X_0$ NaI(Tl)	13.5 $X_0$ CsI(Tl)
$\mu^+$ polarimeter	not used	used
sensitivity	$10^{-6}$	$10^{-8}$

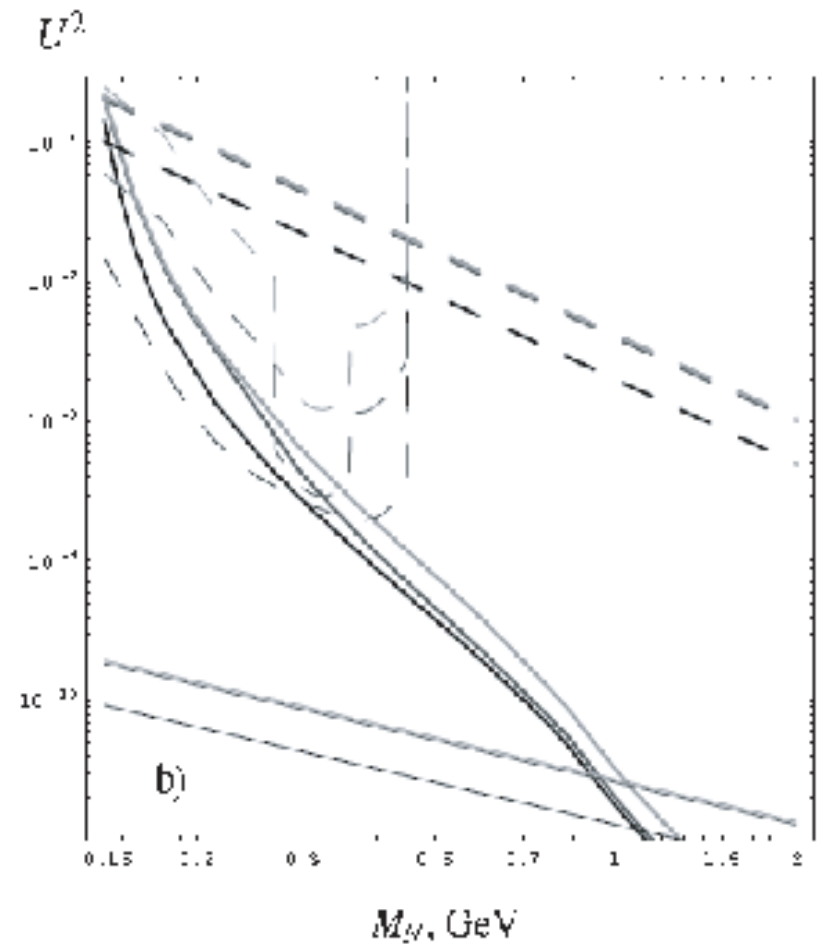
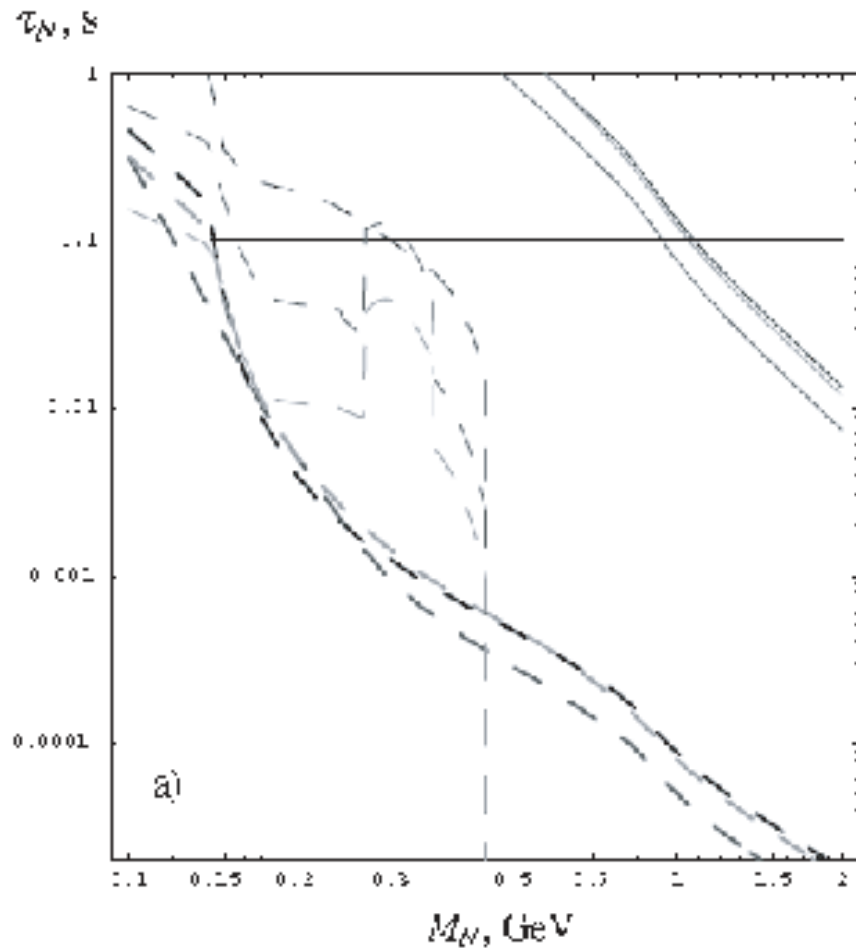
$$\begin{aligned} |U_{\mu i}|^2 &< 10^{-5} \text{ for } \mu_{\text{vi}} = 100 \text{ MeV}/c^2 \\ &< 10^{-6} \text{ for } \mu_{\text{vi}} = 200 \sim 300 \text{ MeV}/c^2 \end{aligned}$$

# CERN PS191 experiment





# Result of PS191



# Lepton universality

- Standard Model:

- Three generations for quarks and leptons
- Leptons:  $e$ ,  $\mu$ , and  $\tau$

- Different masses but same gauge couplings
- Up to now, it is valid experimentally

$$\begin{pmatrix} \nu_e \\ e \end{pmatrix} \quad \begin{pmatrix} \nu_\mu \\ \mu \end{pmatrix} \quad \begin{pmatrix} \nu_\tau \\ \tau \end{pmatrix}$$
$$\begin{pmatrix} u \\ d \end{pmatrix} \quad \begin{pmatrix} c \\ s \end{pmatrix} \quad \begin{pmatrix} t \\ b \end{pmatrix}$$

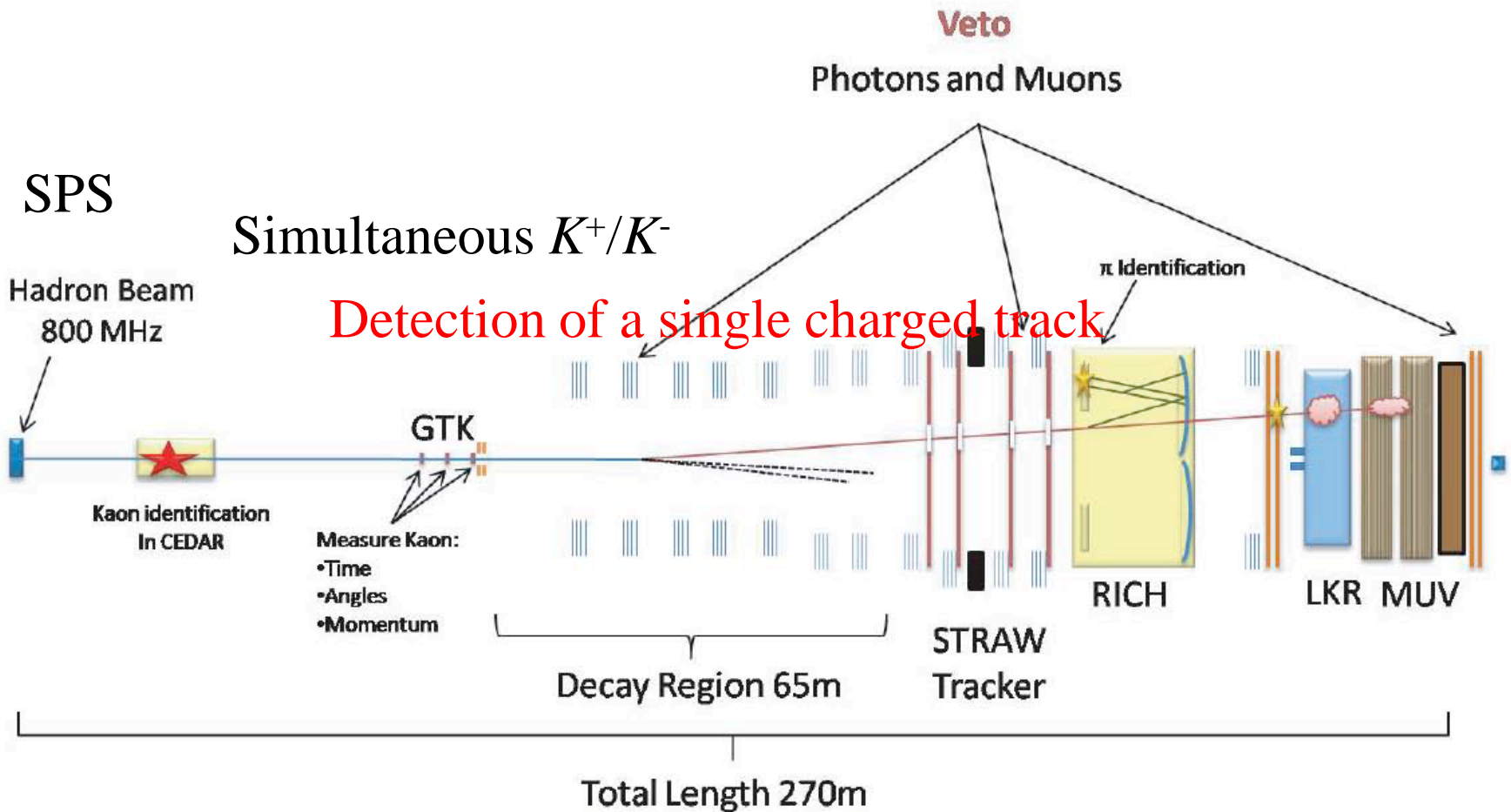
## *Lepton Universality*

- Even a small difference would signal a profound discovery :  $\rightarrow$  *Necessity of experimental efforts*

### **Related (or remaining) questions:**

1. Why are there three generations?
2. Why are the weak couplings of  $e$ ,  $\mu$ , and  $\tau$  nearly equal?
3. Why are their masses so different?
4. Why weak bosons couple to leptons in a single generation?

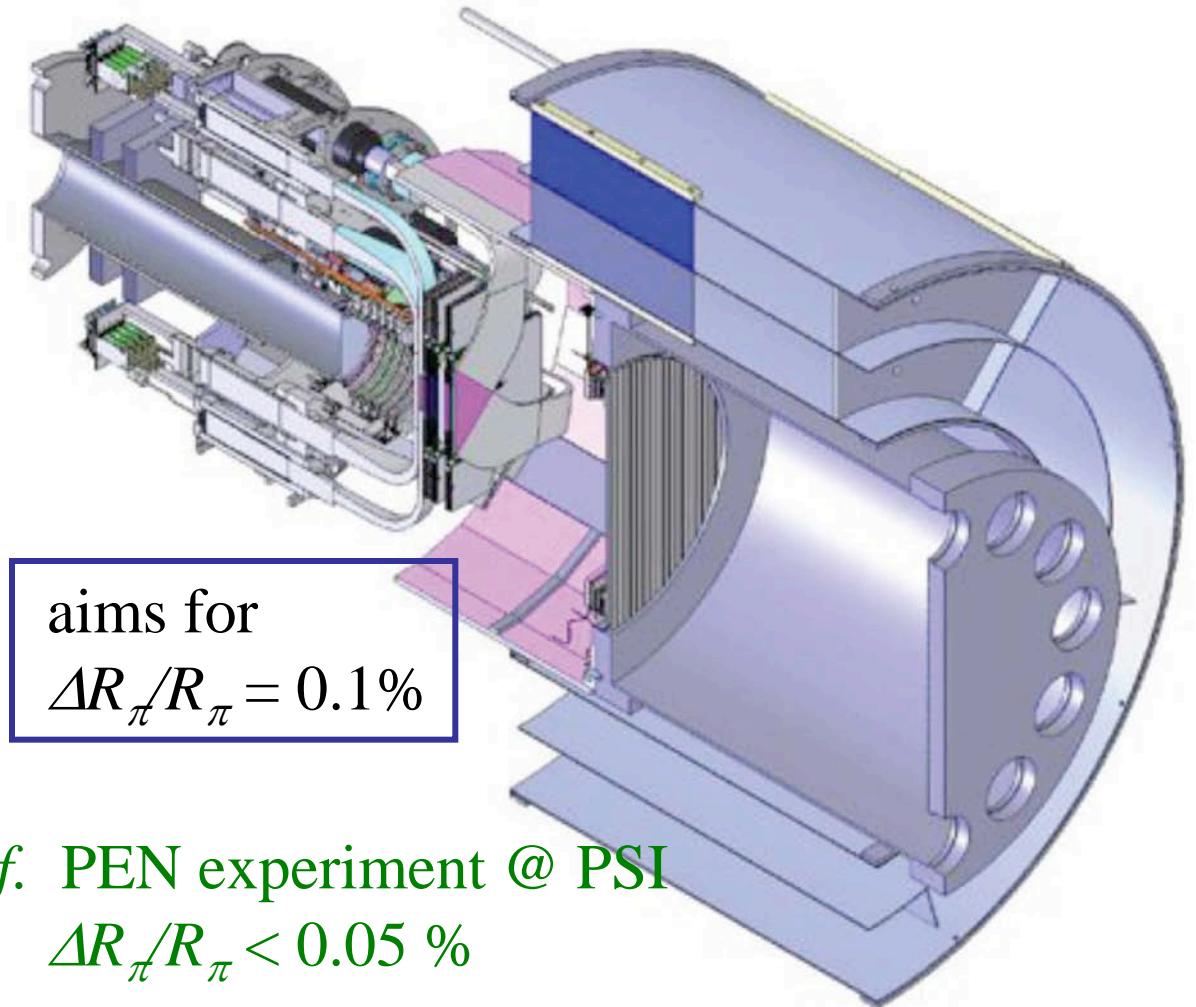
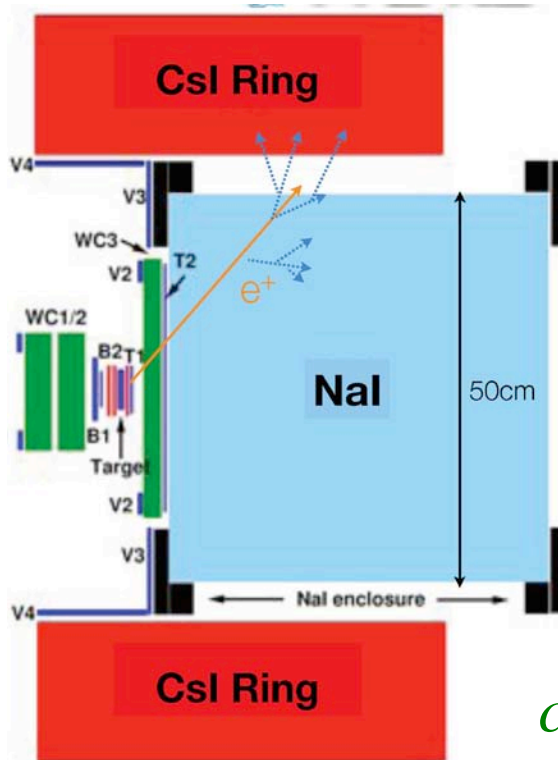
# NA62 experiment at CERN



# PIENU experiment at TRIUMF

Measurement of  $R_\pi = \pi_{e2} / \pi_{\mu2}$

$$R_\pi^{\text{SM}} = (12.352 \pm 0.001) \times 10^{-5}$$



*c.f.* PEN experiment @ PSI  
 $\Delta R_\pi / R_\pi < 0.05\%$

# KLOE experiment at DAΦNE

$$e^+e^- \rightarrow \phi \rightarrow K^+K^- : W \sim m_\phi = 1.02 \text{ GeV}$$

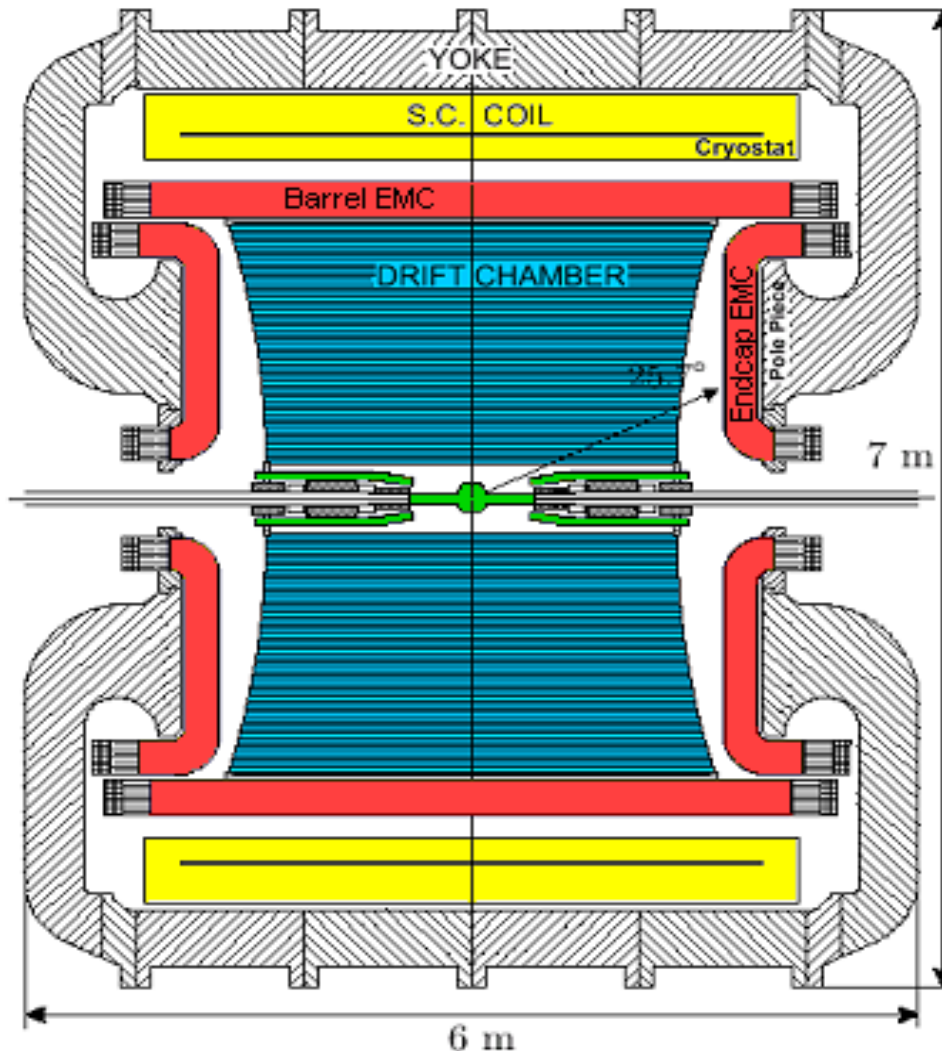
$K^+K^-$

- $\beta = 0.245$
- $p^* = 127 \text{ MeV}/c$
- $\lambda_{\pm} = 95 \text{ cm}$

**KLOE detector**

- DC ( $4 \text{ m}^\phi \times 3.3 \text{ m}^L$ )
- EMC (Pb/SciFi)
- SCM (0.52 T)

$K_{e2(\gamma)}^\pm : K_{\mu2(\gamma)}^\pm$   
measurement



$$R_K = (2.493 \pm 0.025 \pm 0.019) \times 10^{-5}$$

$$K_{e3}/K_{\mu3}$$

$$\Gamma(K_{\mu3})/\Gamma(K_{e3}) = (g_{\mu}/g_e)^2 \times R_{\text{pre}}$$

$$R_{\text{pre}} = 0.6457 - 0.1531\lambda_+ + 1.5646\lambda_0$$

$$f_0(q^2) = f_+(q^2) + [q^2/(m_K^2 - m_{\pi}^2)] f_-(q^2)$$

$$\sim f_+(0) [1 + \lambda_0(q^2/m_{\pi}^2)]$$

KEK-PS E246

$$\Gamma(K_{\mu3})/\Gamma(K_{e3}) = 0.671 \pm 0.009 \quad [\text{E246}]$$

$$\lambda_+ = 0.0278 \pm 0.0040 \quad [\text{E246}]$$

$$\lambda_0 = 0.039 \pm 0.0040 \quad [\text{Ref.}]$$

- $B_0 = 0.65 \text{ T}$  and  $0.9 \text{ T}$
- $\rho_{\mu/e}$  measurement
- $\pi^0$  detection as  $2\gamma$  in CsI
- $K_{e3}/K_{\mu3}$  discrim. with TOF

$$g_{\mu}/g_e = 0.971 \pm 0.019$$

$$(g_{\mu} f_+^{\mu}(0) / g_e f_+^e(0)) = 0.971 \pm 0.019$$

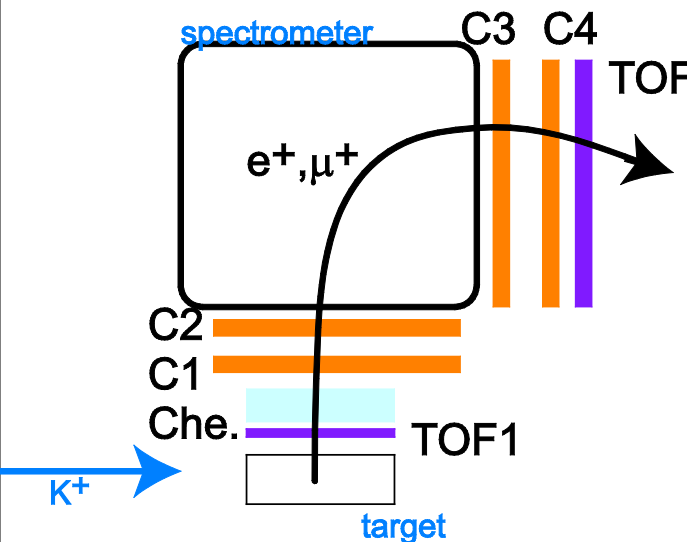
*Consistent with one !*

# Efficiency determination

- PID performance and chamber efficiencies will be directly measured by using experimental data.
- We can easily accumulate sufficient  $K_{e3}$  and  $K_{\mu3}$  events by changing the magnetic field to  $B=0.65$  T.

$$\text{Effi.}(Che) = \frac{N(\text{Tracker} \otimes \text{TOF} \otimes \text{Che.})}{N(\text{Tracker} \otimes \text{TOF})}$$

Tracker: C1, C2, C3, C4  
PID: TOF, Che.



Element for check	Tracking elements	Trigger
C1	C2, C3, C4	TOF1 $\otimes$ TOF2
C2	C1, C3, C4	TOF1 $\otimes$ TOF2
C3	C1, C2, C4	TOF1 $\otimes$ TOF2
C4	C1, C2, C3	TOF1 $\otimes$ TOF2
PID by Cherenkov	C1, C2, C3, C4	TOF1 $\otimes$ TOF2
PID by TOF	C1, C2, C3, C4	TOF1 $\otimes$ C4

# Data taking

